



Supermassive Black Holes and Their Relationships with Their Host Galaxies

Bradley M. Peterson
The Ohio State University

Brera Lectures

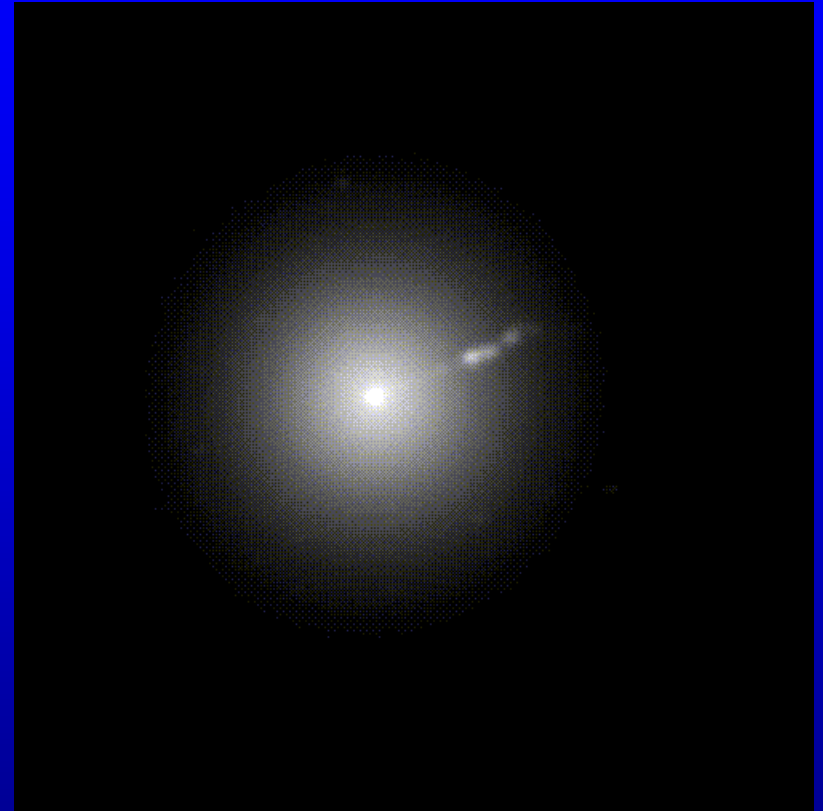
April 2011

Topics to be Covered

- *Lecture 1:* AGN properties and taxonomy, fundamental physics of AGNs, AGN structure, AGN luminosity function and its evolution
- *Lecture 2:* The broad-line region, emission-line variability, reverberation mapping principles, practice, and results, AGN outflows and disk-wind models, the radius–luminosity relationship
- *Lecture 3:* Role of black holes, direct/indirect measurement of AGN black hole masses, relationships between BH mass and AGN/host properties, limiting uncertainties and systematics

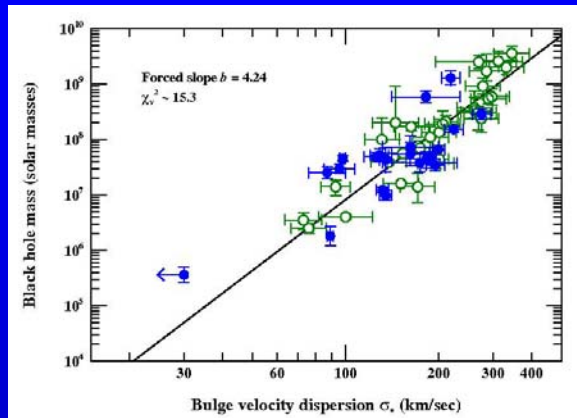
Supermassive Black Holes Are Common

- Supermassive black holes are found in galaxies with large central bulge components.
- These are almost certainly remnant black holes from the quasar era.
- To understand accretion history, we need to determine black-hole demographics.

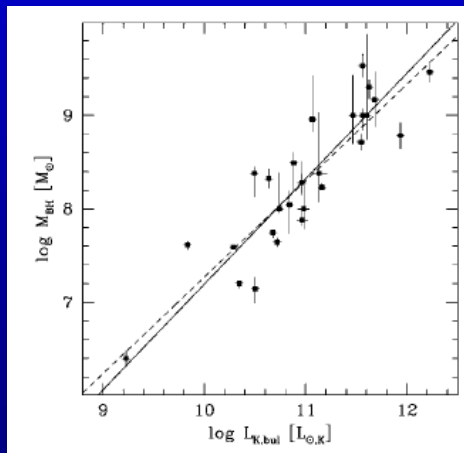


**M 87, a giant elliptical
SMBH $> 3 \times 10^9 M_{\odot}$**

Relationship Between Black Hole Mass and Host Galaxy Properties



$M_{BH} - \sigma_*$ relationship



$M_{BH} - L_{bulge}$ relationship

Marconi & Hunt 2004

- Remarkable since BH constitutes 0.5% of the mass of the bulge.
- Indicates a close (evolutionary?) relationship between BH growth/bulge formation?
 - Do these evolve over time?
- Do supermassive black holes affect their host galaxies?

Emerging Paradigm: Feeding and Feedback

- Supermassive black holes are “active” if there is a large reservoir of gas to “feed” them.
 - Quasars were more common in the past because less gas was locked up in stars; galaxies were gas rich.
- Once a quasar reaches a high-enough luminosity, energetic “feedback” (radiation, winds, jets) from quasars (and massive stars?) heats or removes the ISM, shutting down star formation.
 - There is thus a close correlation between black hole mass and galaxy mass.

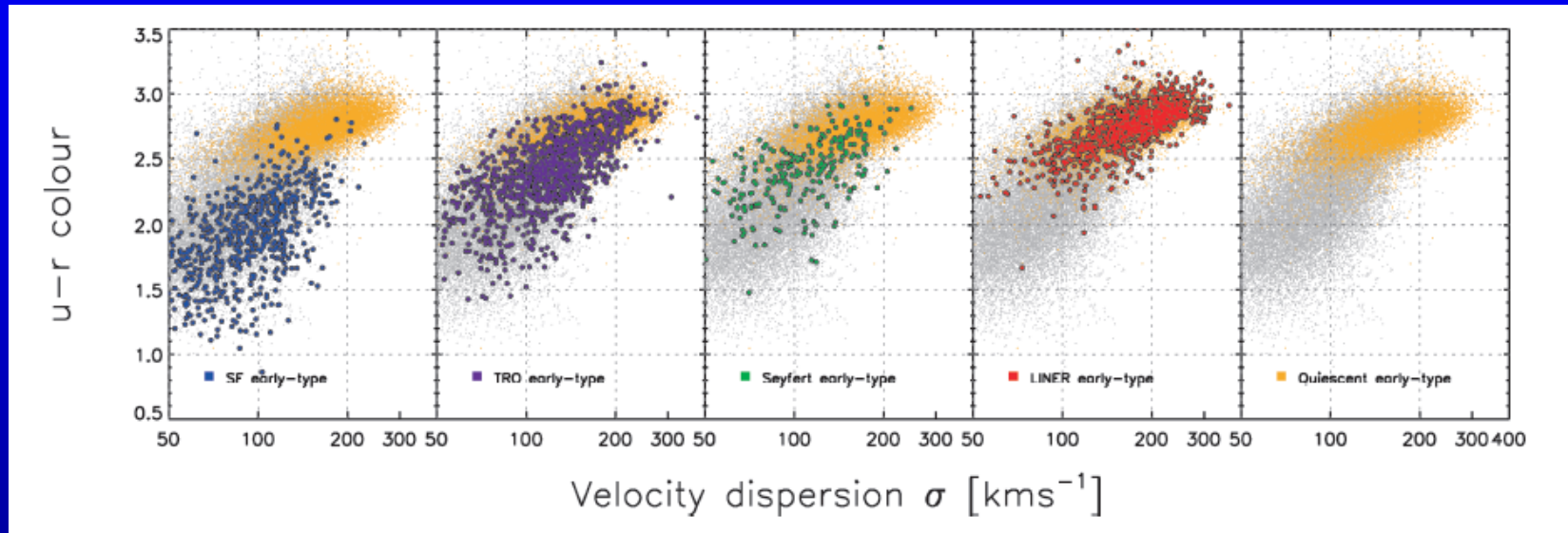
Role of Quasars in Galaxy Formation

(or why galaxy formation theorists suddenly like quasars...)

- Models of galaxy formation predict that massive galaxies should still have large reservoirs of gas and active star formation.
- Feedback from accretion onto supermassive black holes might provide the energy necessary to regulate cooling and subsequent star formation.

Does This Represent an Evolutionary Sequence?

Age →



Mass →

Schawinski et al. 2007

Orange dots: Quiescent early-type galaxies
Gray dots: Non-early type galaxies

Evolution of the $M_{\text{BH}}-\sigma_*$ and $M_{\text{BH}}-L_{\text{bulge}}$ Relationships

- Some claims for evolution of the $M_{\text{BH}}-\sigma_*$ $M_{\text{BH}}-L_{\text{bulge}}$ relationships, other claims for no evolution, or even no causal relation.
- To test this, we must use (indirect) scaling methods for strong UV emission lines for luminous and distant quasars.
 - One direct black hole mass measurement at $z = 2.17$ (Kaspi et al. 2007). No others at $z > 0.3$.

Measuring Central Black-Hole Masses

- Virial mass measurements based on motions of stars and gas in nucleus.
 - Stars
 - Advantage: gravitational forces only
 - Disadvantage: requires high spatial resolution
 - larger distance from nucleus \Rightarrow less critical test
 - Gas
 - Advantage: can be observed very close to nucleus, high spatial resolution not necessarily required
 - Disadvantage: possible role of non-gravitational forces (radiation pressure)

Virial Estimators

Source	Distance from central source
X-Ray Fe $K\alpha$	3-10 R_S
Broad-Line Region	200– $10^4 R_S$
Megamasers	$4 \times 10^4 R_S$
Gas Dynamics	$8 \times 10^5 R_S$
Stellar Dynamics	$10^6 R_S$

In units of the Schwarzschild radius
 $R_S = 2GM/c^2 = 3 \times 10^{13} M_8 \text{ cm}.$

Mass estimates from the virial theorem:

$$M = f (r \Delta V^2 / G)$$

where

r = scale length of region

ΔV = velocity dispersion

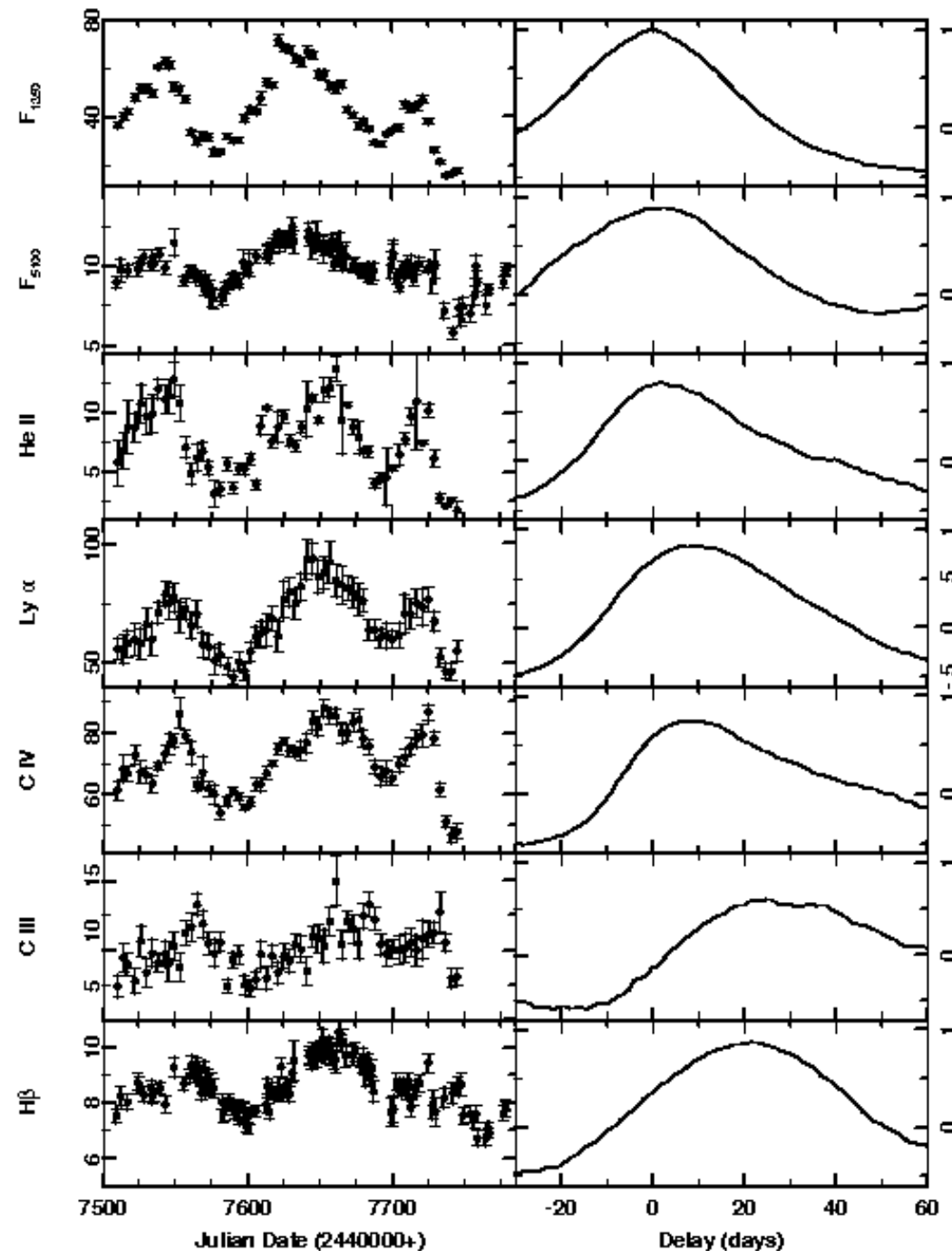
f = a factor of order unity, depends on details of geometry and kinematics

Direct vs. Indirect Methods

- Direct methods are based on dynamics of gas or stars accelerated by the central black hole.
 - Stellar dynamics, gas dynamics, reverberation mapping
- Indirect methods are based on observables correlated with the mass of the central black hole.
 - $M_{\text{BH}}-\sigma_*$ and $M_{\text{BH}}-L_{\text{bulge}}$ relationships, fundamental plane, AGN scaling relationships ($R_{\text{BLR}}-L$)

“Primary”, “Secondary”, and “Tertiary” Methods

- Depends on model-dependent assumptions required.
- **Fewer assumptions, little model dependence:**
 - Proper motions/radial velocities of stars and megamasers (Sgr A*, NGC 4258+)
- **More assumptions, more model dependence:**
 - Stellar dynamics, gas dynamics, reverberation mapping
 - Since the reverberation mass scale currently depends on other “primary direct” methods for a zero point, it is technically a “secondary method” though it is a “direct method.”



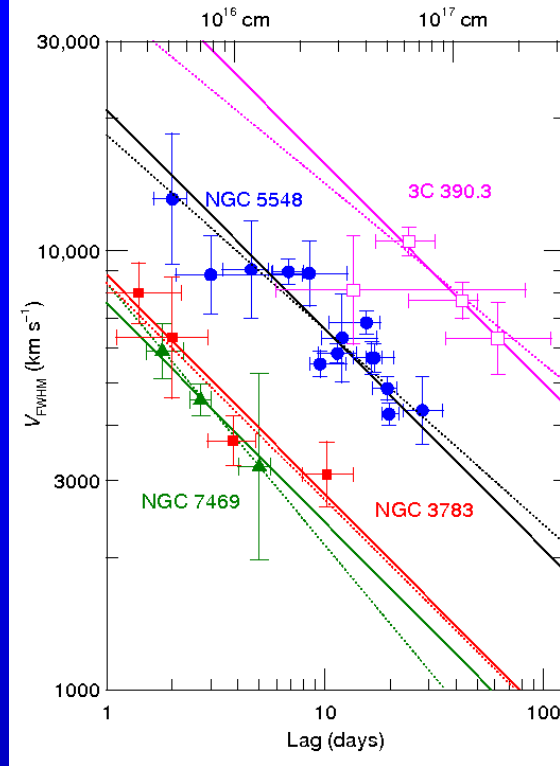
Reverberation Mapping Results

- Reverberation lags have been measured for ~ 45 AGNs, mostly for H β , but in some cases for multiple lines.
- AGNs with lags for multiple lines show that highest ionization emission lines respond most rapidly \Rightarrow ionization stratification
 - Highest ionization lines are also broadest!

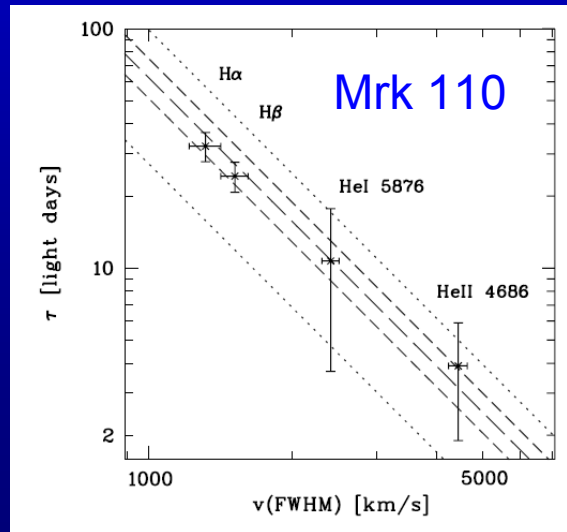
A Virialized BLR

- $\Delta V \propto R^{-1/2}$ for every AGN in which it is testable.
- Suggests that gravity is the principal dynamical force in the BLR.

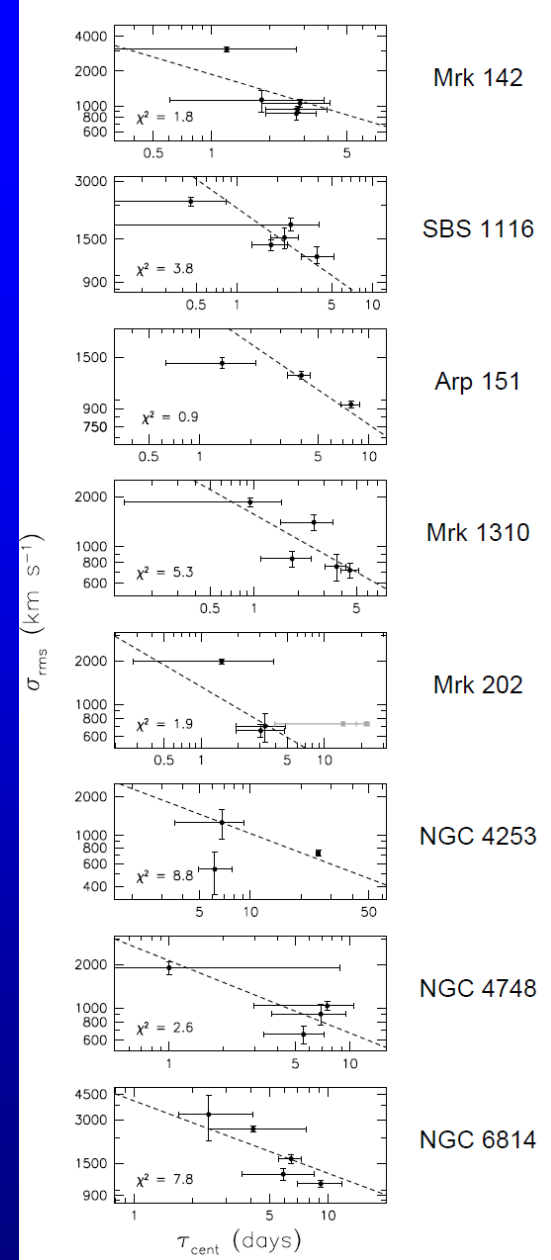
Kollatschny 2003



Onken & Peterson



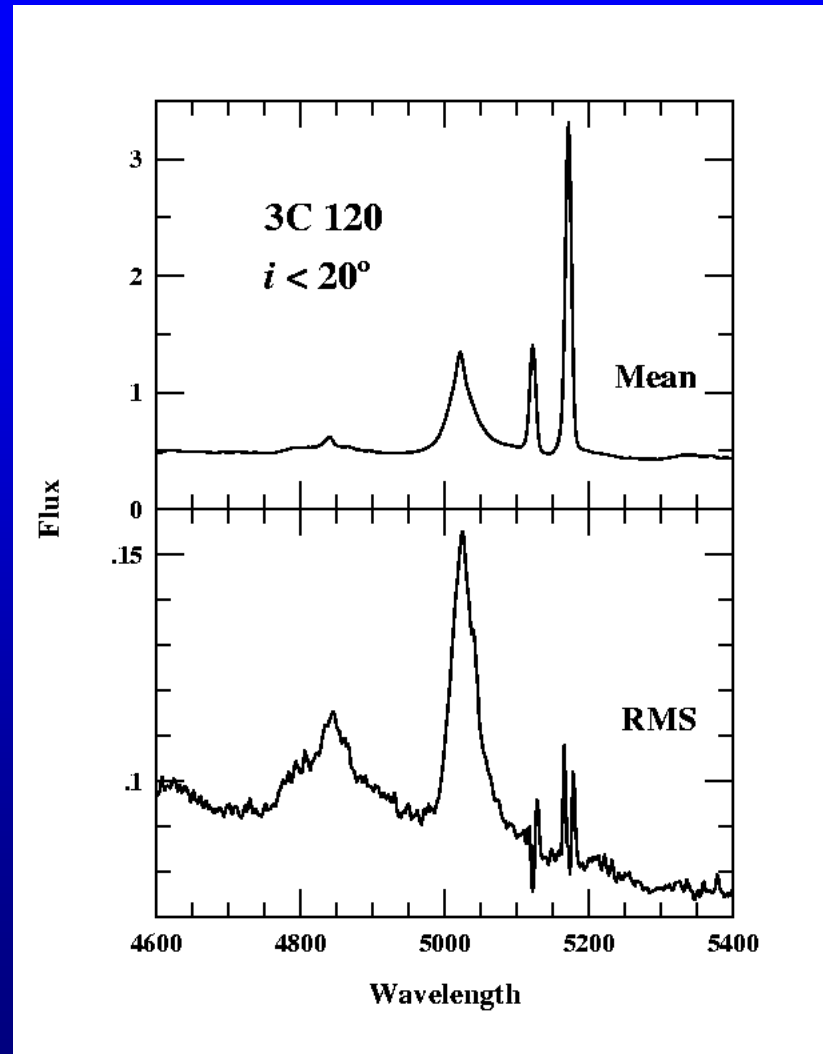
Kollatschny 2003



Bentz et al. 2009

Reverberation-Based Masses

- Combine size of BLR with line width to get the enclosed mass:
$$M = f (c\tau_{\text{cent}}\sigma^2 / G)$$
- Without knowledge of the BLR kinematics and geometry, it is not possible to compute the mass accurately or to assess how large the systematic errors might be.
 - Low-inclination thin disk ($f \propto 1/\sin^2 i$) could have a huge projection correction.



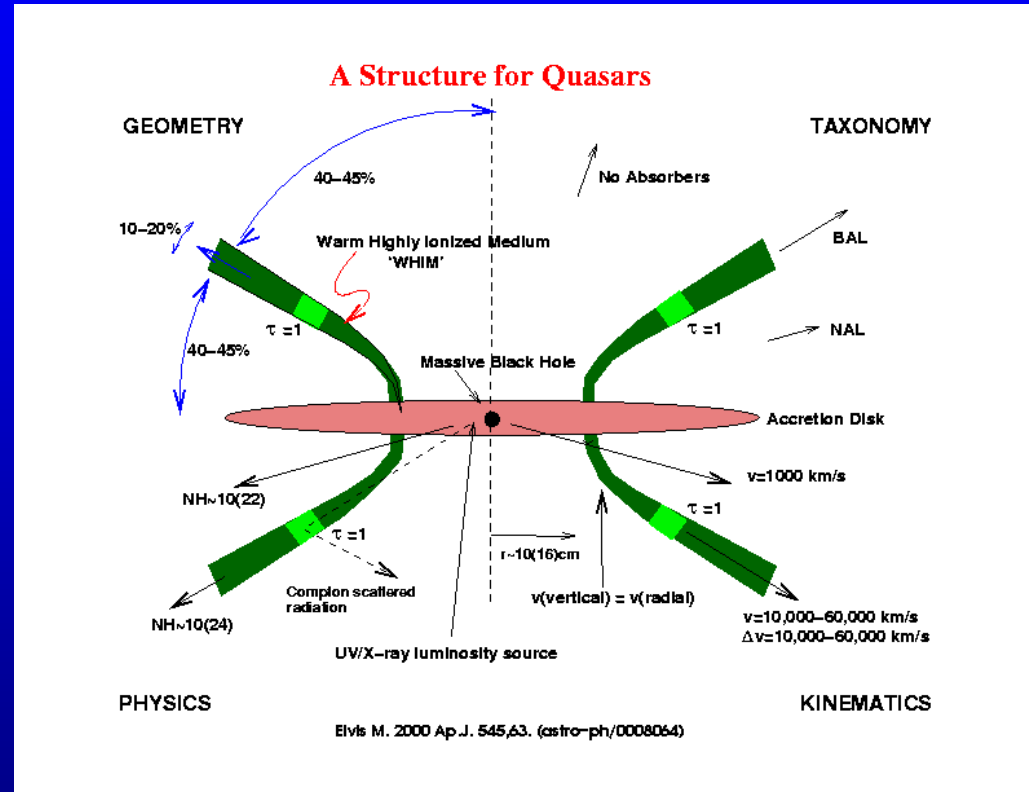
Plausible BLR Geometry

- Unified models suggest that Type 1 AGNs are observed at inclinations $0^\circ \leq i \leq \sim 45^\circ$.

- Lags are unaffected if axial symmetry and isotropic line emission
- Line widths can be severely affected by inclination.
 - A “generalized thick disk” parameterization:

$$f \propto \frac{1}{(a^2 + \sin^2 i)}$$

Collin et al. (2006)



A plausible disk-wind concept based on Elvis (2000)

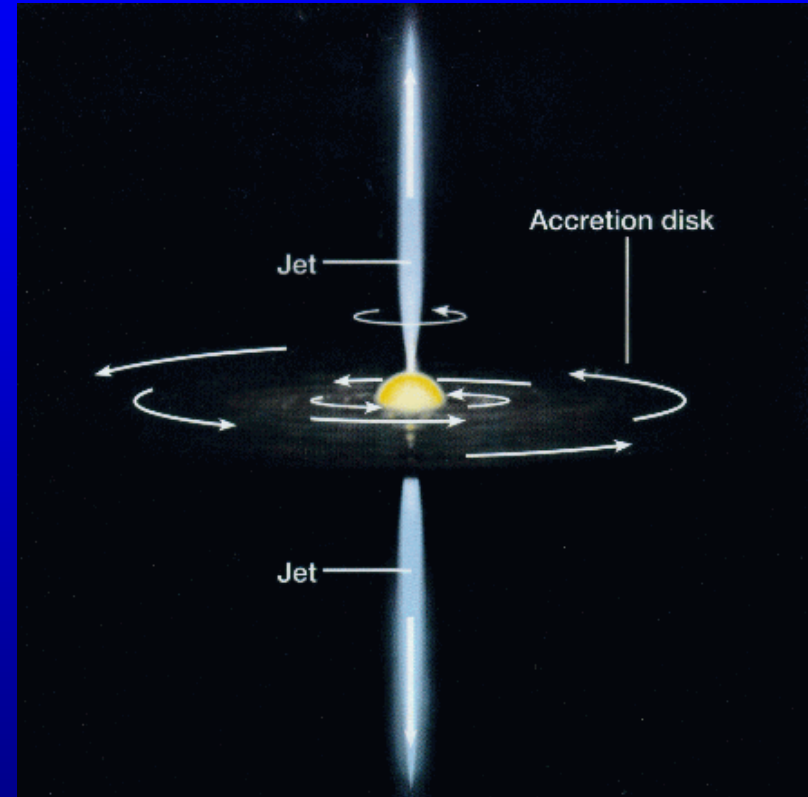
Evidence Inclination Matters

- Relationship between R (core/lobe) and FWHM.
 - Core-dominant are more face-on so lines are narrower.
- Correlation between α_{radio} and FWHM
 - Flat spectrum sources are closer to face-on and have smaller line widths

Wills & Browne 1986

- $\alpha_{\text{radio}} > 0.5$: Mean FWHM = 6464 km s^{-1}
- $\alpha_{\text{radio}} < 0.5$: Mean FWHM = 4990 km s^{-1}
- Width distribution for radio-quiet sources like flat spectrum sources (i.e., closer to face-on)

Jarvis & McLure 2006

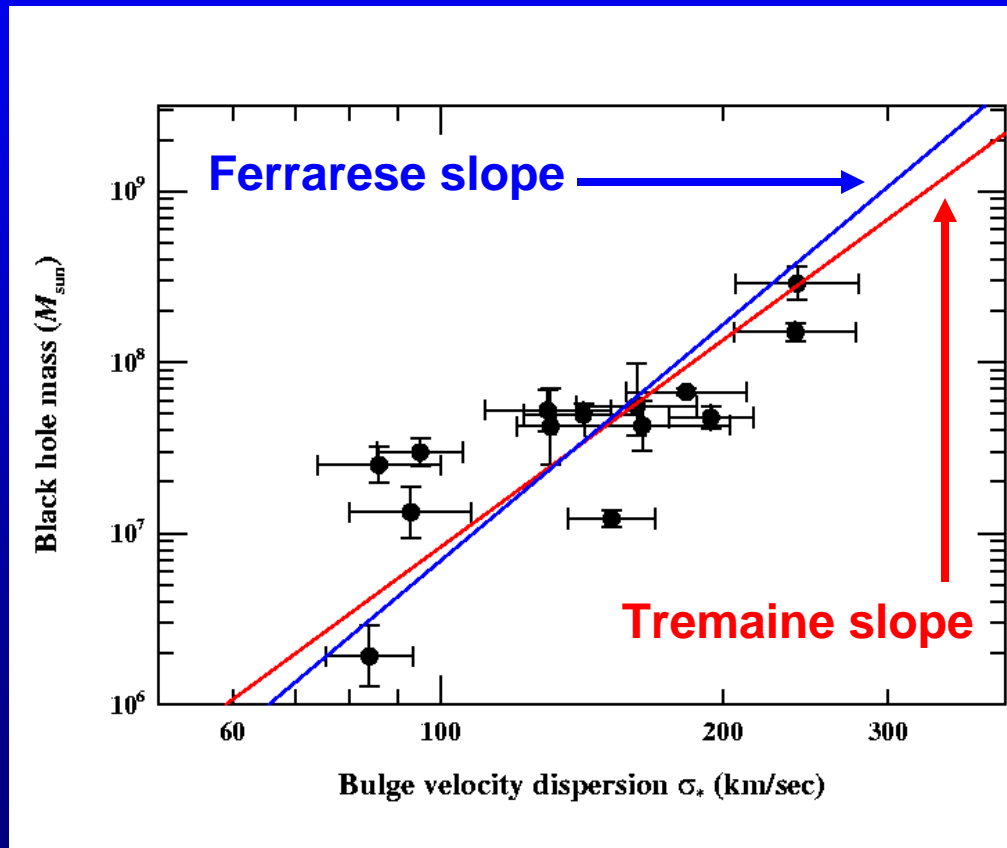


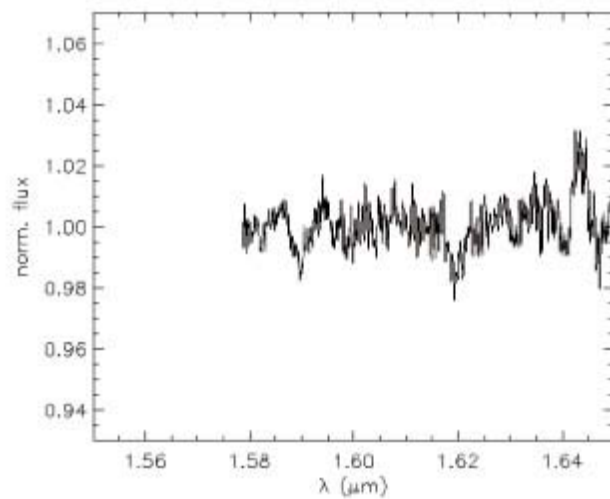
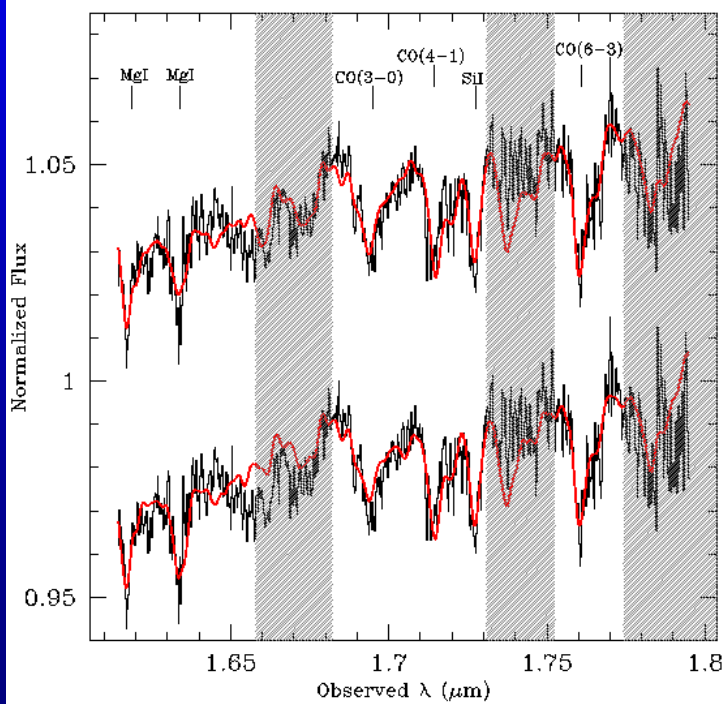
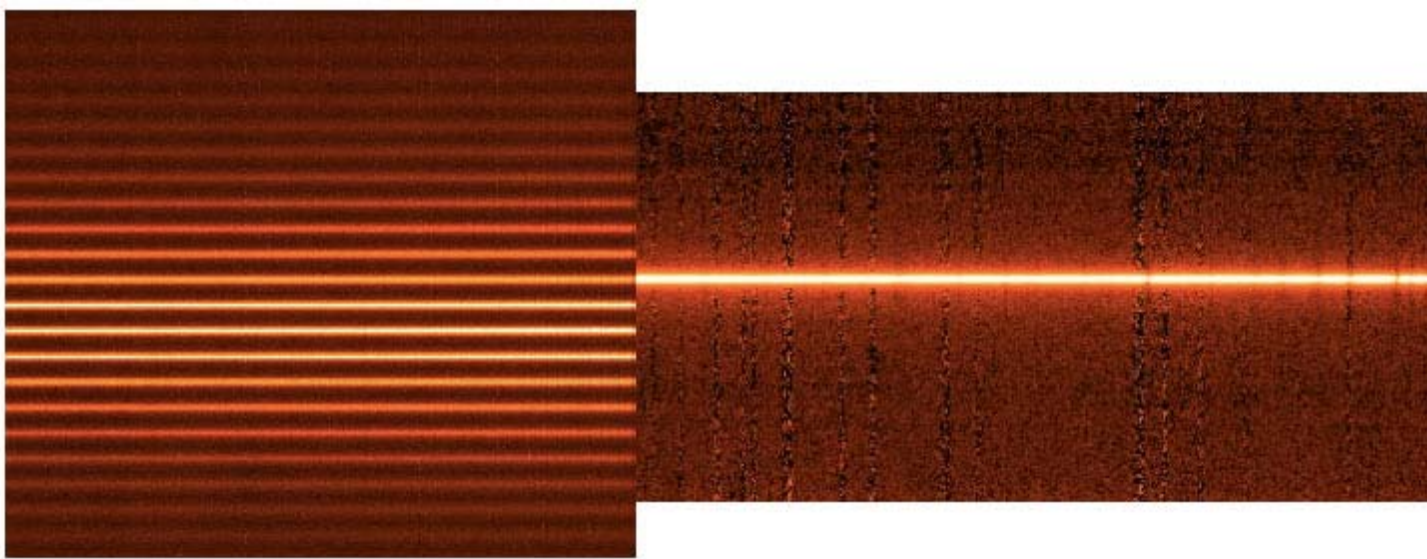
Calibration of the Reverberation Mass Scale Using $M_{\text{BH}}-\sigma_*$

$$M = f (c\tau_{\text{cent}}\sigma^2 / G)$$

- Determine scale factor $\langle f \rangle$ that matches AGNs to the quiescent-galaxy $M_{\text{BH}}-\sigma_*$ relationship
- First estimate:
 $\langle f \rangle = 5.5 \pm 1.8$

Onken et al. 2004





Long-slit spectrum

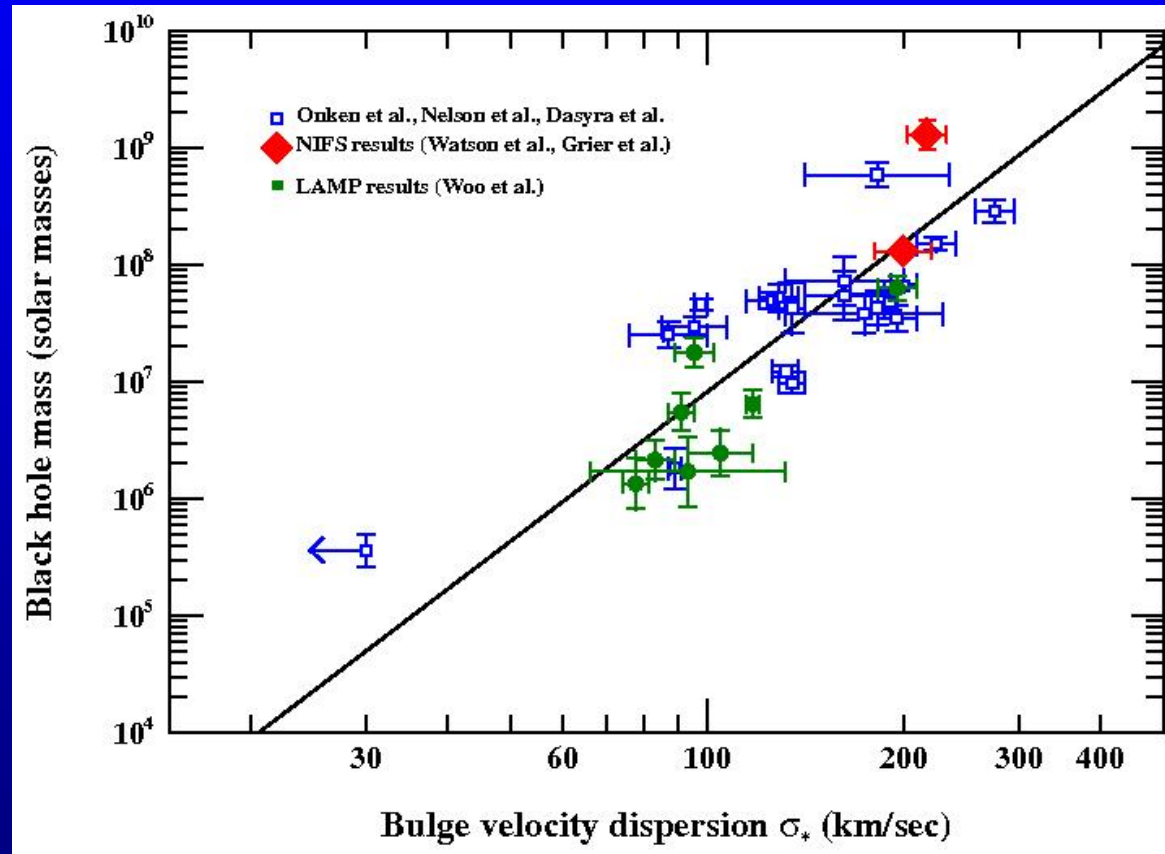
IFU+AO

Calibration of the Reverberation Mass Scale Using $M_{\text{BH}}-\sigma_*$

$$M = f (c\tau_{\text{cent}}\sigma^2 / G)$$

- Determine scale factor $\langle f \rangle$ that matches AGNs to the quiescent-galaxy $M_{\text{BH}}-\sigma_*$ relationship
- Recent estimate: $\langle f \rangle = 5.25 \pm 1.21$

Woo et al. 2010

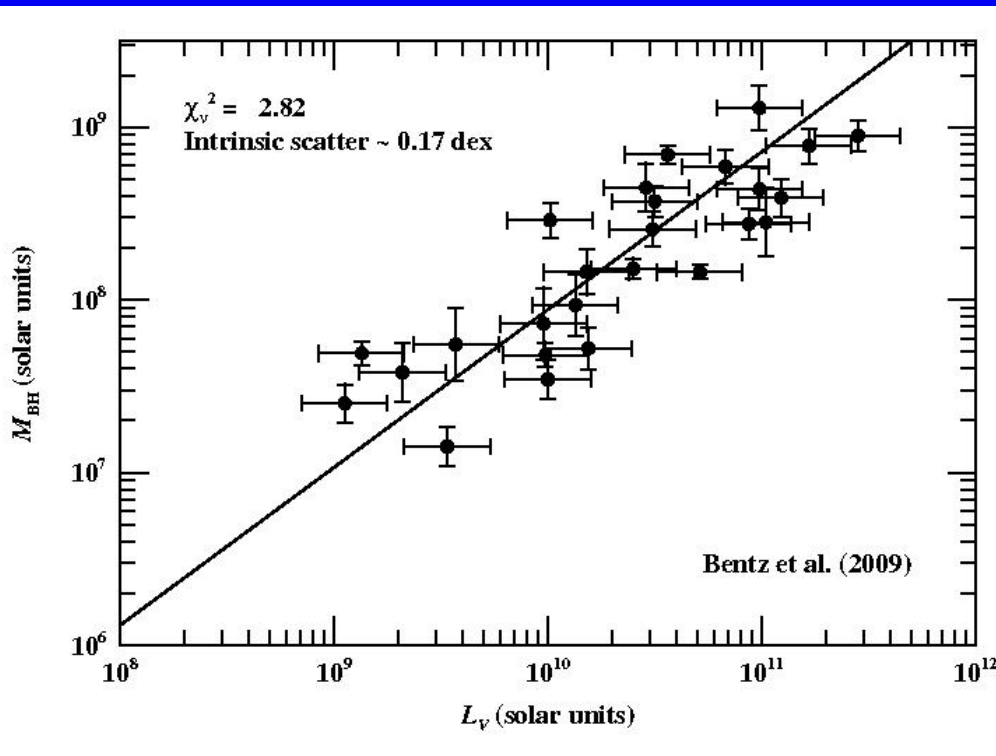


Intrinsic scatter: $\Delta \log M_{\text{BH}} \sim 0.40$ dex (Peterson 2010)

~ 0.44 dex (Woo+2010)

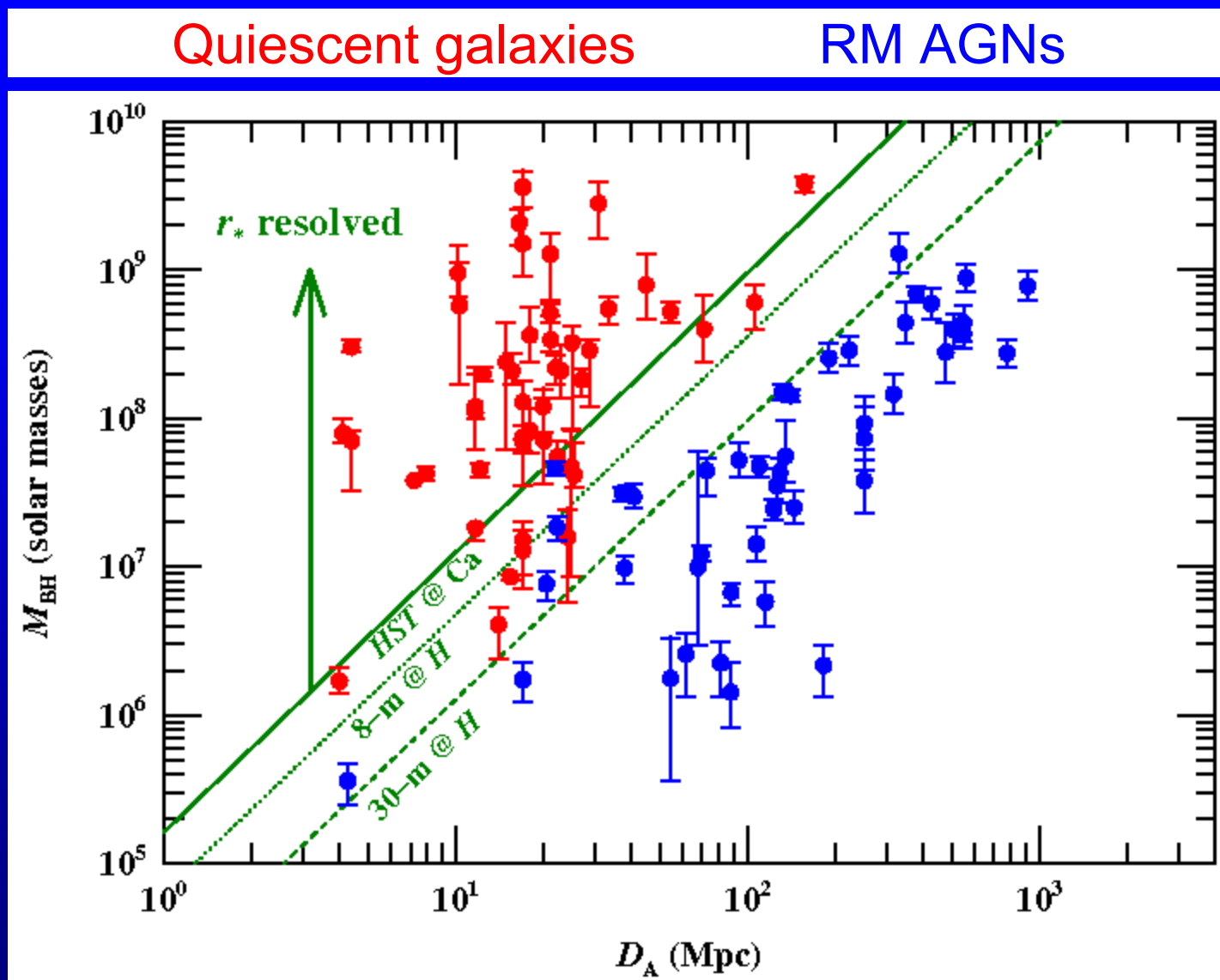
~ 0.38 dex (Gültekin+2009)

The AGN $M_{\text{BH}}-L_{\text{bulge}}$ Relationship

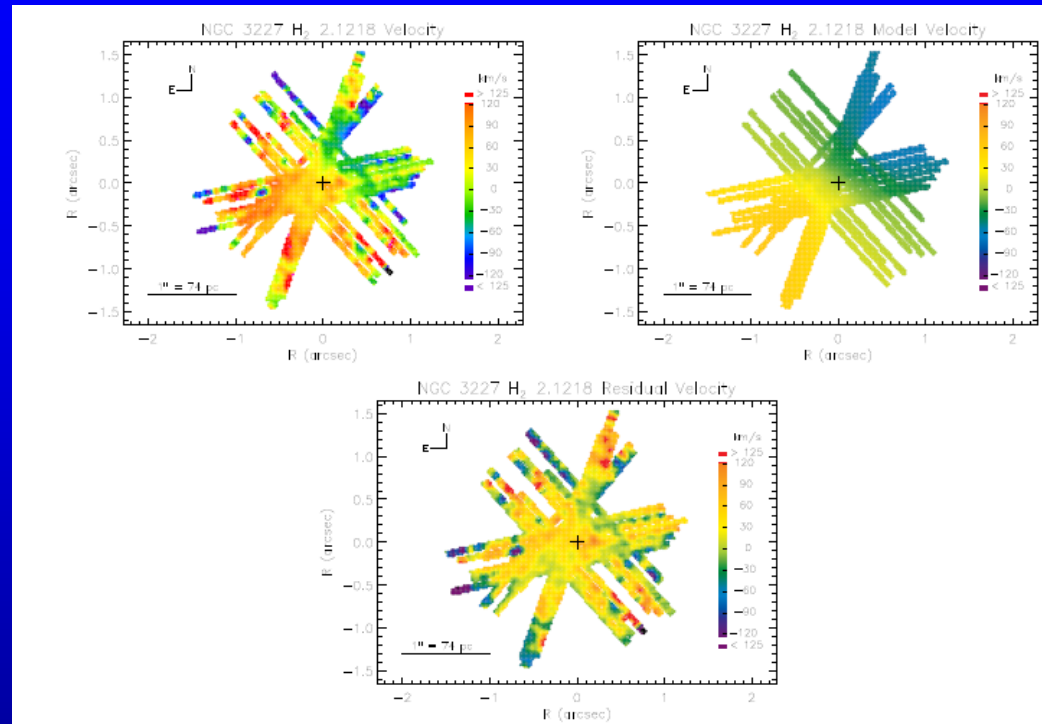
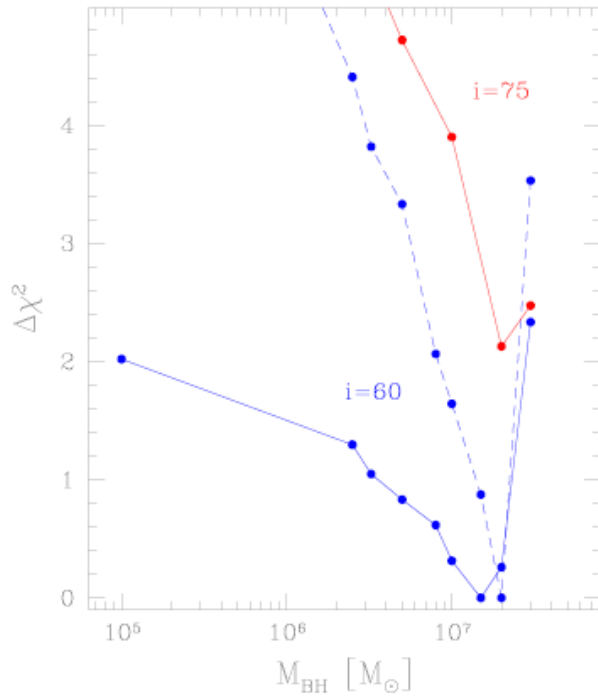


- Line shows best-fit to quiescent galaxies
Gültekin et al. 2009
- Maximum likelihood gives upper limit to intrinsic scatter
 $\Delta \log M_{\text{BH}} \sim 0.17$ dex.
 - Smaller than quiescent galaxies ($\Delta \log M_{\text{BH}} \sim 0.38$ dex).

Stellar and gas dynamics requires resolving the black hole radius of influence r_*



Direct Comparison: NGC 3227



Davies et al. (2006)

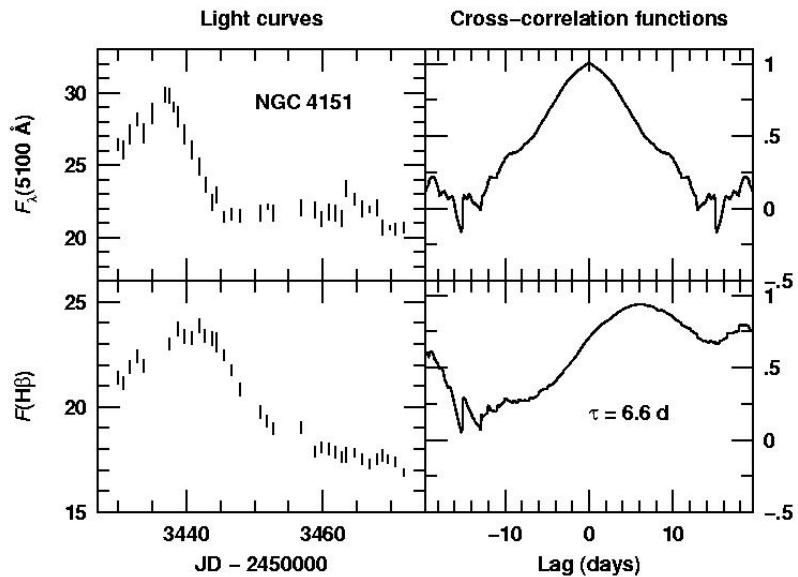
Hicks & Malkan (2008)

Stellar dynamics: $(7 - 20) \times 10^6 M_{\odot}$ (Davies et al. 2006)

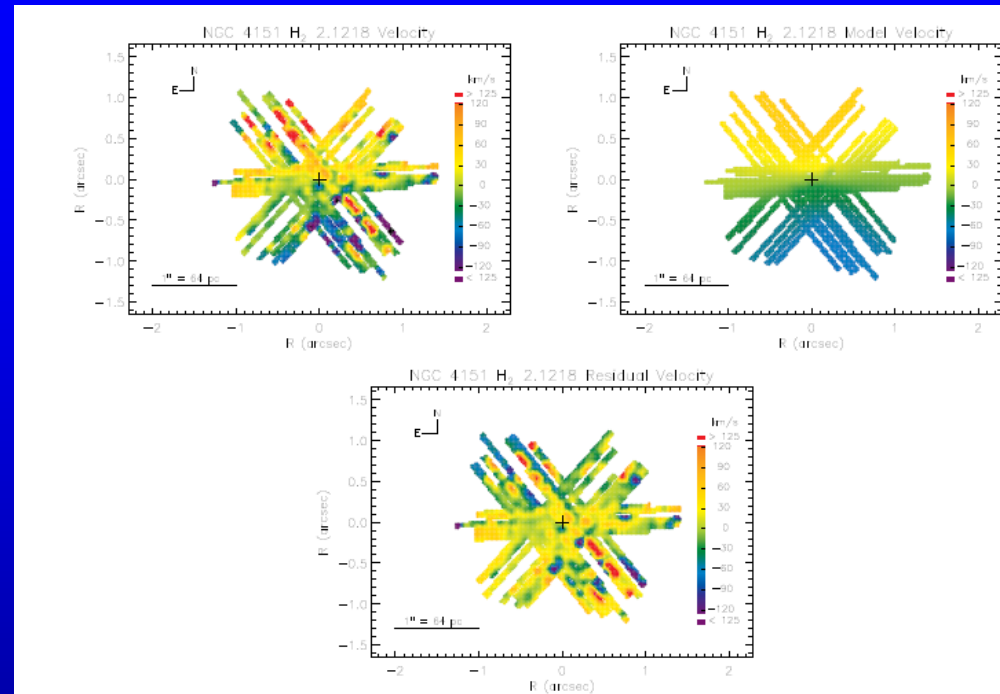
Reverberation: $7.63^{+1.62}_{-1.72} \times 10^6 M_{\odot}$ (Denney et al. 2009)

Gas dynamics: $20^{+10}_{-4} \times 10^6 M_{\odot}$ (Hicks & Malkan 2008)

Direct Comparison: NGC 4151



Bentz et al. (2006)



Hicks & Malkan (2008)

- Stellar dynamics: $\leq 70 \times 10^6 M_\odot$ (Onken et al. 2007)
- Reverberation: $(46 \pm 5) \times 10^6 M_\odot$ (Bentz et al. 2006)
- Gas dynamics: $30^{+7.5}_{-22} \times 10^6 M_\odot$ (Hicks & Malkan 2008)

Masses of Black Holes in AGNs

- Megamaser sources are rare.
 - NGC 4258 is (almost) unique.
- Stellar and gas dynamics requires higher angular resolution to proceed further.
 - Even a 30-m telescope will not vastly expand the number of AGNs with a resolvable r_*
- Reverberation is the future path for direct AGN black hole masses.
 - Trade time resolution for angular resolution.
 - Downside: resource intensive.
- To significantly increase number of measured masses, we need to go to secondary methods.

BLR Scaling with Luminosity

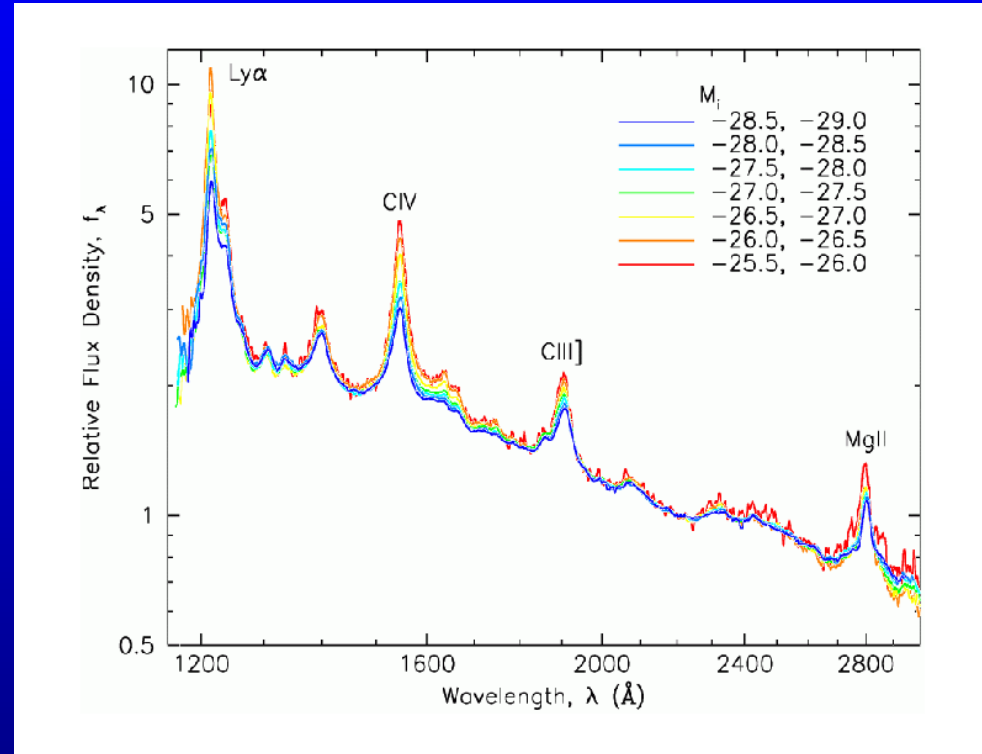
- To first order, AGN spectra look the same

$$U = \frac{Q(\text{H})}{4\pi r^2 n_{\text{H}} c} \propto \frac{L}{n_{\text{H}} r^2}$$

⇒ Same ionization parameter U

⇒ Same density n_{H}

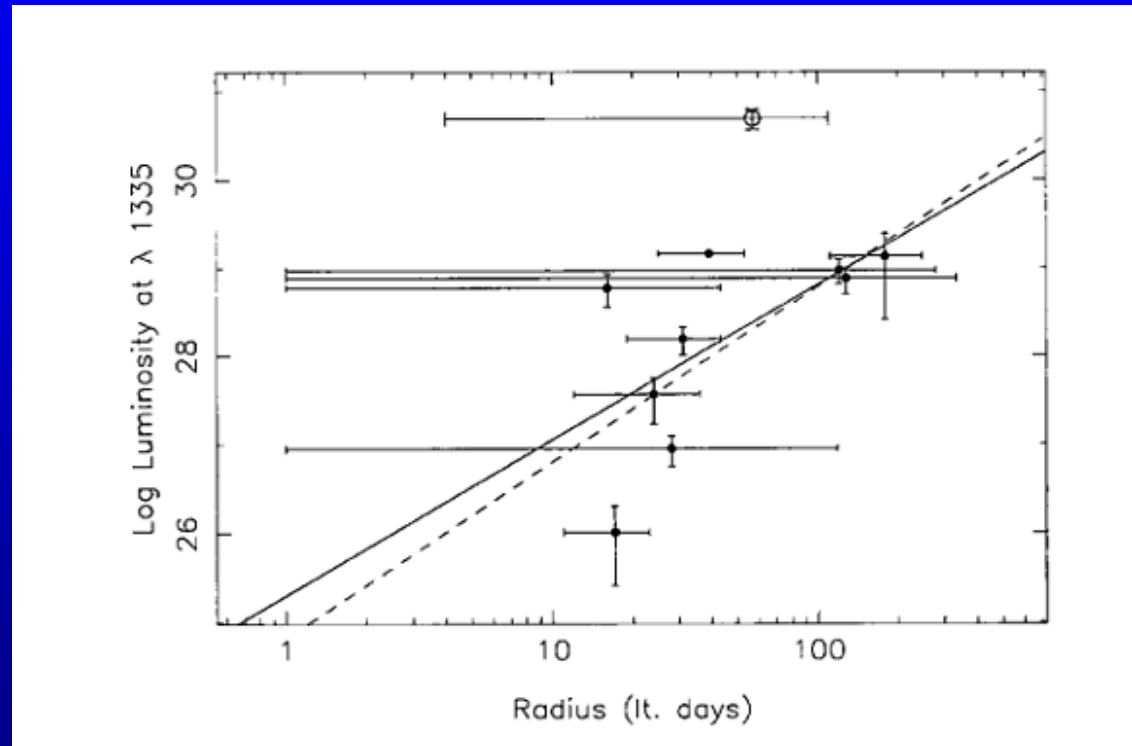
$$r \propto L^{1/2}$$



SDSS composites, by luminosity
Vanden Berk et al. (2004)

BLR Radius-Luminosity Relationship

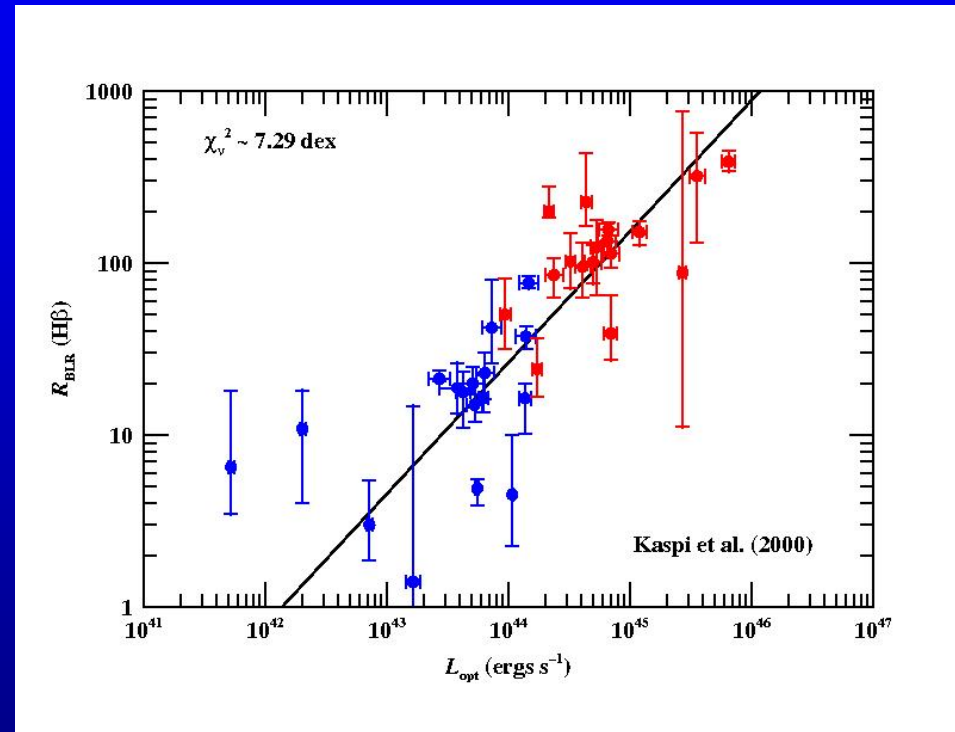
- $R \propto L^{1/2}$
relationship was anticipated long before it was well-measured.



Koratkar & Gaskell 1991

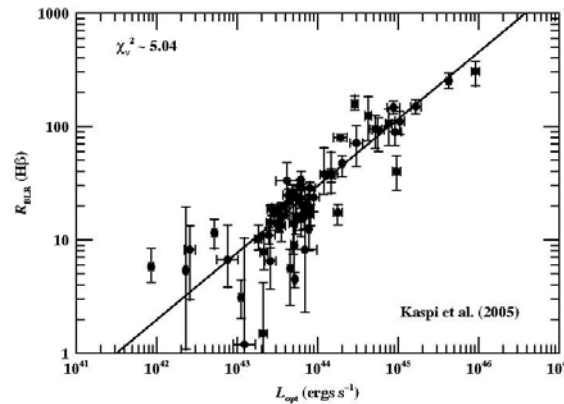
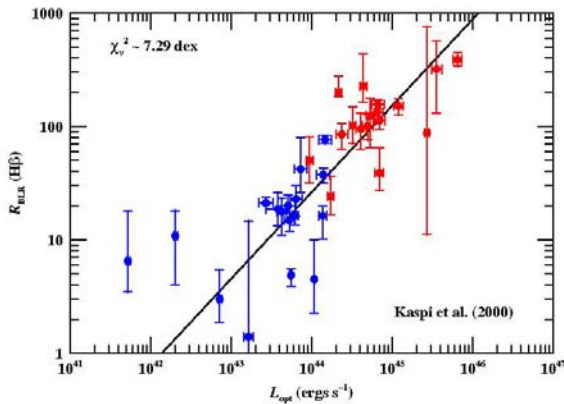
BLR Radius-Luminosity Relationship

- Kaspi et al. (2000) succeeded in observationally defining the R - L relationship
 - Increased luminosity range using PG quasars
 - PG quasars are bright compared to their hosts



Kaspi et al. 2000

Progress in Determining the Radius-Luminosity Relationship



Original PG + Seyferts
(Kaspi et al. 2000)

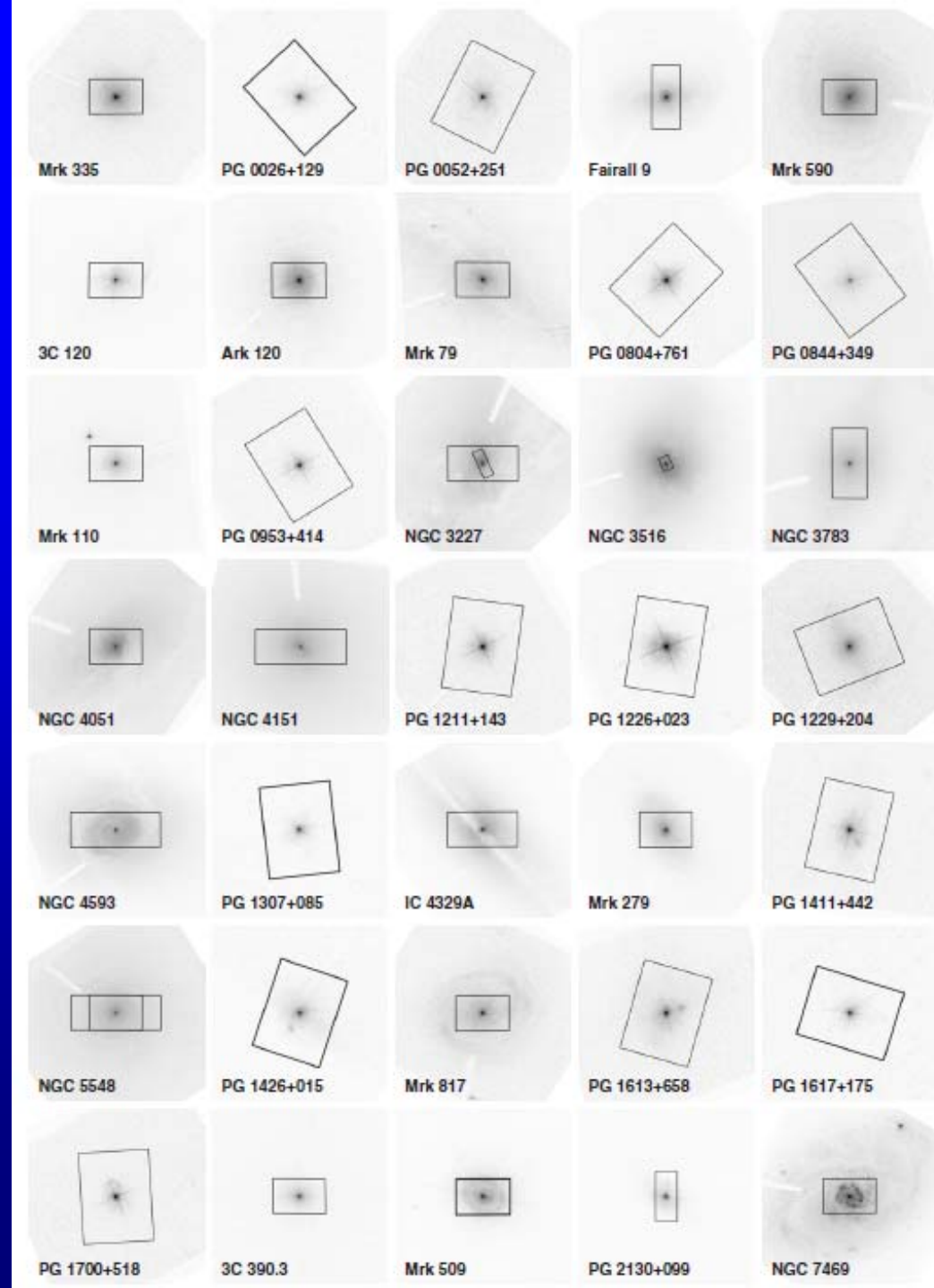
$$\chi^2 \approx 7.29$$
$$R(\text{H}\beta) \propto L^{0.76}$$

Expanded, reanalyzed
(Kaspi et al. 2005)

$$\chi^2 \approx 5.04$$
$$R(\text{H}\beta) \propto L^{0.59}$$

Aperture Geometries for Reverberation- Mapped AGNs

- Large apertures mitigate seeing effects.
- They also admit a lot of host galaxy starlight!

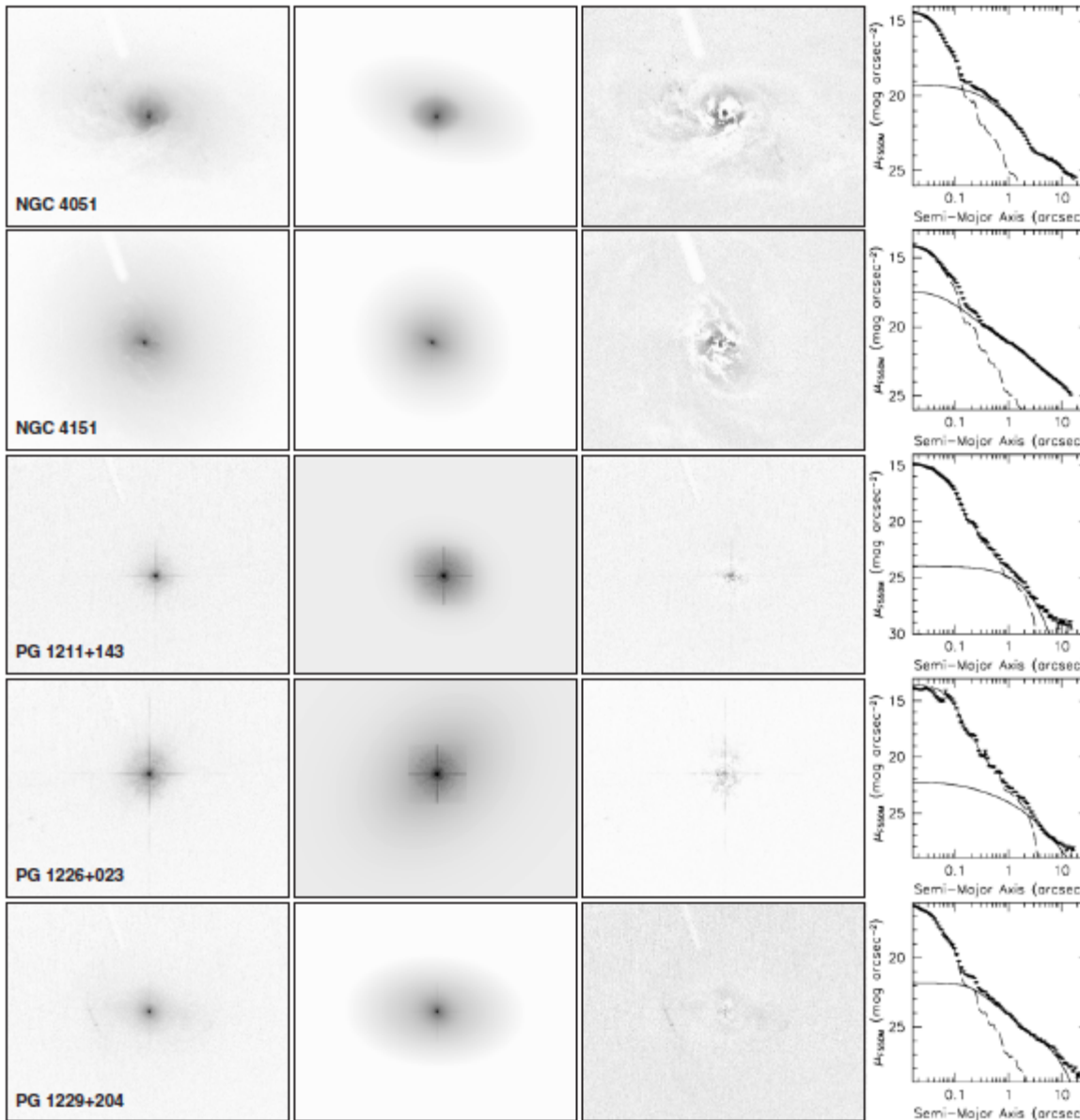


Image

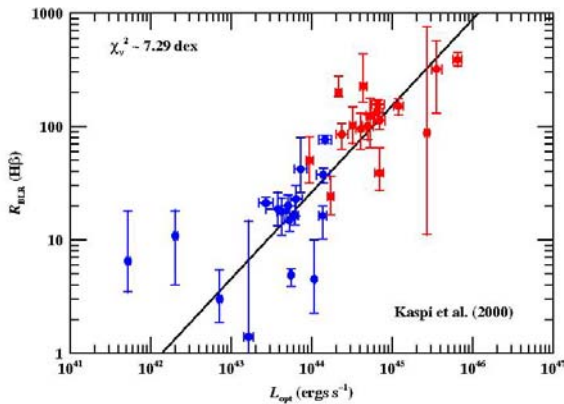
Model

Residual

Profile



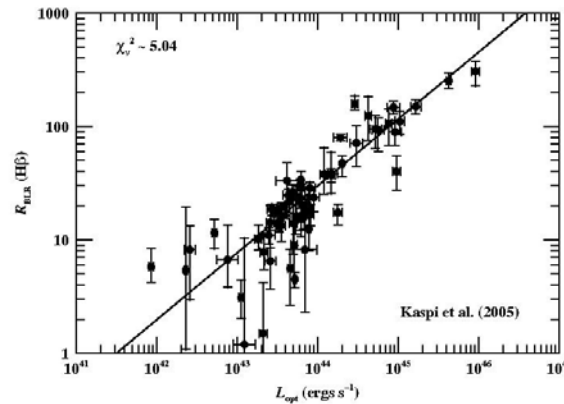
Progress in Determining the Radius-Luminosity Relationship



Original PG + Seyferts
(Kaspi et al. 2000)

$$\chi^2 \approx 7.29$$

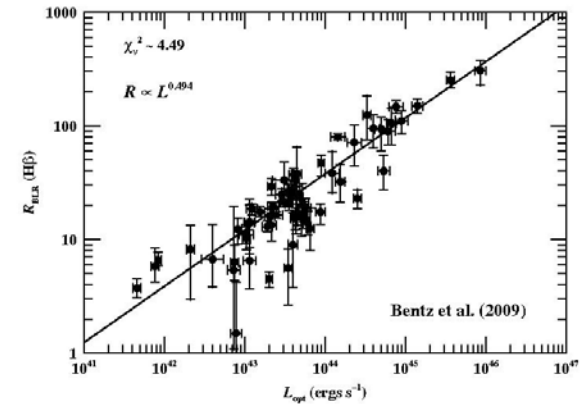
$$R(\text{H}\beta) \propto L^{0.76}$$



Expanded, reanalyzed
(Kaspi et al. 2005)

$$\chi^2 \approx 5.04$$

$$R(\text{H}\beta) \propto L^{0.59}$$



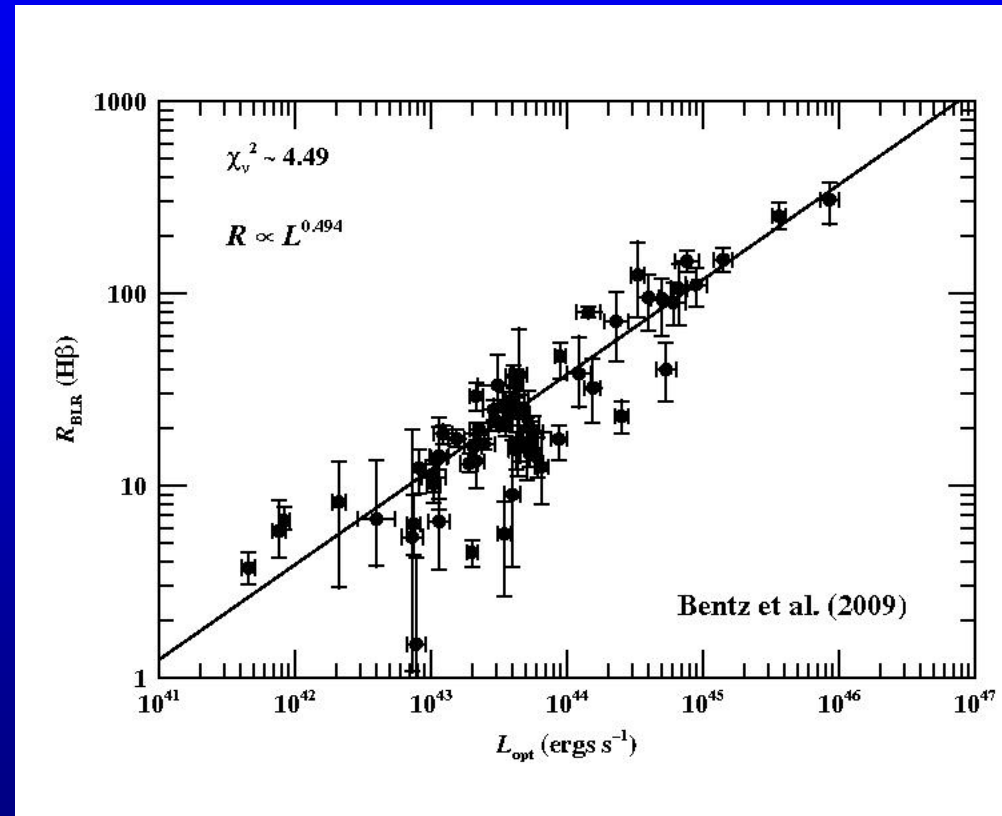
Starlight removed,
improvements to database
(Bentz et al. 2009)

$$\chi^2 \approx 4.49$$

$$R(\text{H}\beta) \propto L^{0.49}$$

BLR Radius-Luminosity Relationship

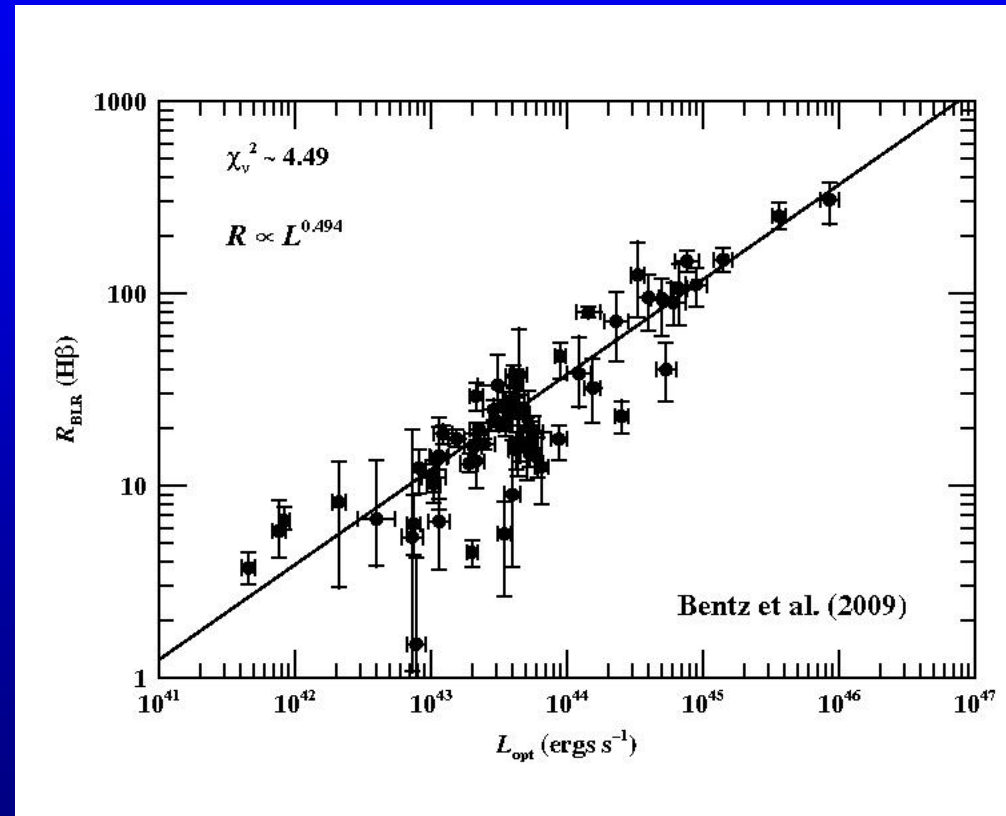
- Slope of the improved relationship is now consistent with $R \propto L^{1/2}$.
- We can use the R - L relationship to determine the BLR radius from luminosity, thus bypassing reverberation.



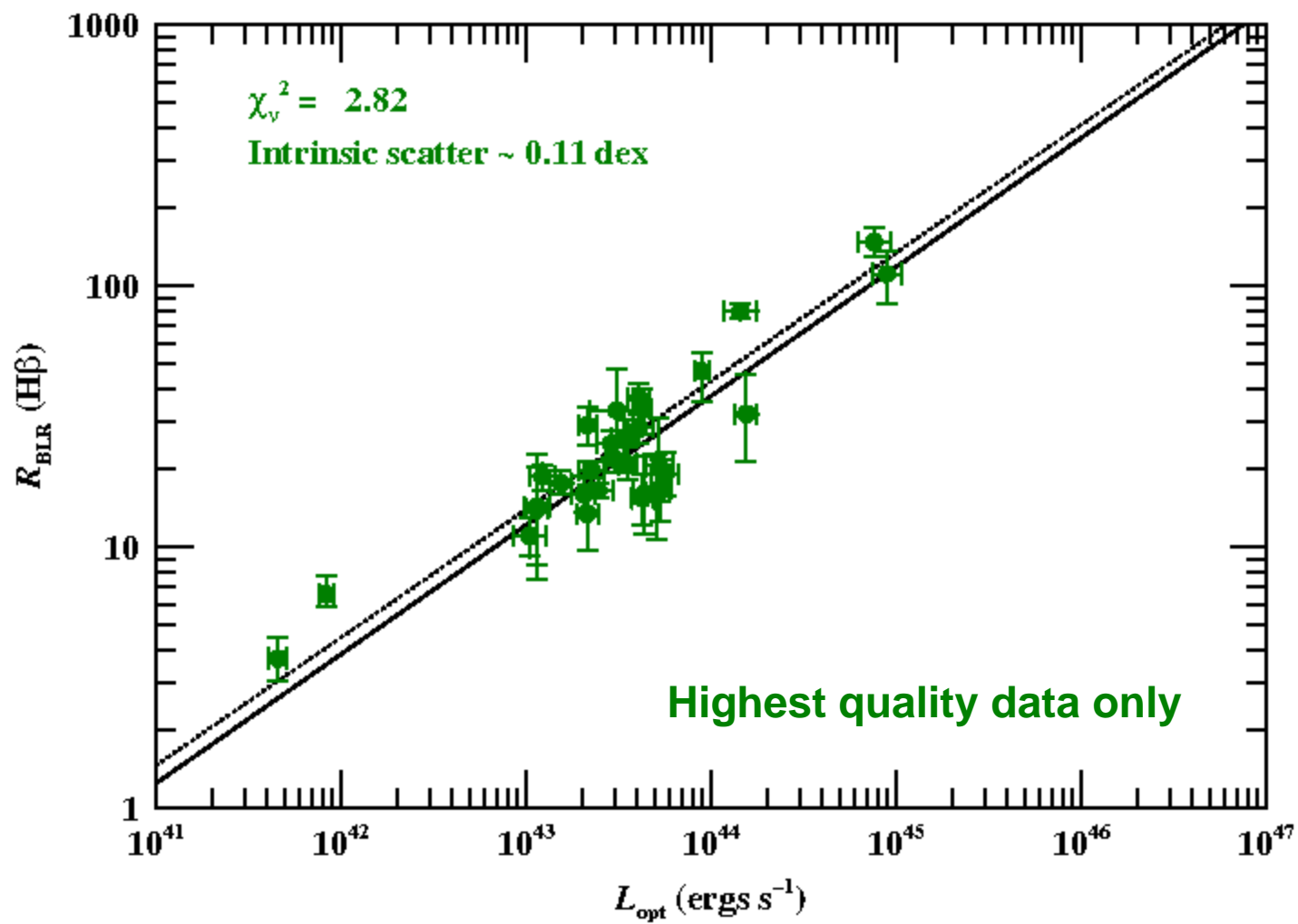
Bentz et al. 2009

How Much Intrinsic Scatter?

- Fundamental limit on accuracy of masses based on $R-L$.
- Dictates future observing strategy:
 - If intrinsic scatter is large, need reverberation programs on many more targets to overcome statistics.
 - If scatter is small, win with better reverberation data on fewer objects.



Bentz et al. 2009

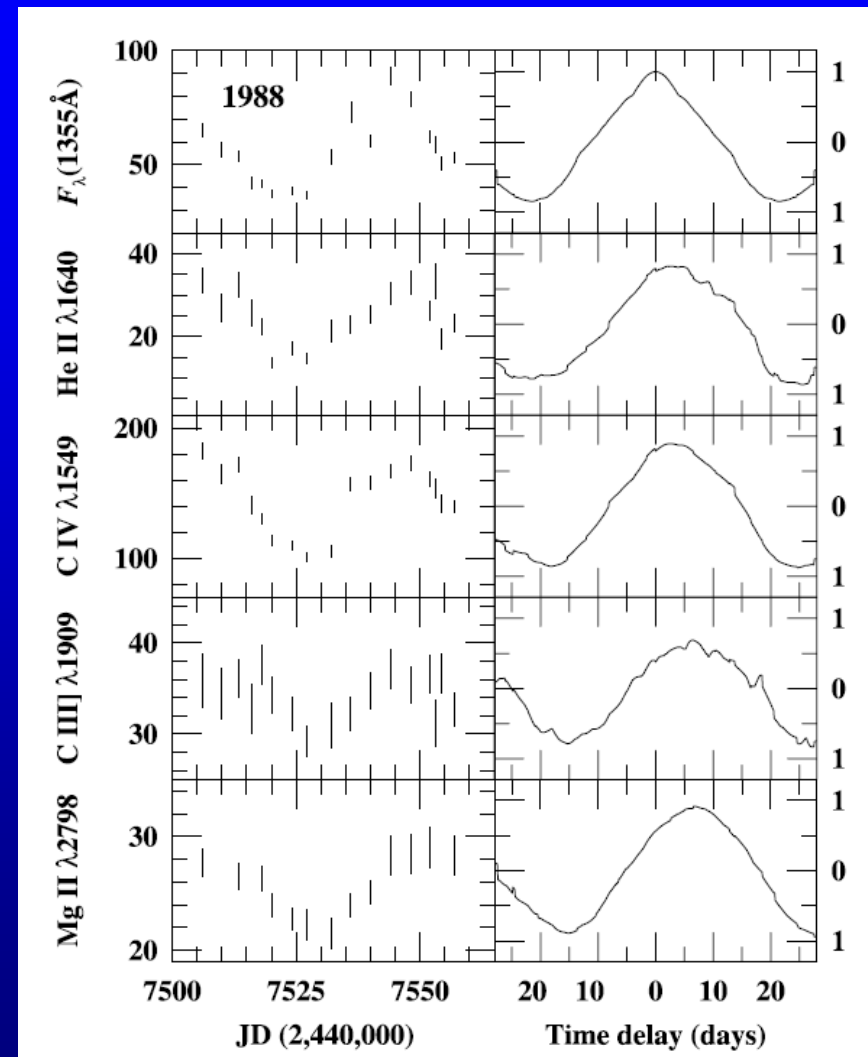


R-L Relationship

- Intrinsic scatter ~ 0.11 dex
- Typical error bars on best reverberation data ~ 0.09 dex
- Conclusion: for $H\beta$ over the calibrated range ($41.5 \leq \log L_{5100} \text{ (ergs s}^{-1}\text{)} \leq 45$ at $z \approx 0$), *R-L* is as effective as reverberation.
- To go to higher redshift, we need to use rest-UV lines instead of Balmer lines.

R-L Relationship for Mg II λ 2798

- Little reverberation data on Mg II λ 2798
 - Existing lag data ambiguous, particularly those that are contemporaneous with Balmer lines.
 - Relies on assumption that Mg II arises co-spatially with Balmer lines.

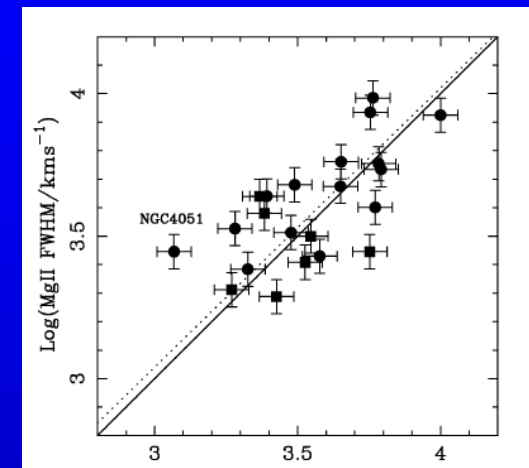


R-L Relationship for Mg II $\lambda 2798$

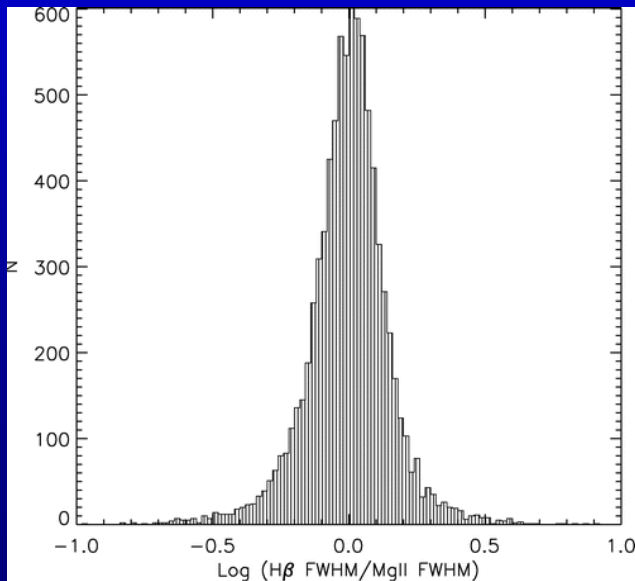
- From SDSS spectra, Shen et al. (2008) find

$$\log \left[\frac{\text{FWHM}(\text{H}\beta)}{\text{FWHM}(\text{Mg II})} \right] = 0.0062 \text{ dex}$$

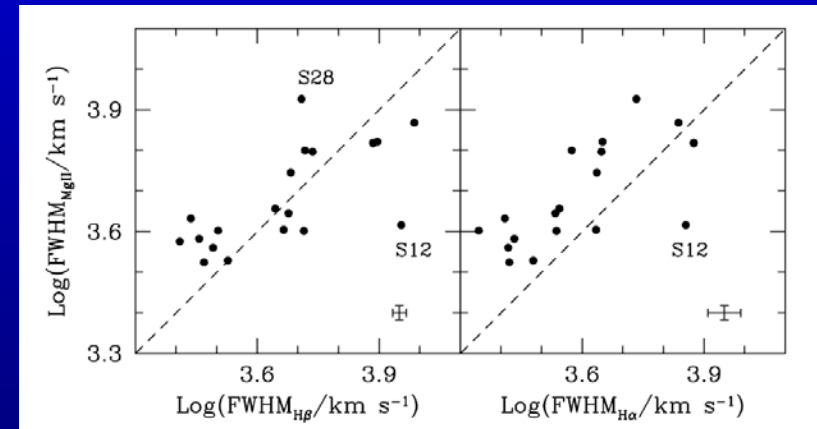
with scatter ~ 0.11 dex.



McLure & Jarvis (2002)



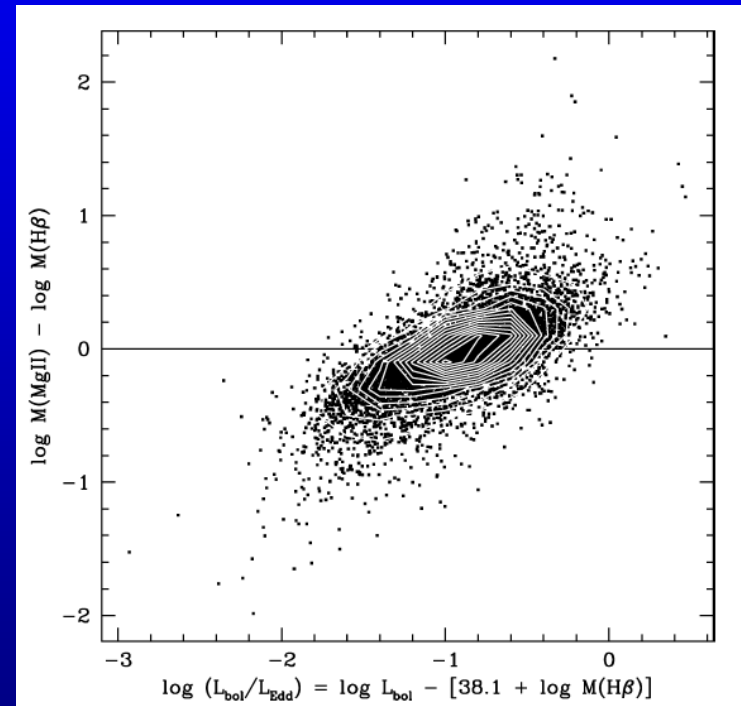
Shen et al. (2008)



McGill et al. (2008)

R-L Relationship for Mg II $\lambda 2798$

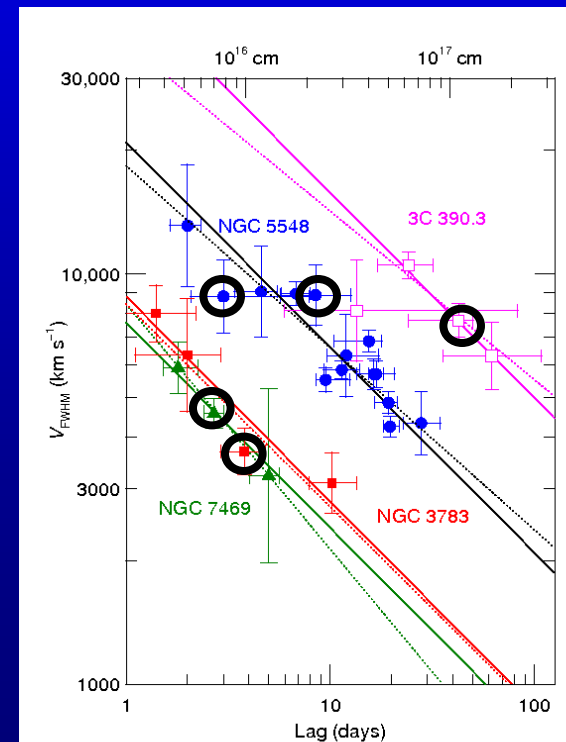
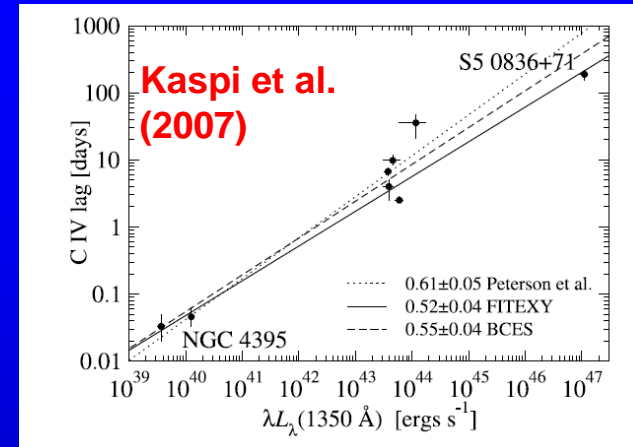
- Onken & Kollmeier find that the line width ratio has dependence on Eddington ratio and is correctable.



Onken & Kollmeier 2008

R-L Relationship for C IV $\lambda 1549$

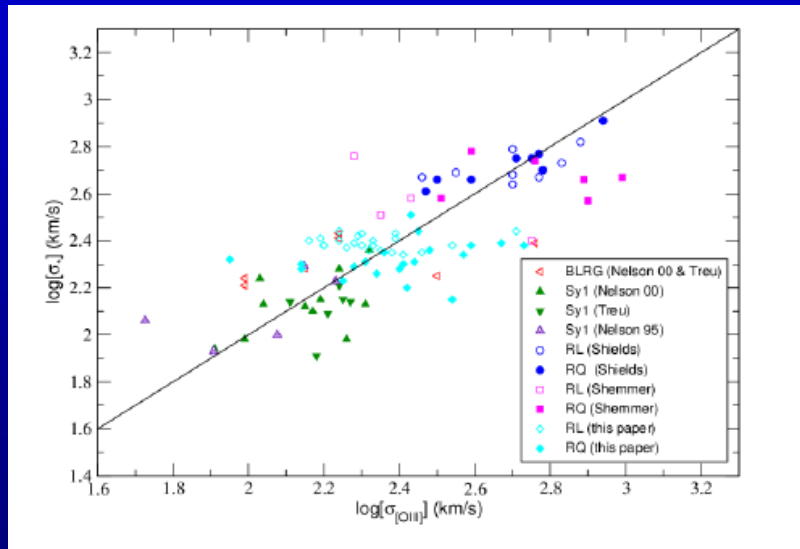
- First used by Vestergaard (2002) to estimate BH masses at high-z.
- Pros:
 - Limited data suggest same *R-L* slope as H β (despite Baldwin Effect).
 - Consistent with virial relationship, at least in low-luminosity AGNs.
- Cons:
 - Often strong absorption, usually in blue wing.
 - Extended bases (outflows), especially in NLS1s.



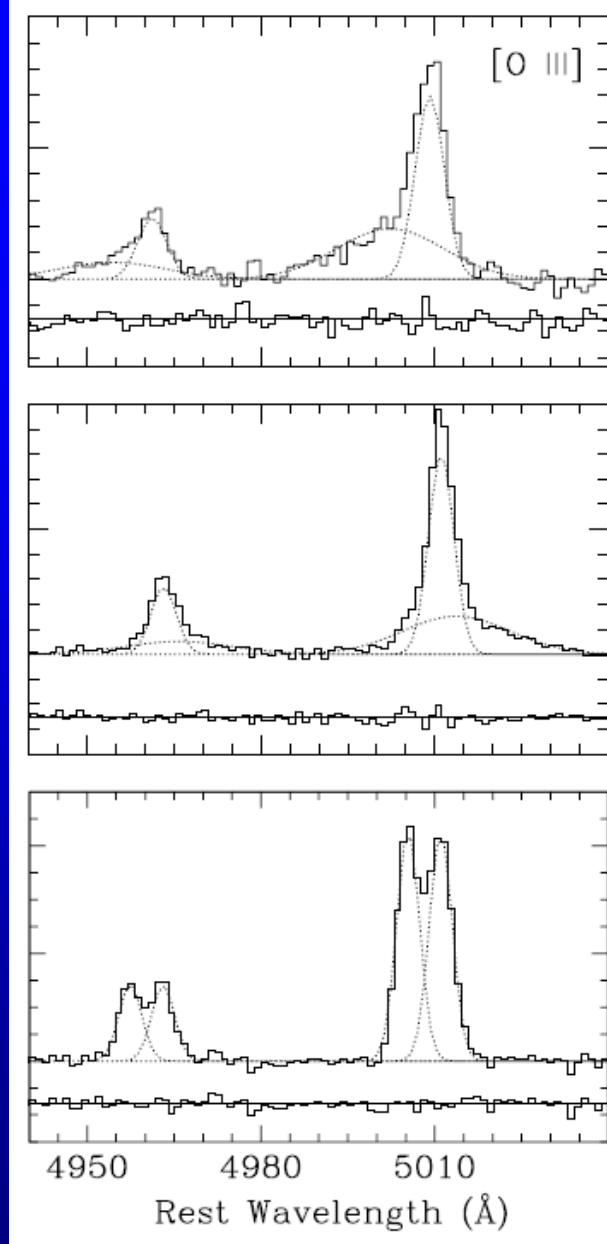
Other Scaling Relationships

- The width of the narrow [O III] $\lambda 5007$ line can be used as a surrogate for the stellar velocity dispersion.
- Intrinsic scatter: 0.10 – 0.15 dex.

Bonning et al. 2005, Gaskell 2009



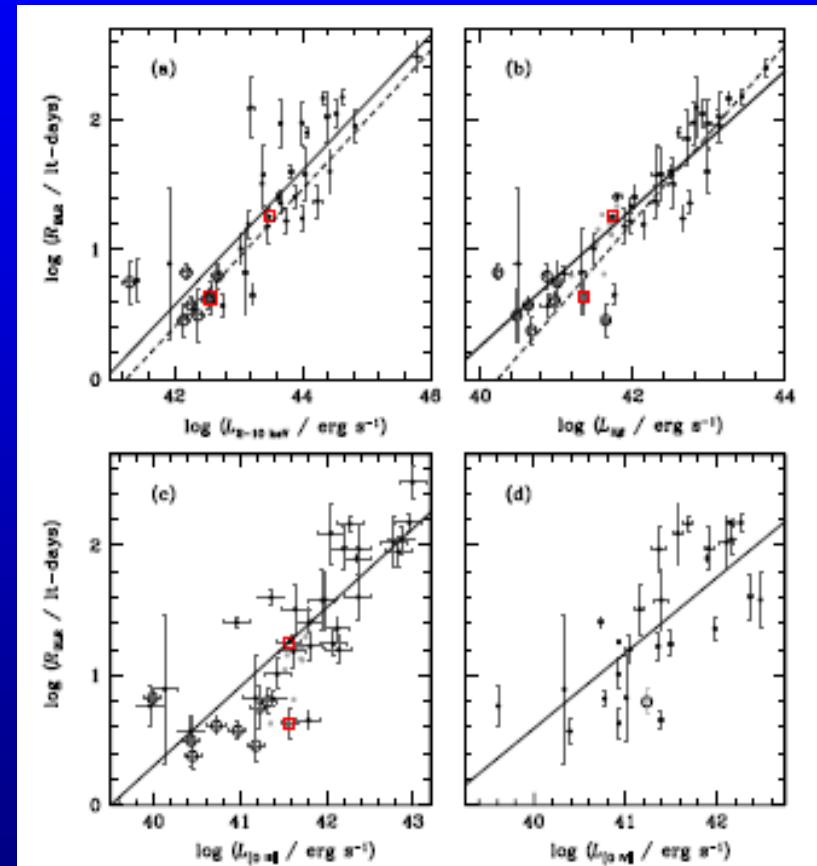
Bonning et al. 2005



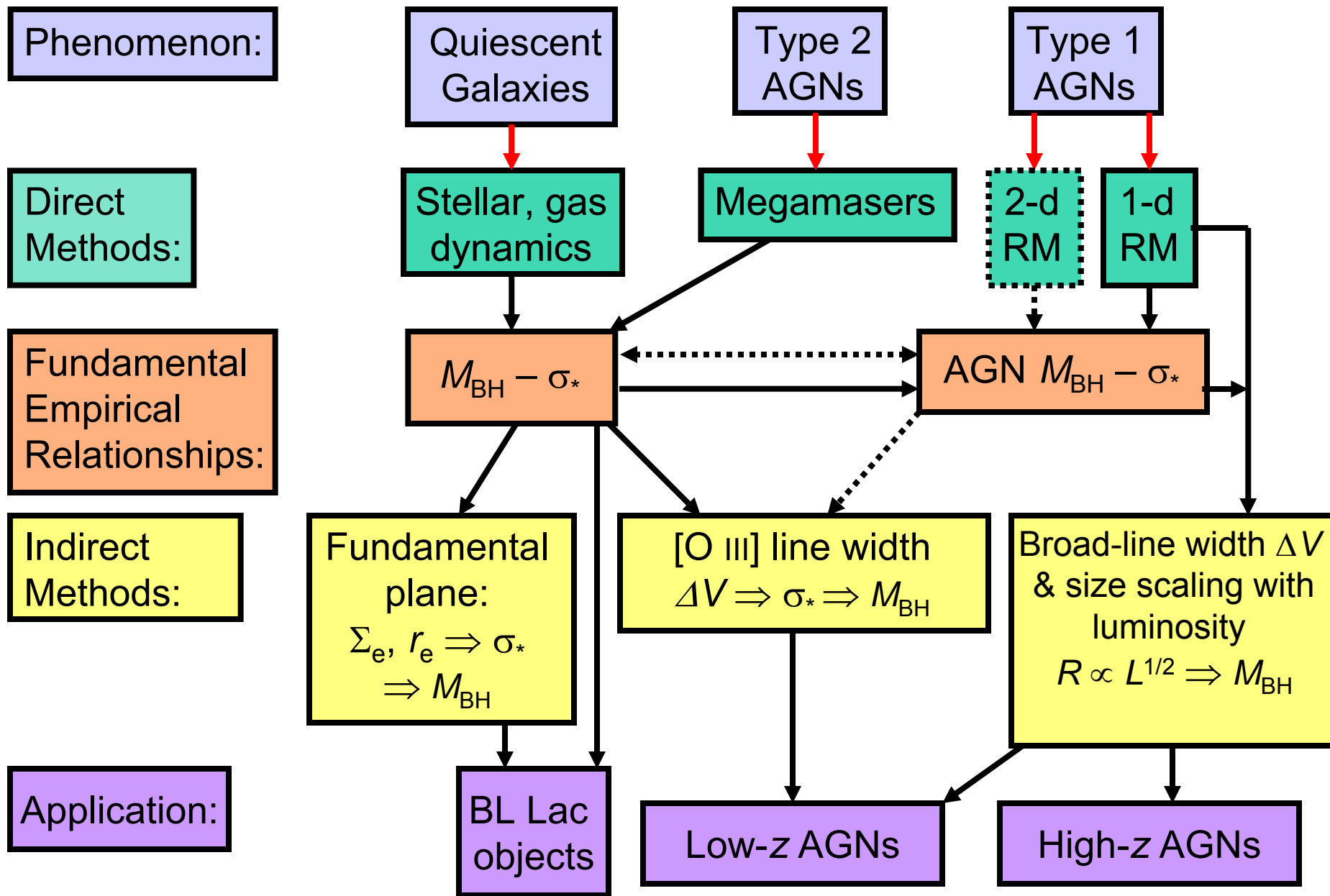
Greene & Ho 2005

Other Scaling Relationships

- There are other luminosity indicators that can be used as proxies for R_{BLR} :
 - 2-10 keV flux. Scatter: 0.26 dex
 - Flux $\text{H}\beta$ broad component. Scatter: 0.22 dex.
 - Flux $[\text{O III}] \lambda 5007$. Scatter: 0.29 dex.
 - Flux $[\text{O IV}] \lambda 25.8\mu\text{m}$. Scatter: 0.35 dex.
- These are useful when uncontaminated continuum is difficult or impossible to measure.



Measurement of Central Black Hole Masses: The Mass Ladder



Scaling Relationships: Use with Caution

- When you think you're measuring mass, you're really measuring

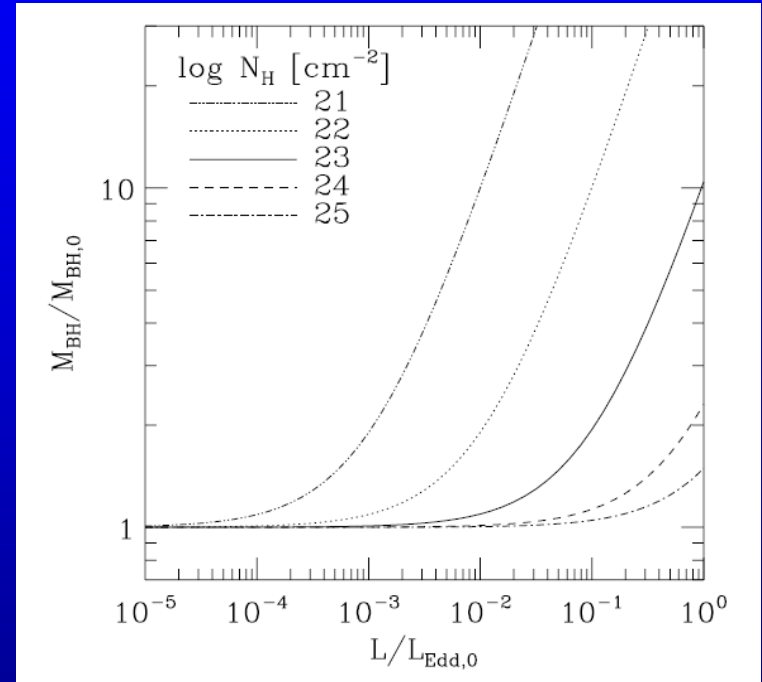
$$M_{\text{BH}} \propto R(\Delta V^2) \propto L^{1/2}(\Delta V^2)$$

- When you think you're measuring Eddington ratio, you're really measuring

$$L/L_{\text{Edd}} \propto L/M_{\text{BH}} \propto L/L^{1/2}(\Delta V^2) \propto L^{1/2}/\Delta V^2$$

Possible Importance of Radiation Pressure

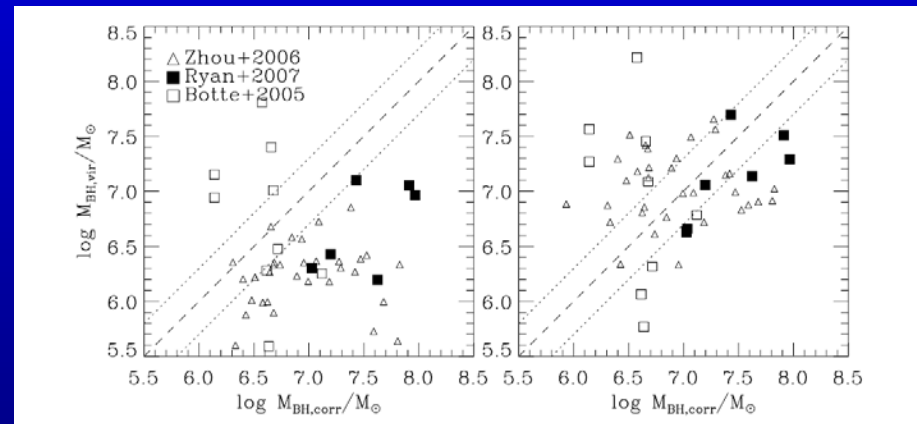
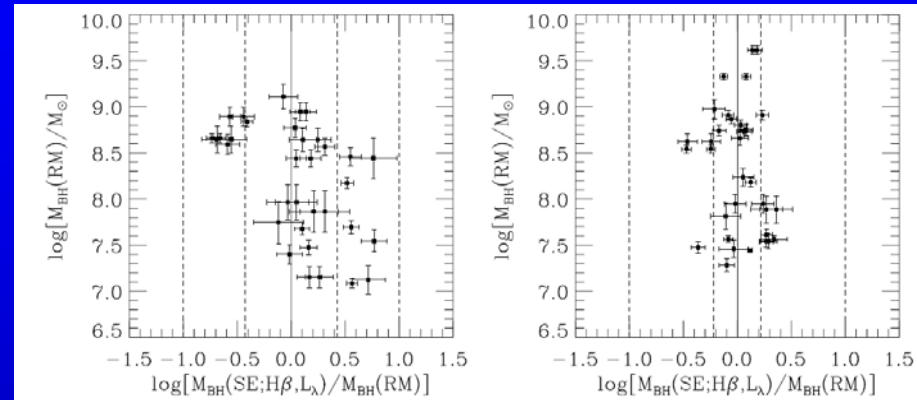
- Marconi et al. suggest that BH masses are underestimated because of failure to account for radiation pressure.
 - Important if BLR clouds have column densities $\leq 10^{23} \text{ cm}^{-2}$.



Marconi et al. (2008)

Possible Importance of Radiation Pressure

- Differences between RM and $R-L$ masses decreases with radiation correction.
- NLS1s lie closer to the $M_{\text{BH}}-\sigma_*$ relationship

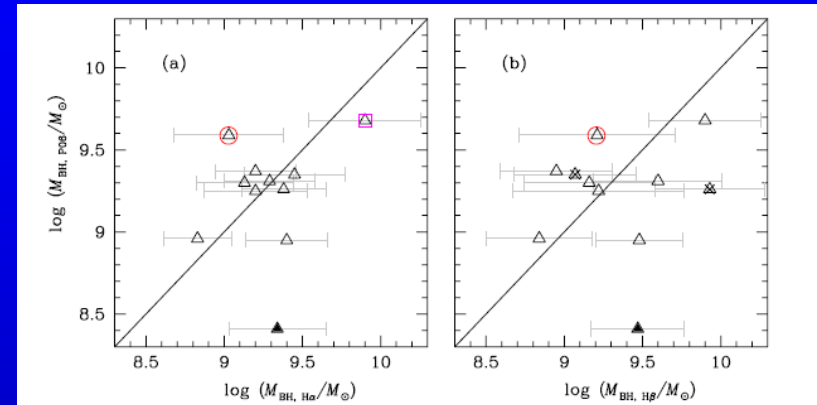


No correction

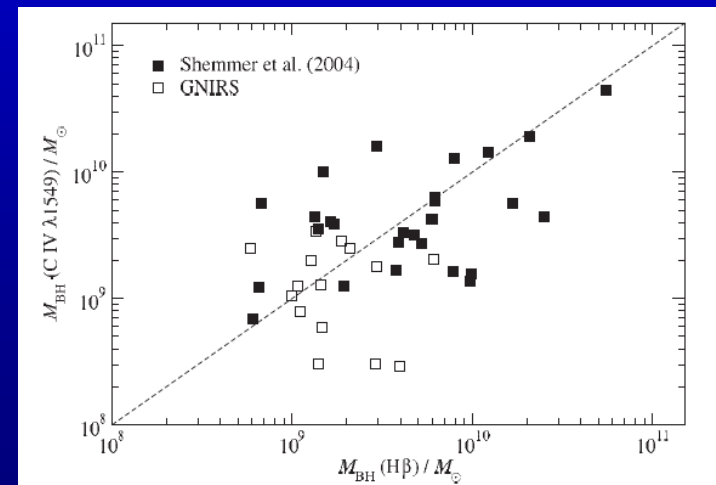
With correction

Can CIV-Based Masses Be Trusted?

- Some claims in the literature that, while masses based on C IV and Balmer lines seem to be correlated, there is much scatter.
- There are two issues:
 - Signal-to-noise S/N
 - Color dependence



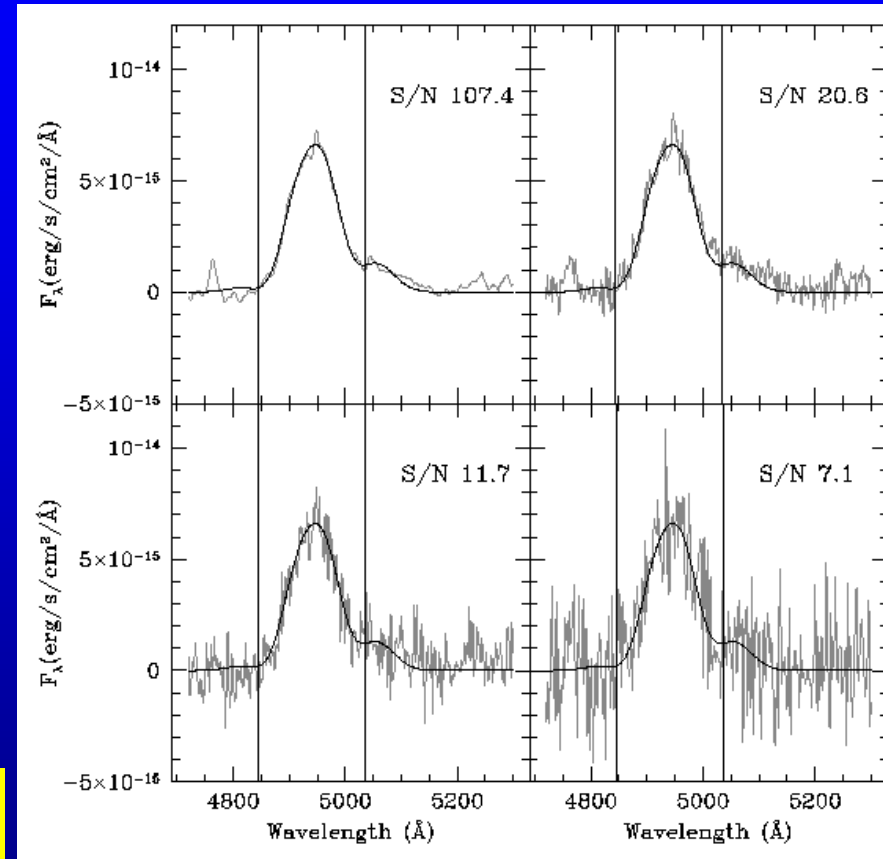
Green, Peng, & Ludwig 2010



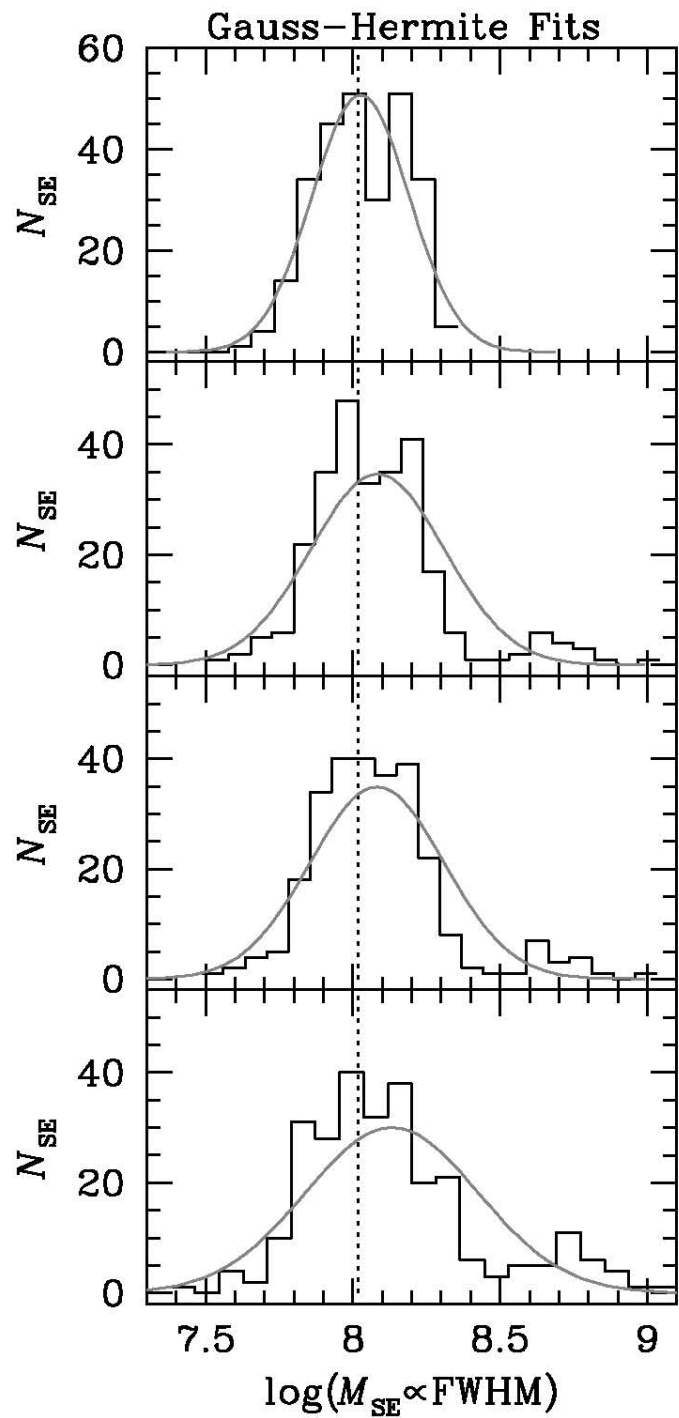
Netzer et al. 2007

S/N Issue

- Accurate measurement of line widths becomes problematic at $S/N < 10$.
 - Error distribution becomes skewed and non-normal.
 - At very low S/N , the number of outliers (masses off by an order or magnitude or more) increases significantly.
- Claims that C IV cannot be used for BH masses are based on low- S/N spectra.



Denney et al. 2009

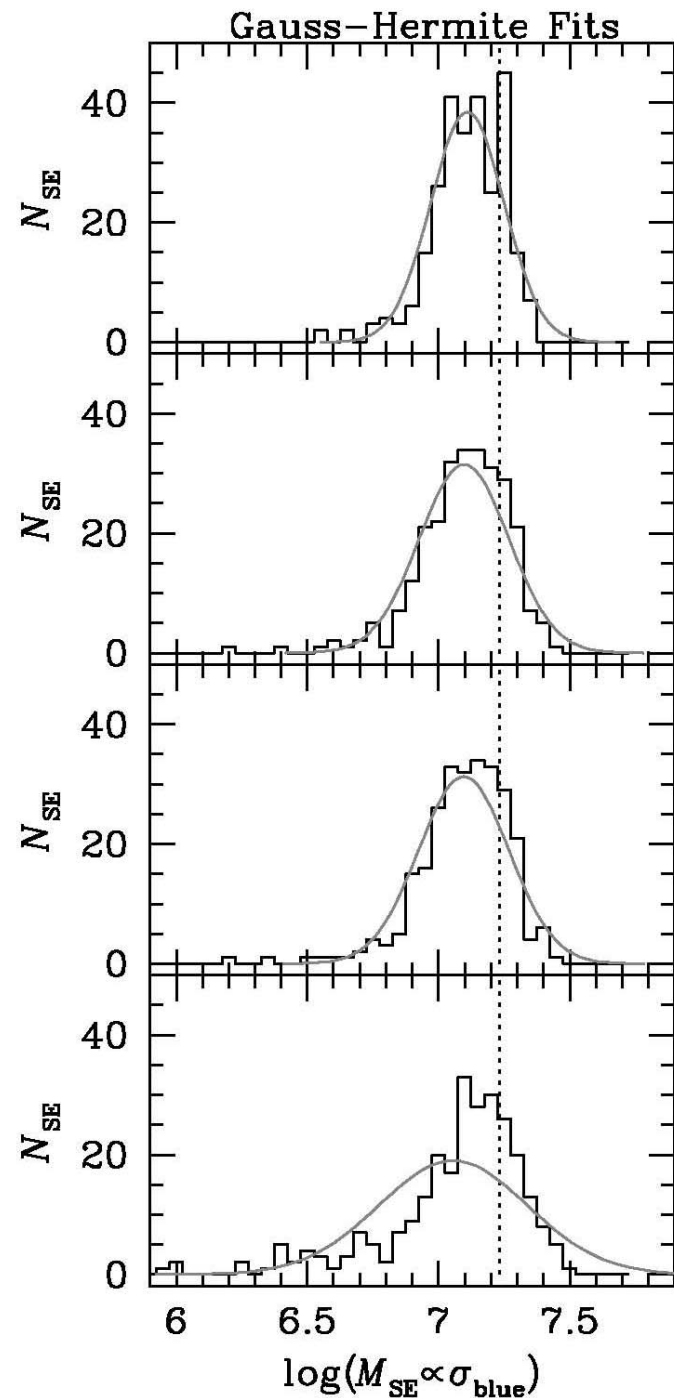


original

$S/N \sim 20$

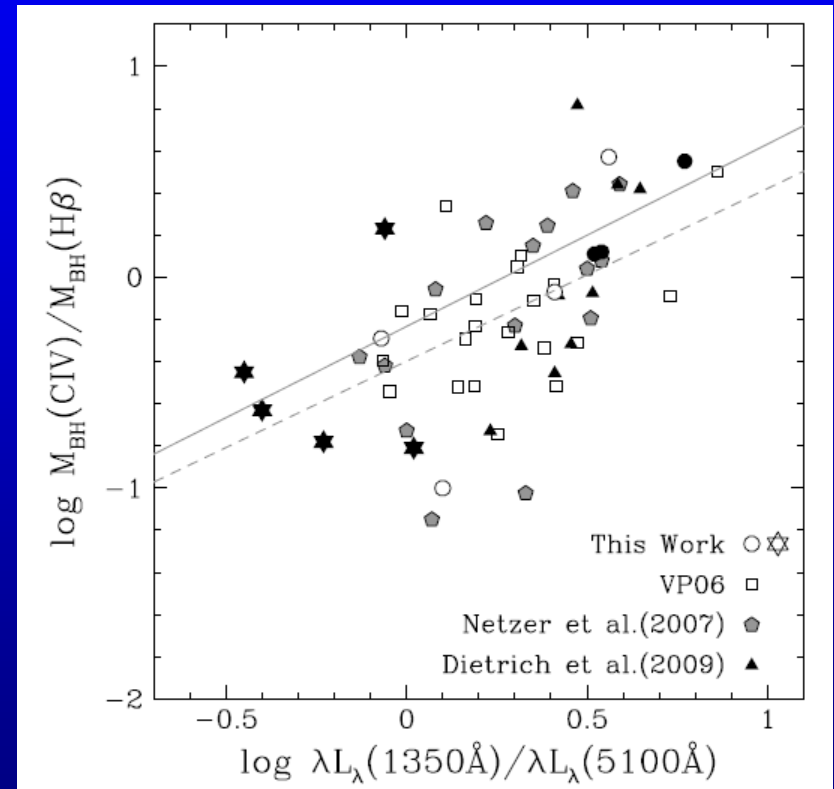
$S/N \sim 10$

$S/N \sim 5$



Color Dependence Issue

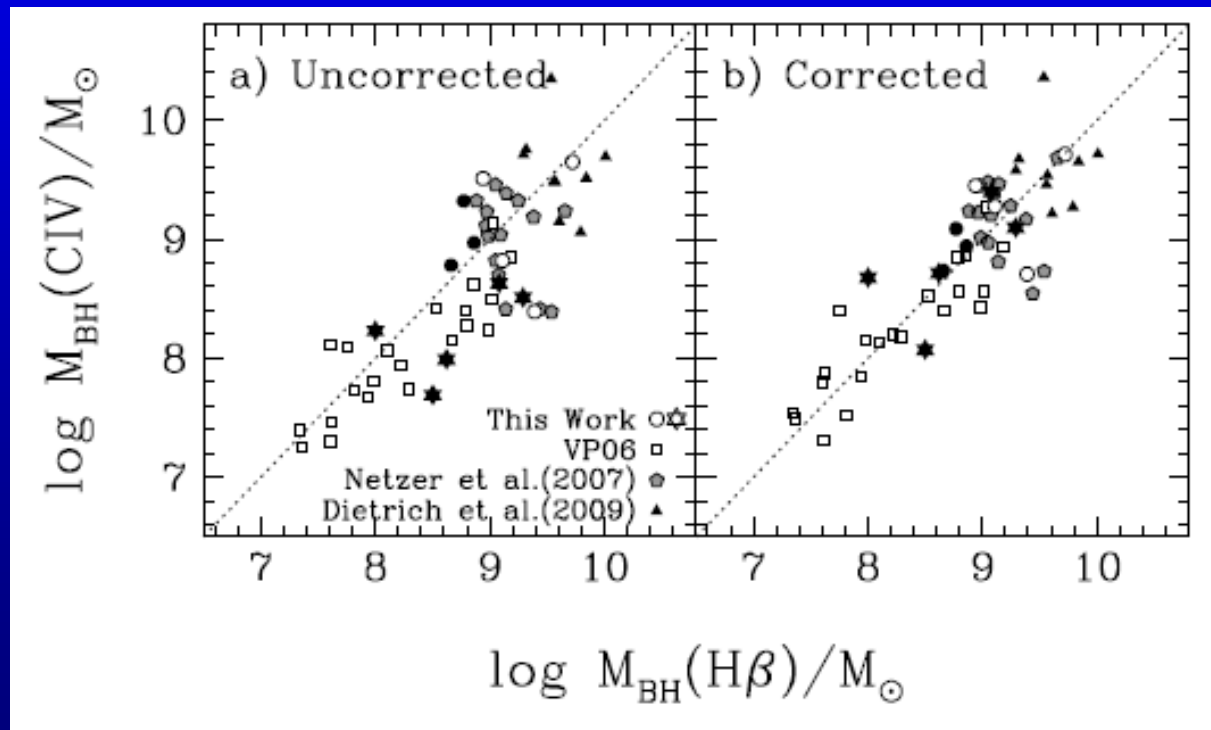
- C IV and H β /H α mass estimates are based on UV and optical luminosities, respectively.
 - A color correction needs to be included, as empirically demonstrated.
 - In sample shown, color term decreases scatter by factor of 2!



Assef et al. 2010 (arXiv:1009.1145)

Color Dependence Issue

- Scatter decreases from 0.35 dex to 0.18 dex by applying a color correction.
 - Could be host galaxy, internal reddening, or differences in SEDs

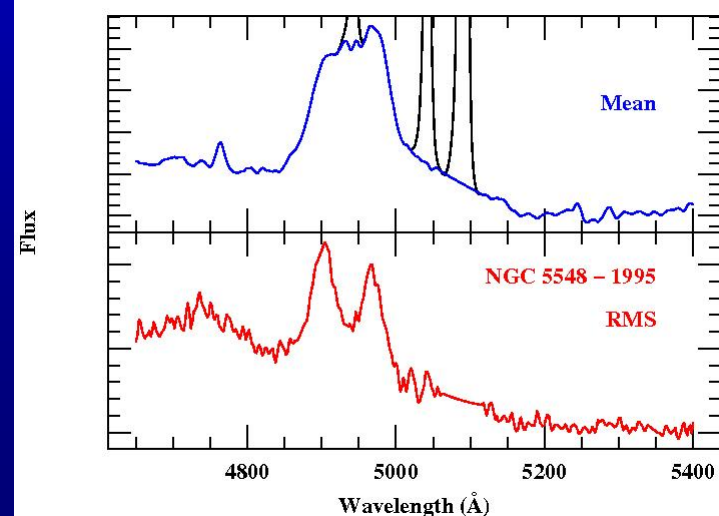
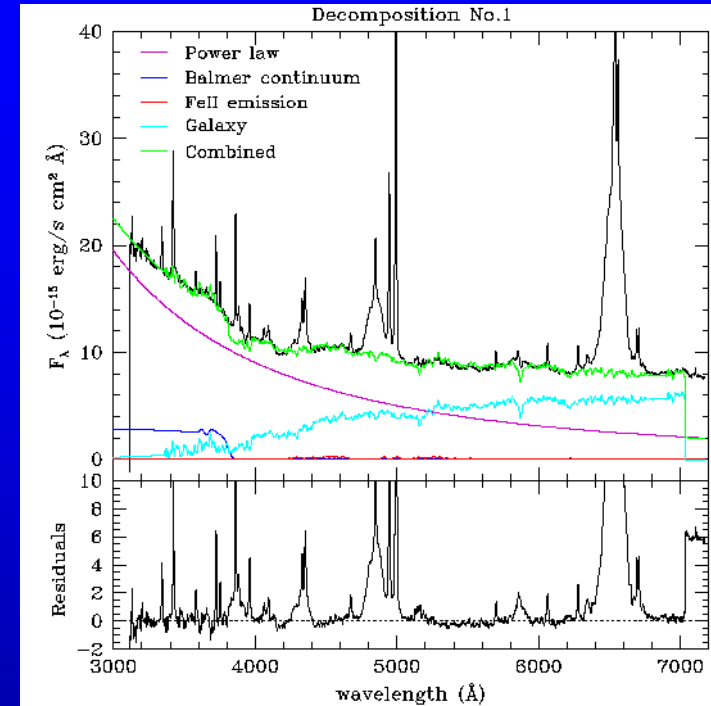


Mass-Ladder Issues

- Direct methods
 - Reverberation mass-scale zero point
 - Importance of radiation pressure
 - Independence from quiescent-galaxy scale
 - BLR geometry, kinematics
 - Dynamical Methods
 - Uncertainties in distances of nearest AGNs
 - Dark matter halos, orbit libraries, other resolution-dependent systematics

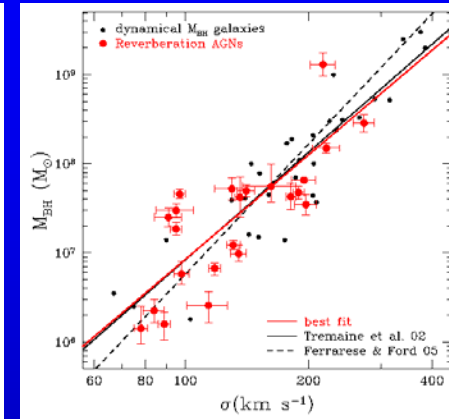
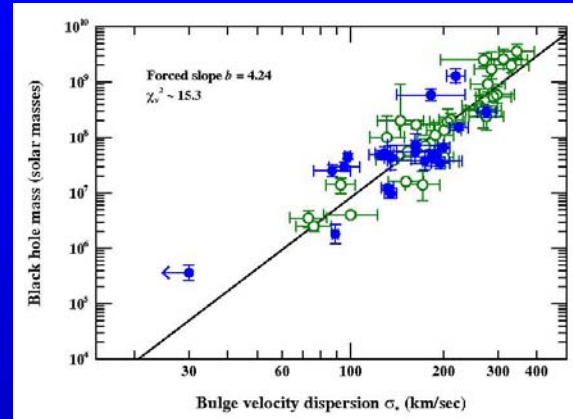
Mass-Ladder Issues

- Scaling relationships
 - Line-width characterization
 - Goal: a simple prescription that is unbiased wrt to L , L/L_{Edd} , profile, variability, etc.
 - Use of C IV emission line
 - Identification and mitigation of systematics
 - $R-L$ validation

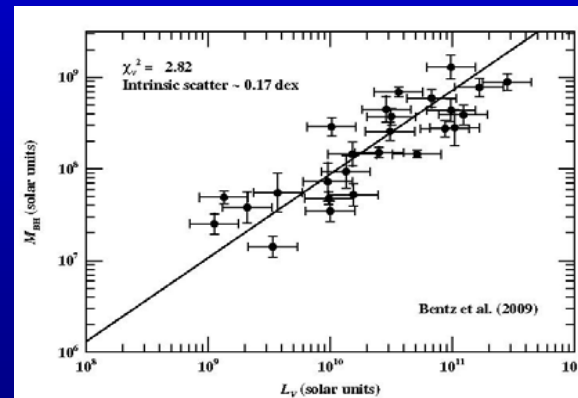


Evidence That Reverberation-Based Masses Are Reliable

1. $M_{\text{BH}} - \sigma_*$ relationship



2. $M_{\text{BH}} - L_{\text{bulge}}$ relationship

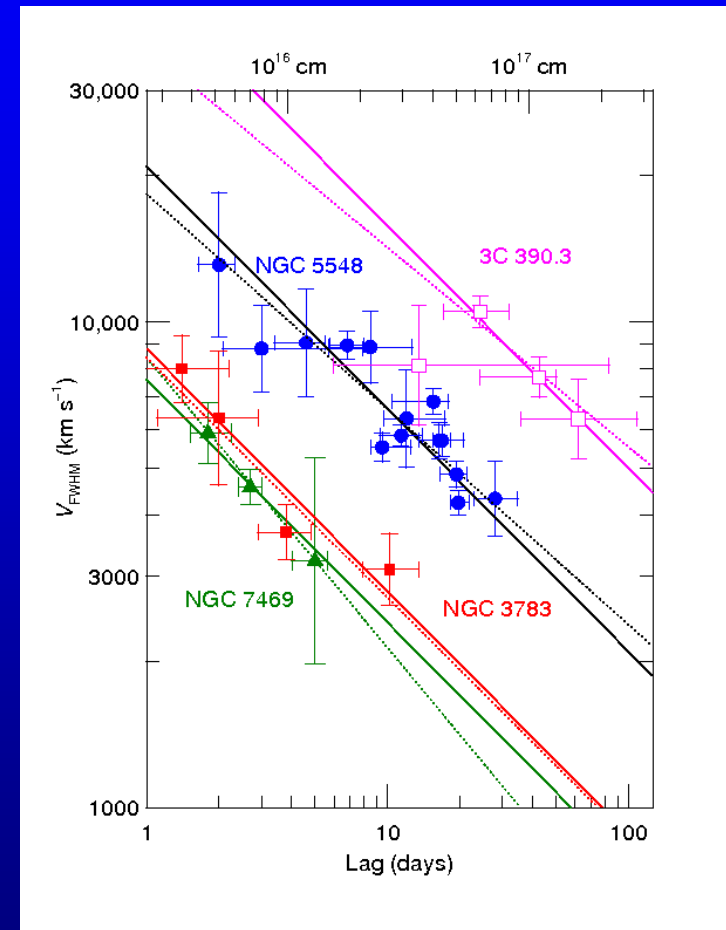


Evidence That Reverberation-Based Masses Are Reliable

3. Virial relationship for emission-line lags (BLR radius) and line widths.

4. Direct comparisons with other direct methods:

- Stellar dynamical masses
- Gas dynamical masses



Black Hole Mass Measurements (units of $10^6 M_{\odot}$)

Galaxy	NGC 4258	NGC 3227	NGC 4151
Direct methods:			
Megamasers	38.2 ± 0.1	N/A	N/A
Stellar dynamics	33 ± 2	7–20	< 70
Gas dynamics	25 – 260	20^{+10}_{-4}	$30^{+7.5}_{-22}$
Reverberation	N/A	7.63 ± 1.7	46 ± 5
Indirect Methods:			
$M_{\text{BH}}-\sigma_*$	13	25	6.1
$R-L$ scaling	N/A	15	65

References: see Peterson (2010) [arXiv:1001.3675]

Summary of Key Points

- Direct methods of mass measurement:
 - Most dynamical methods are limited by angular resolution to nearest tens of Mpc.
 - Reverberation mapping is effective even at large distances, but currently limited by systematics and dependence on other methods for calibration.
- Indirect methods:
 - Can be used for large samples, but less reliable for individual sources.