## **ASTR615** Fall 2015

## Due Mon Oct 5th, 2015

Topics for this problem set include benchmarking, debugging, parallelization and round-off errors.

1. This problem set builds on homework #1 and is designed to familiarize you with arrays, debugging and OpenMP parallelization.

*Hints:* In class I have only mentioned quickly the procedure of parallelization using OpenMP. Look at some examples and tutorials on how to use OpenMP to parallelize a code, available on the class web-page. OpenMP allows you to add extra commands to the source code with directives to parallelize loops on a shared memory computers (for example a desktop with multi-processors and/or CPU with multi-cores). When you compile the code you need to use the option -openmp, or equivalent (if you use gcc is -fopenmp: look at the manual page of the compiler you use). Without the openmp option, parallelization directives are treated as comments by the compiler. You need access to a desktop with  $N \geq 2$  CPUs or cores. Your laptop may have a dual core processor, galileo.astro.umd.edu (my desktop computer) has 2 quad cores (2x4=8 cores). Try to use the computer that has the largest number of cores! On linux machines you can check how may cores are available on a host by viewing the file /proc/cpuinfo. Have fun, and start early!

- (a) Insert in the benchmarking code in homework #1 the handler to detect floating point exceptions (FPEs) as discussed in class (see C examples). Re-run your code in the debugger (remember to compile with -g option) and increase the number of operations n until a FPE is detected. Explain what happens in the context of data representation in computers (integers and floating points).
- (b) After simplifying the math operation in one of the loops to make it easily parallelizable: e.g., calculate n times pow(1.1,0.5); parallelize your code using OpenMP directives and run the parallel code on 1, 2, 3, or more cores. Plot the execution time t as a function of the number of cores N, or  $t \times N$  vs N. Does the speedup scale linearly with the number of cores? What is the loss of speed due to OpenMP overhead?
- (c) Modify your benchmark code as follows. Create a 2-dimensional array A(N, N) and add to each element of the array a constant floating point number of your choice. After compiling without optimizations, time the execution in two cases: (i) with the fast changing index of the array being the columns, and (ii) being the rows. Do this for a range of values of N: for N below a critical number there should be little difference between cases (i) and (ii).
  - i. First define the array as a static array (e.g., double A[N][N];). How large can N be before you encounter a problem at runtime ? Explain what happens and how can you increase N further.
  - ii. Next, use dynamical allocation of memory (with malloc). Knowing the difference in execution times between case (i) and (ii) for a set of N values,

given the CPU clock speed, can you estimate roughly the size of the cache and/or the hit rate? (*Hint: for the hit rate you need to know the latency of the RAM. If you do not know what it is, assume 10 nsec, typical for DDR3 RAM*) Guess what is the largest value of N you can use on your computer, explaining your reasoning.

- iii. Finally, compile with -O2 optimization and compare the execution times for the same set of N values, or for a value of N of your choice larger than the critical value. Comment on the results.
- 2. Write a program that uses the quadratic formula to compute both roots of

$$x^2 - 4999x + 1 = 0$$

in single precision. The program should also recompute the smaller root from the larger, using the fact that the product of the roots must equal 1 in this case. Explain any discrepancy. Which method is preferable? What happens when you repeat this exercise in double precision?