## 4 November 2003



Kaufmann et al. 2005

## Two questions raised by submm- $\lambda$ observations presented by Kaufmann et al. 2004:

By what mechanism(s) is the emission produced?

- Thermal free-free radiation?
- Synchrotron radiation?
- A coherent mechanism?

What bearing does it have, if any, on  $\gamma$ -ray observations?

- Anomalous widths of the 511 keV emission?
- High energy electrons?



Kaufmann et al. argue that the submm- $\lambda$  emission cannot be thermal in origin. Their argument is as follows:

1- Using multi-beam observations, they claim the source size is of order 10" or less.

2- The peak flux at 212 GHz is 12000 SFU and that at 405 GHz is 20000 SFU.

3- The flux is related to brightness temperature via

$$S_{\nu} = 2k_B T_B \frac{\nu^2}{c^2} \Omega$$

The 212 and 405 GHz observations then imply a brightness temperature 2.5-5 x  $10^7$  K.

The optical depth to free-free absorption is given by:

$$\tau_{\nu} \approx 0.2 \Phi \nu^{-2} T^{-3/2} L^{-2}$$

where  $\Phi$  is the volume emission measure. Using a dimension L corresponding to 10", T<sub>B</sub>=T~2-5 x 10<sup>7</sup> K, and  $\tau$ ~3, one finds  $\Phi \sim 0.3-2 \times 10^{53}$  (Kaufmann et al. use 10<sup>53</sup>), much larger than observed:  $\Phi = 6.5 \times 10^{50}$ .

If  $\Phi$  were in fact this large, an SXR flare >X1000 is implied!

Kaufmann et al. therefore argue that the 212 and 405 GHz emission must be due to a non-thermal emission mechanism.

Is the above argument compelling?



The submm- $\lambda$  source is manifestly composed of contributions from several sources:

- The SXR-emitting plasma must contribute at least 2000 sfu to each of 212 and 405 GHz
- There is clearly a nonthermal component, estimated to be of order 3300 sfu at 212 GHz and perhaps 1500 sfu at 405 GHz
- The bulk of the remainder could be accounted for by the sum of optically thick and optically thin contributions of material at temperatures from TR to SXR-emitting values.

$$S_{\nu} = 2k_B \frac{\nu^2}{c^2} \int_{source} d\Omega \int_0^\infty T_{eff} e^{-\tau} d\tau \rightarrow 2k_B \frac{\nu^2}{c^2} \sum_i T_i (1 - e^{-\tau_i}) \Omega_i$$



