

[18] Hubble's Law (4/5/18)

Upcoming Items

1. Midterm #2 on Tuesday
2. Read Ch. 21.1–21.2 for next class (one week from today) and do the self-study quizzes.

M51 (Whirlpool) & NGC 5195



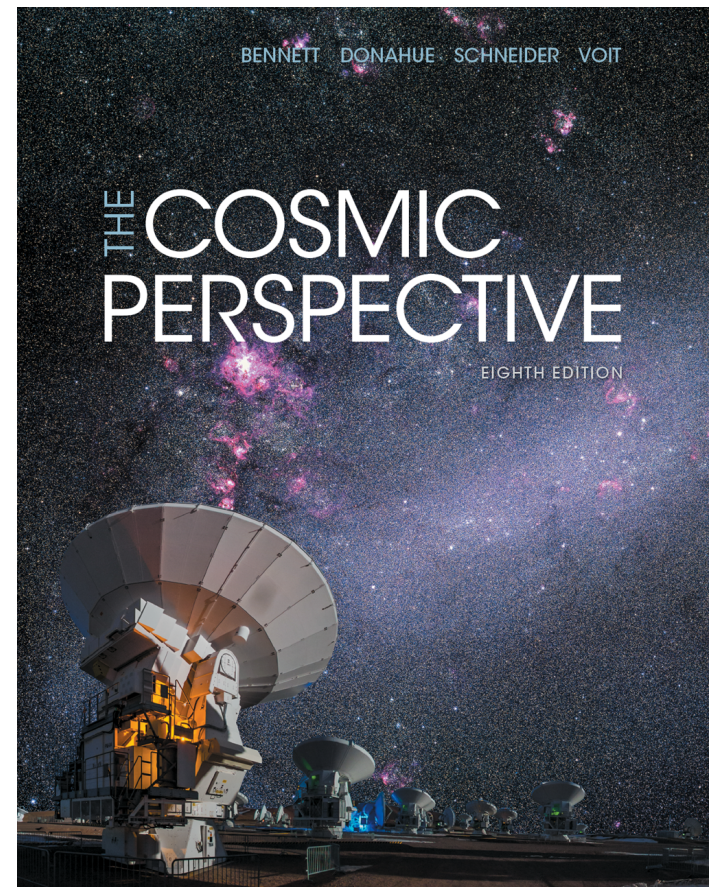
Credit: Caleb Harada, UMD Obs.

LEARNING GOALS

Ch. 20.3

For this class, you should be able to...

- ... estimate the distance of a galaxy based on its cosmological redshift using Hubble's law, and know the limitations of this calculation;*
- ... predict how the estimated age of the universe changes if Hubble's constant H_0 is smaller or larger in value;*
- ... determine the change in average relative distances between galaxies as a function of cosmological redshift.*



Any astro questions?

Hubble's Law

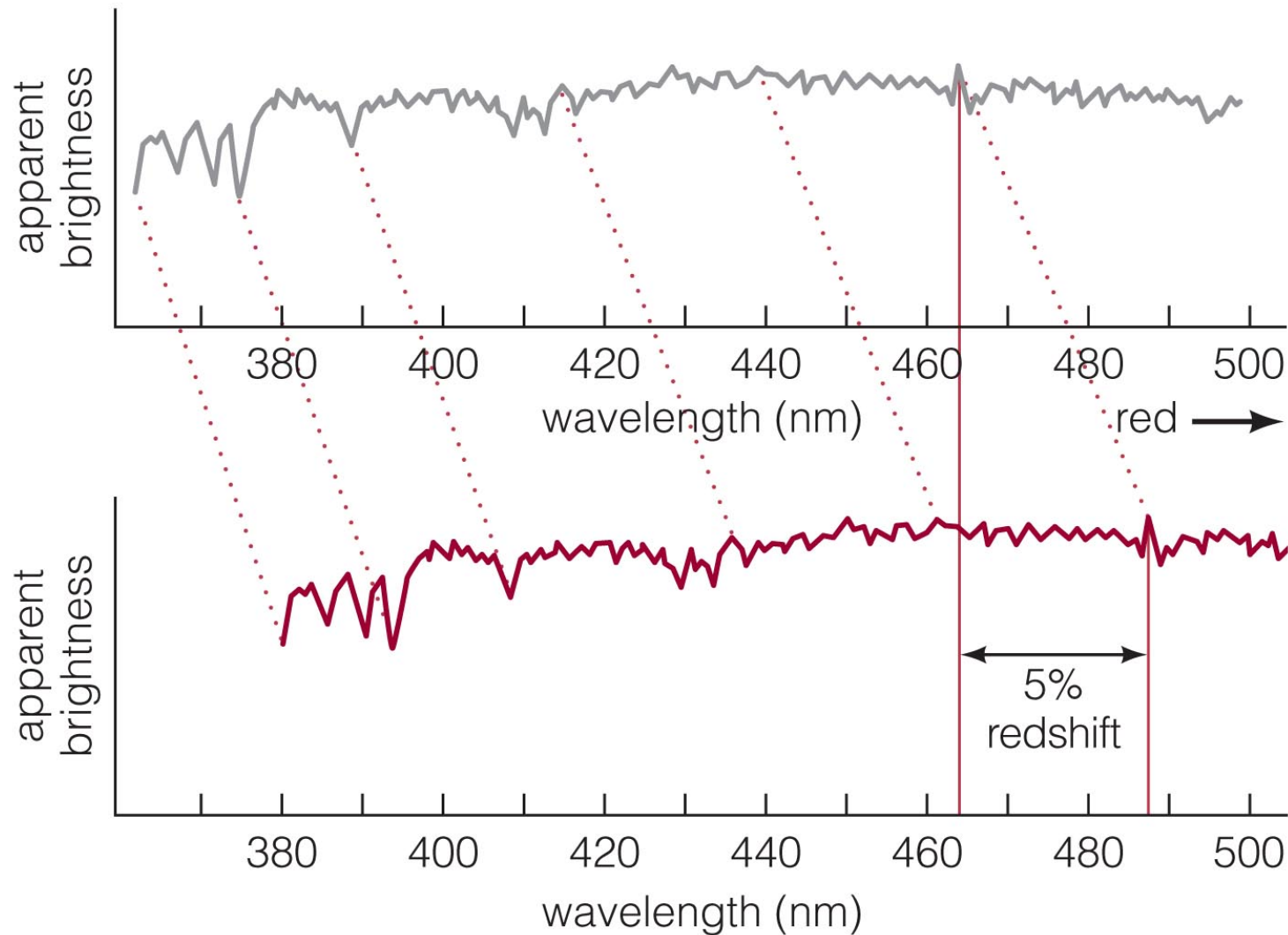
- The recession speed and distance of a galaxy are related by Hubble's law, $v_r = H_0 d$, where H_0 is Hubble's constant.
 - Note: galaxies also have *peculiar motion*, relative to the overall flow of motion (called the *Hubble flow*)
 - It is *space itself* that is expanding, according to General Relativity.
 - The recession speed can be related to observed redshift according to $v_r = cz$, **only for $z \ll 1$** (otherwise need a cosmological model).
 - The redshift is caused by the stretching of the photon's wavelength as it travels through the expanding universe, *not* physical motion.
- For simple expansion, the age of the universe is $1/H_0$.
- Use "lookback time" to quantify large distances.
- The average separation of galaxies is related directly to the cosmological redshift: $z = \lambda_{\text{obs}}/\lambda_{\text{emit}} - 1 = R_{\text{now}}/R_{\text{then}} - 1$.

Hubble's Second Discovery

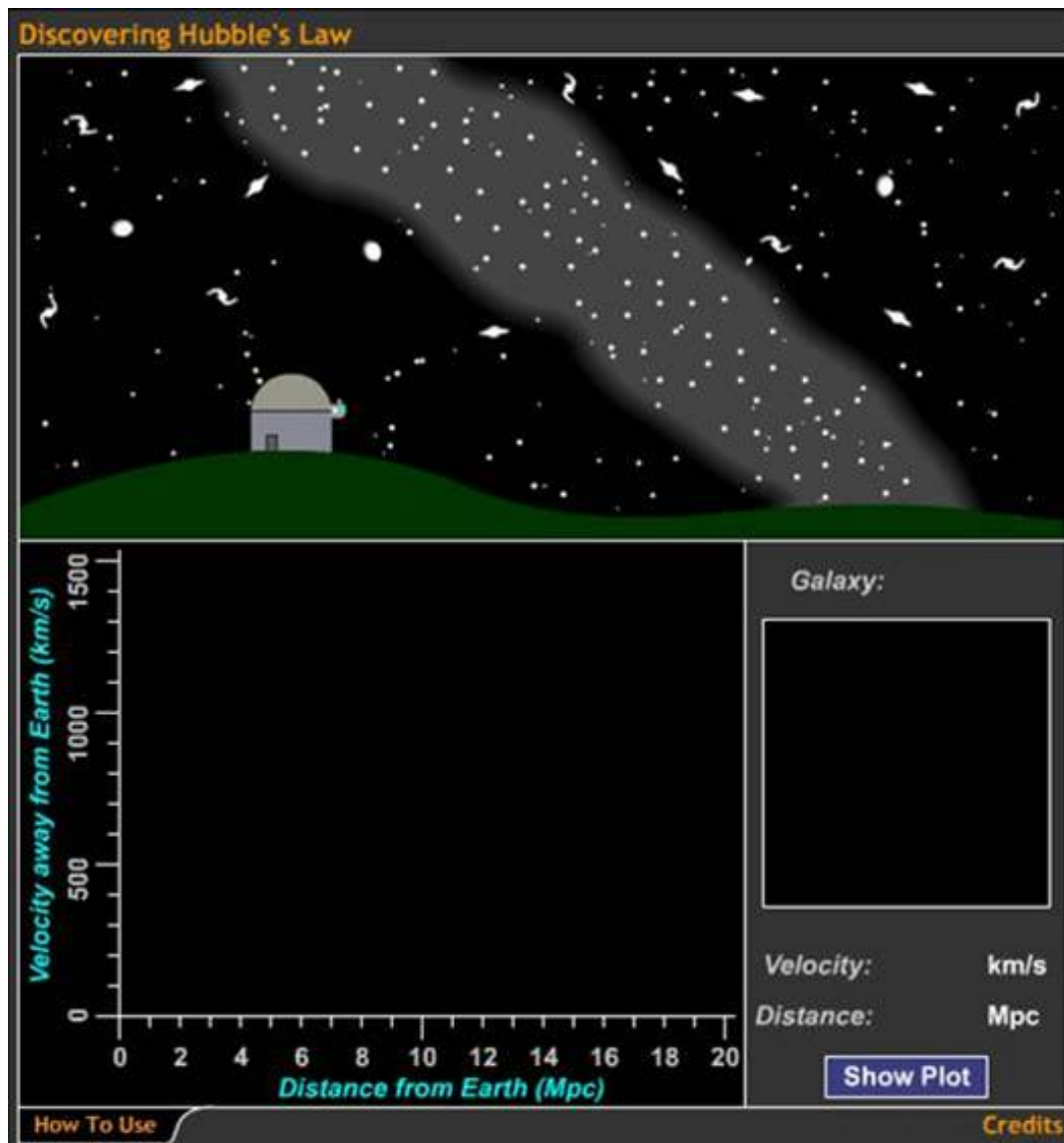
- Soon after Hubble proved that the “spiral nebulae” are external galaxies, he started to look at their spectra in order to determine their line-of-sight speeds.
- He found some surprising results...
 - The vast majority of galaxies (all but a few of the closest ones) are moving away from us! That is, they are all redshifted.
 - The further the galaxy, the faster it is moving away. The relation found between recession speed v_r and distance d is very simple:

$$v_r = H_0 d.$$

- This is now known as **Hubble's law**.
- The rate of expansion of the universe is given by the constant of proportionality in Hubble's law, H_0 . This is **Hubble's constant**.

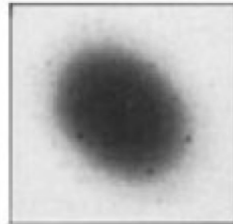


The spectral features of virtually all galaxies are redshifted, which means that they're almost all moving away from us.

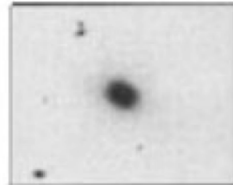


- By measuring distances to galaxies, Hubble found that redshift and distance are related in a simple way.
- The more distant the galaxy, the greater its redshift, thus the faster it appears to be moving away from us.

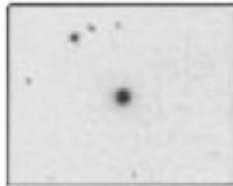
Cluster nebula in



Virgo



Ursa Major



Corona Borealis



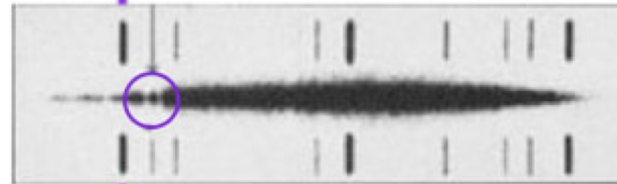
Boötes



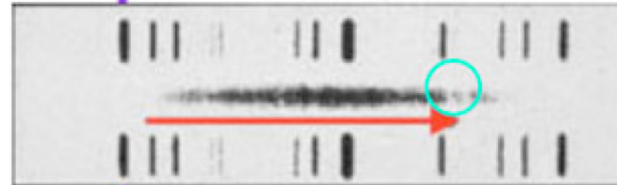
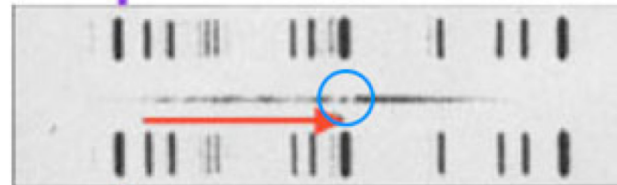
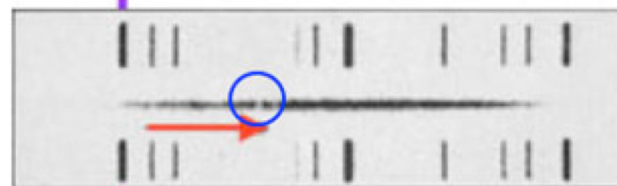
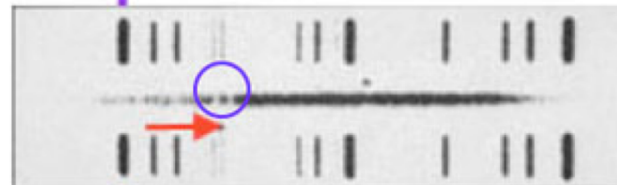
Hydra

Redshifts

H+K

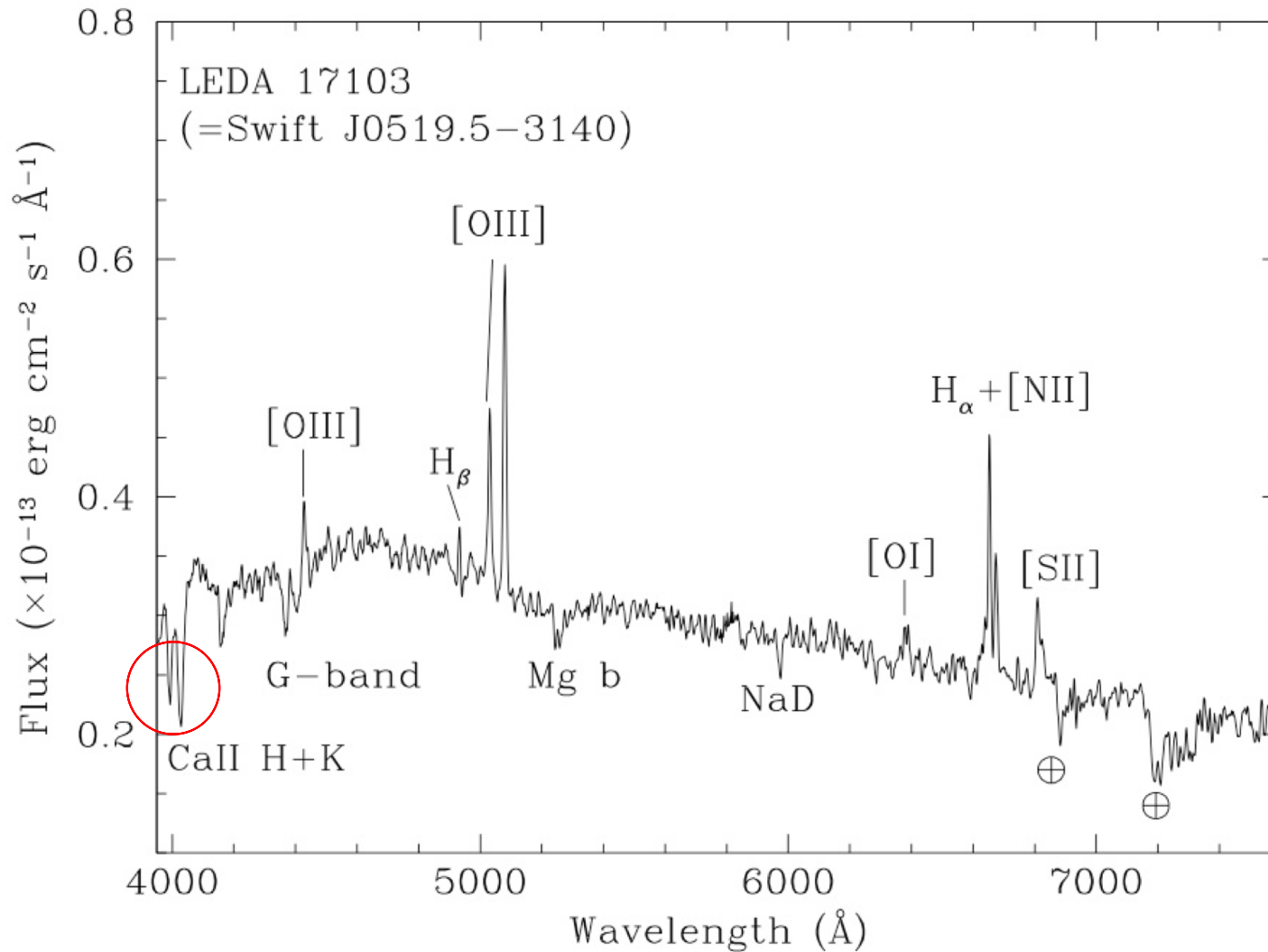


H & K absorption lines of singly ionized calcium: *lab wavelength*.

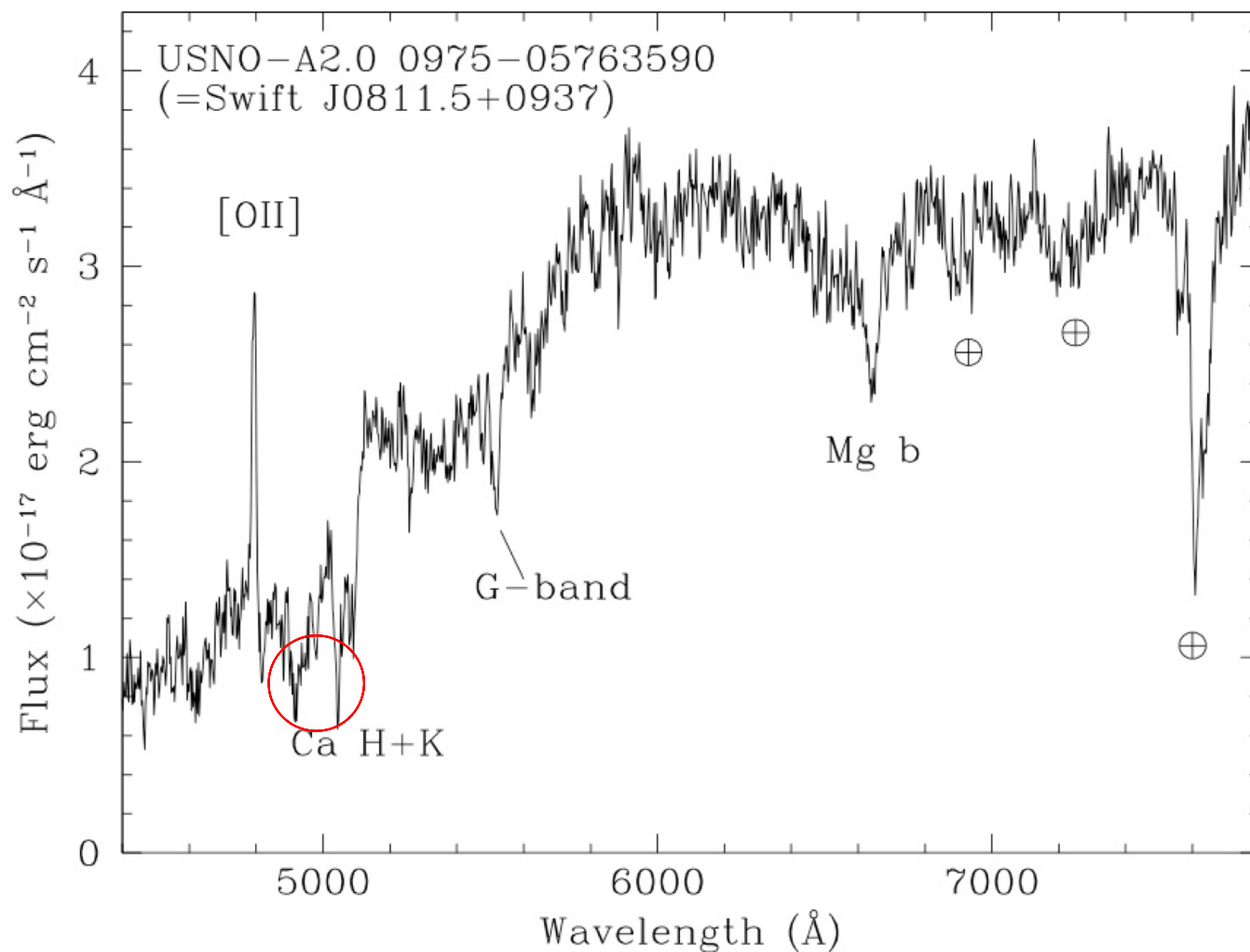


Colored circles show *observed wavelength* for different galaxies.

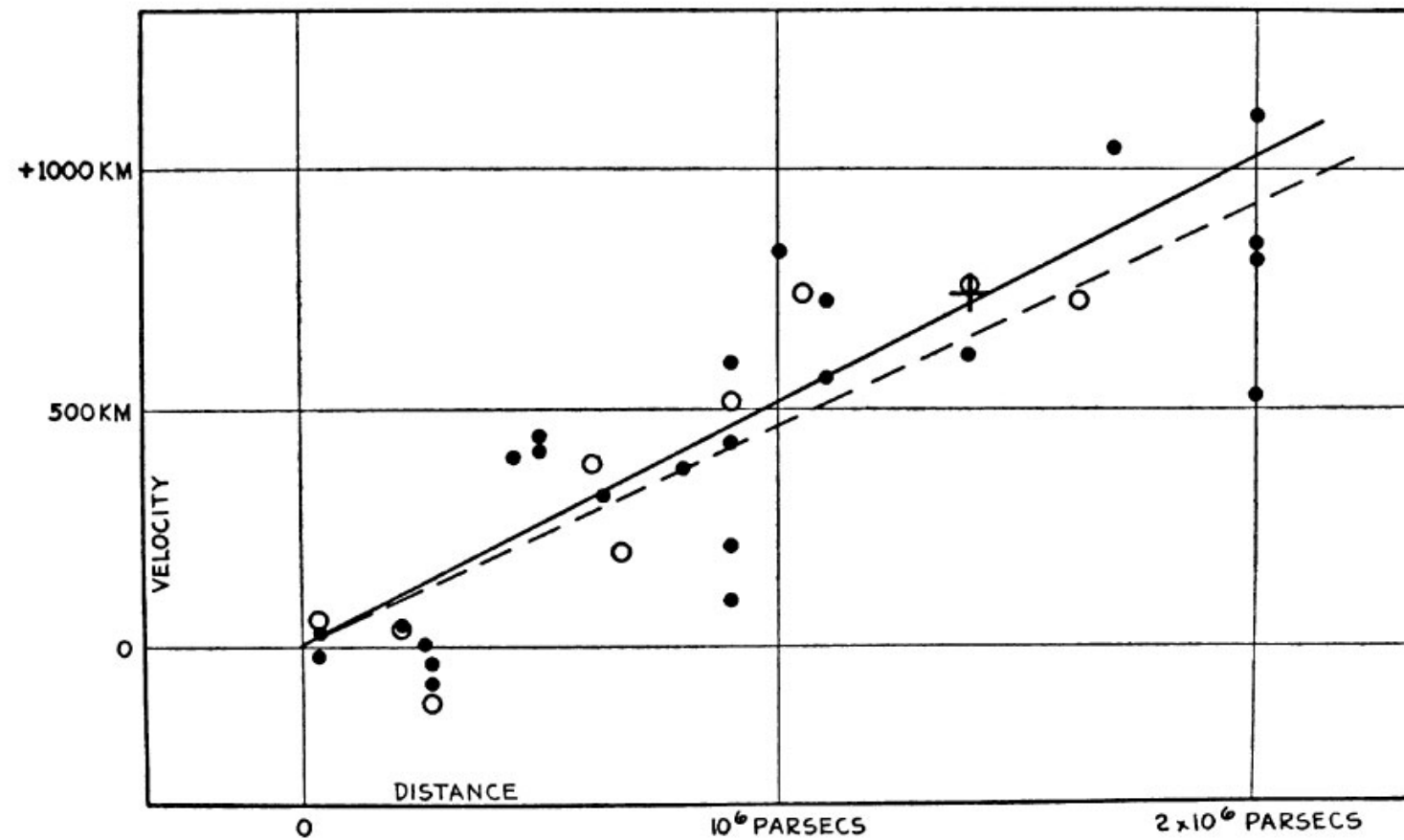
Spiral Galaxy Spectrum



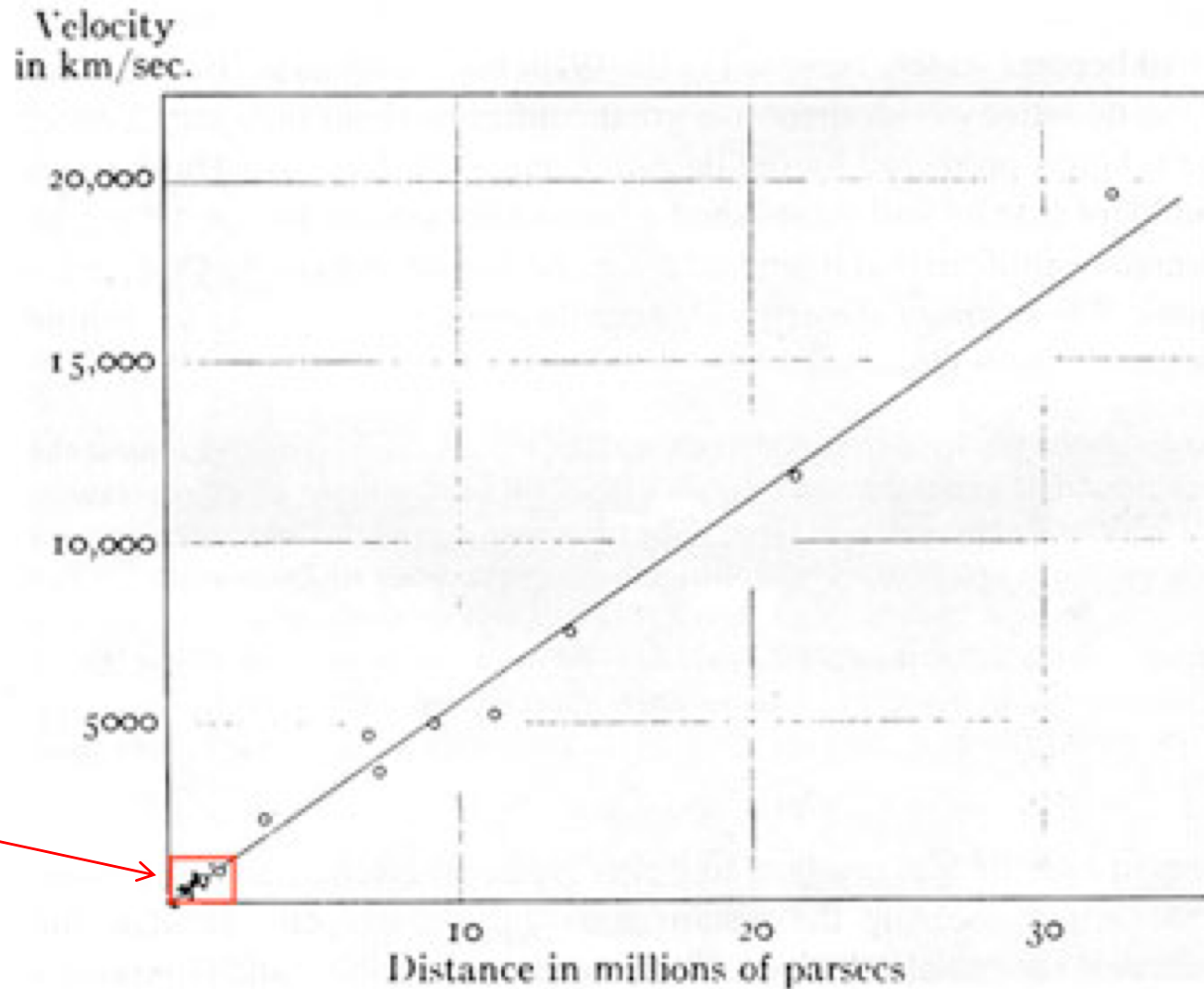
Elliptical Galaxy Spectrum



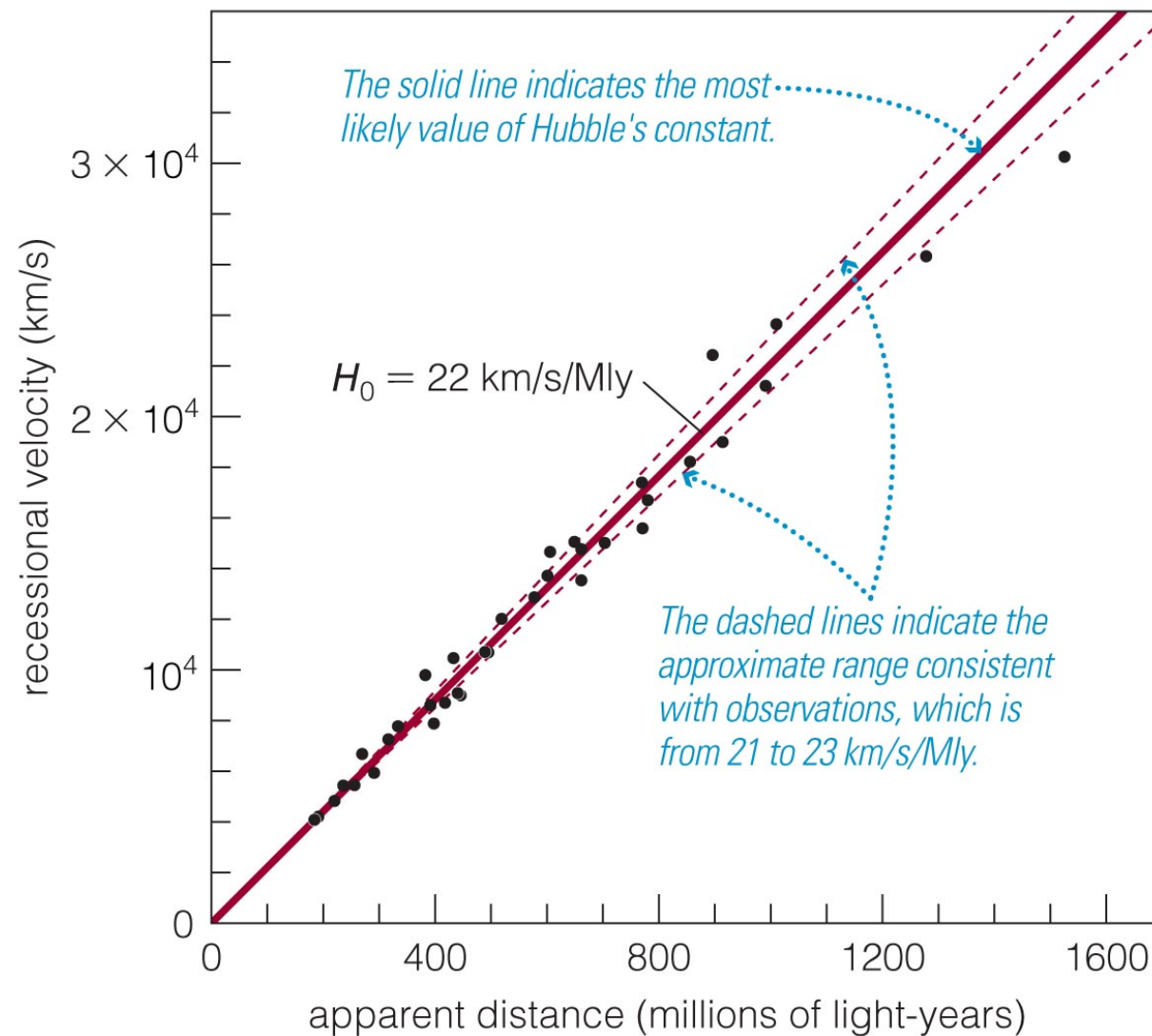
Hubble's Data (1929)



Hubble & Humason (1931)

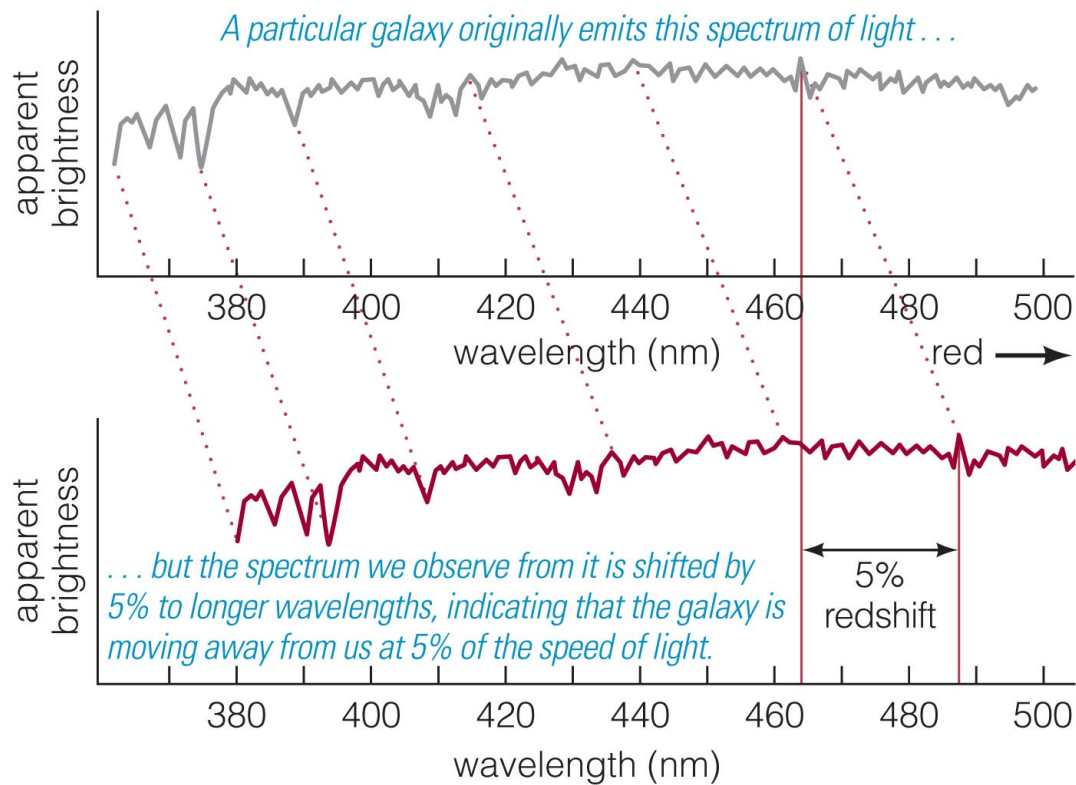


1929 data



Hubble's law: recession speed = $H_0 \times$ distance.

Current "best" estimate: $H_0 \approx 70 \text{ km/s/Mpc}$.



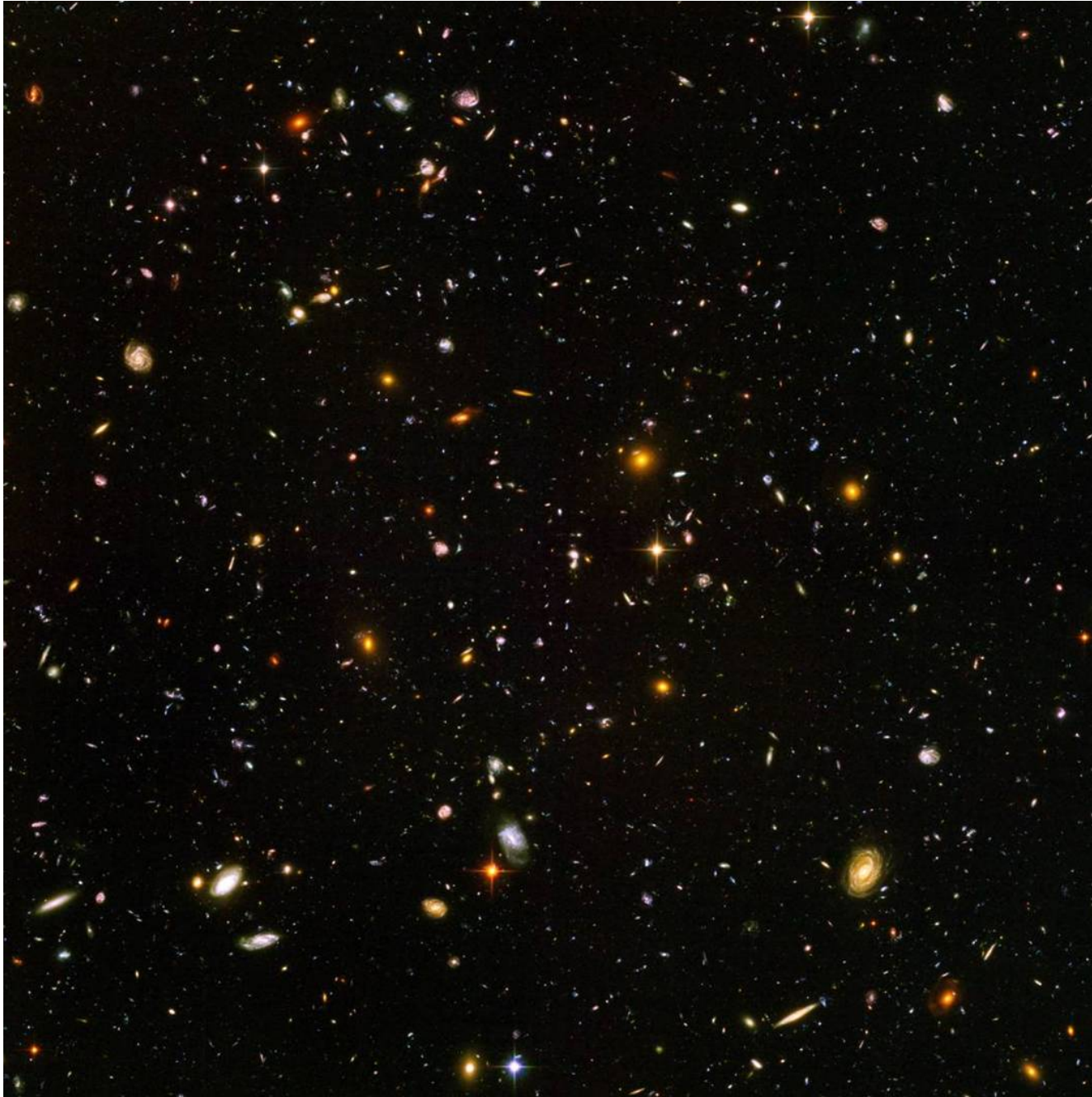
Step 5

Redshift of a galaxy tells us its distance through **Hubble's Law**:

$$\text{distance} = \frac{v_r}{H_0}$$

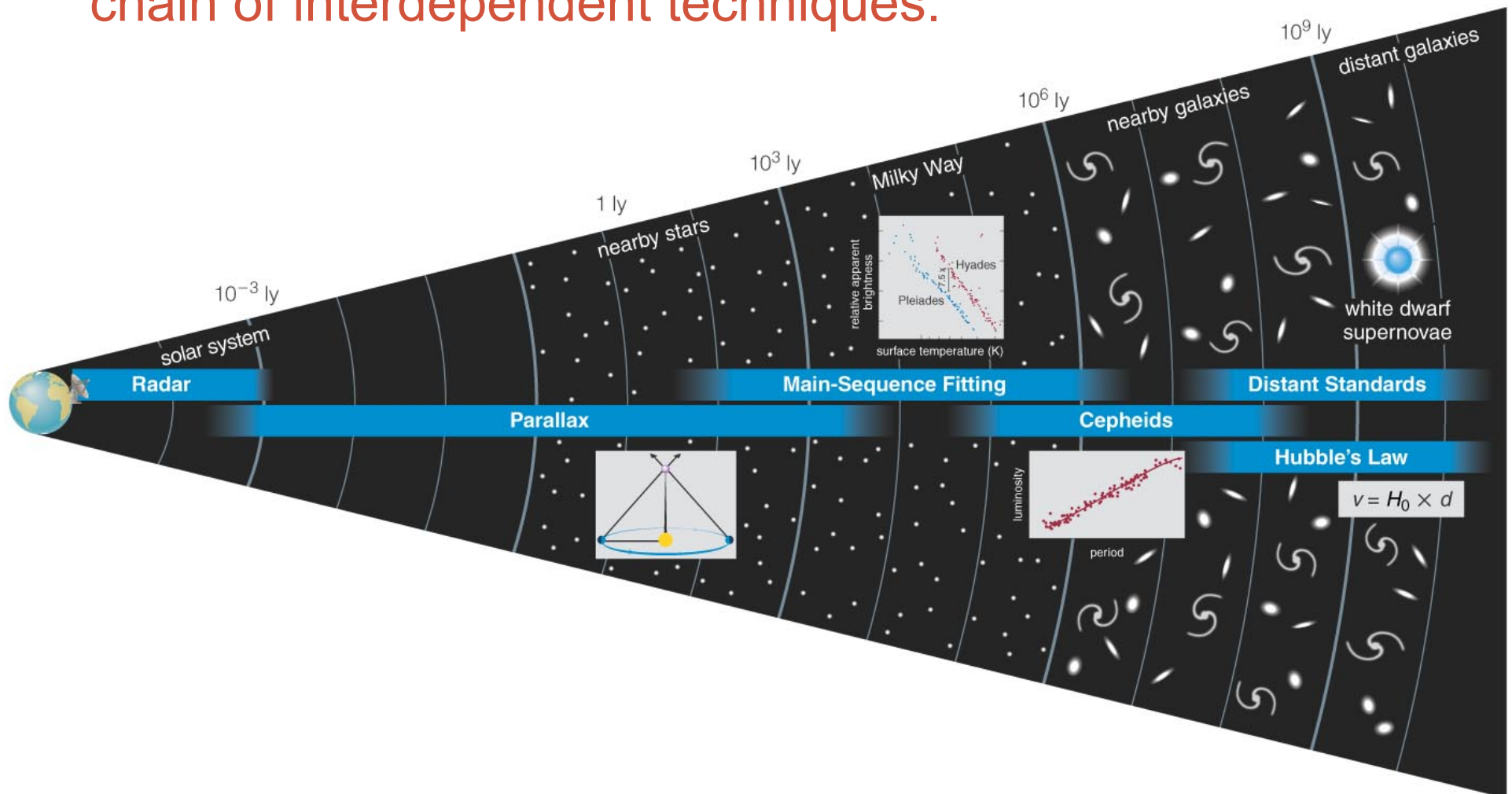
$$\approx \frac{cz}{H_0} (z \ll 1).$$

See Lab 6!



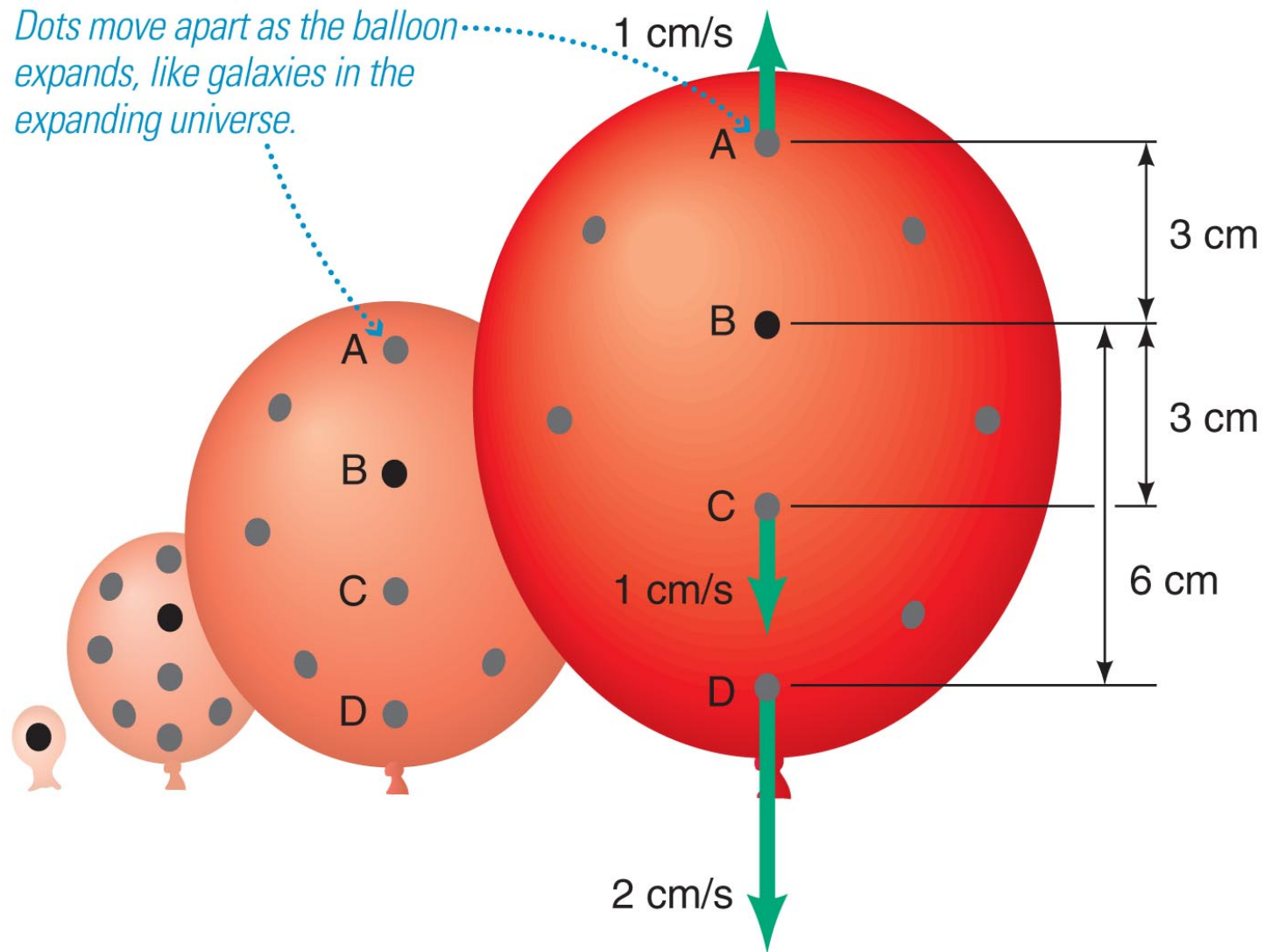
Distances of the farthest galaxies are measured from their redshifts.

We measure galaxy distances using a chain of interdependent techniques.

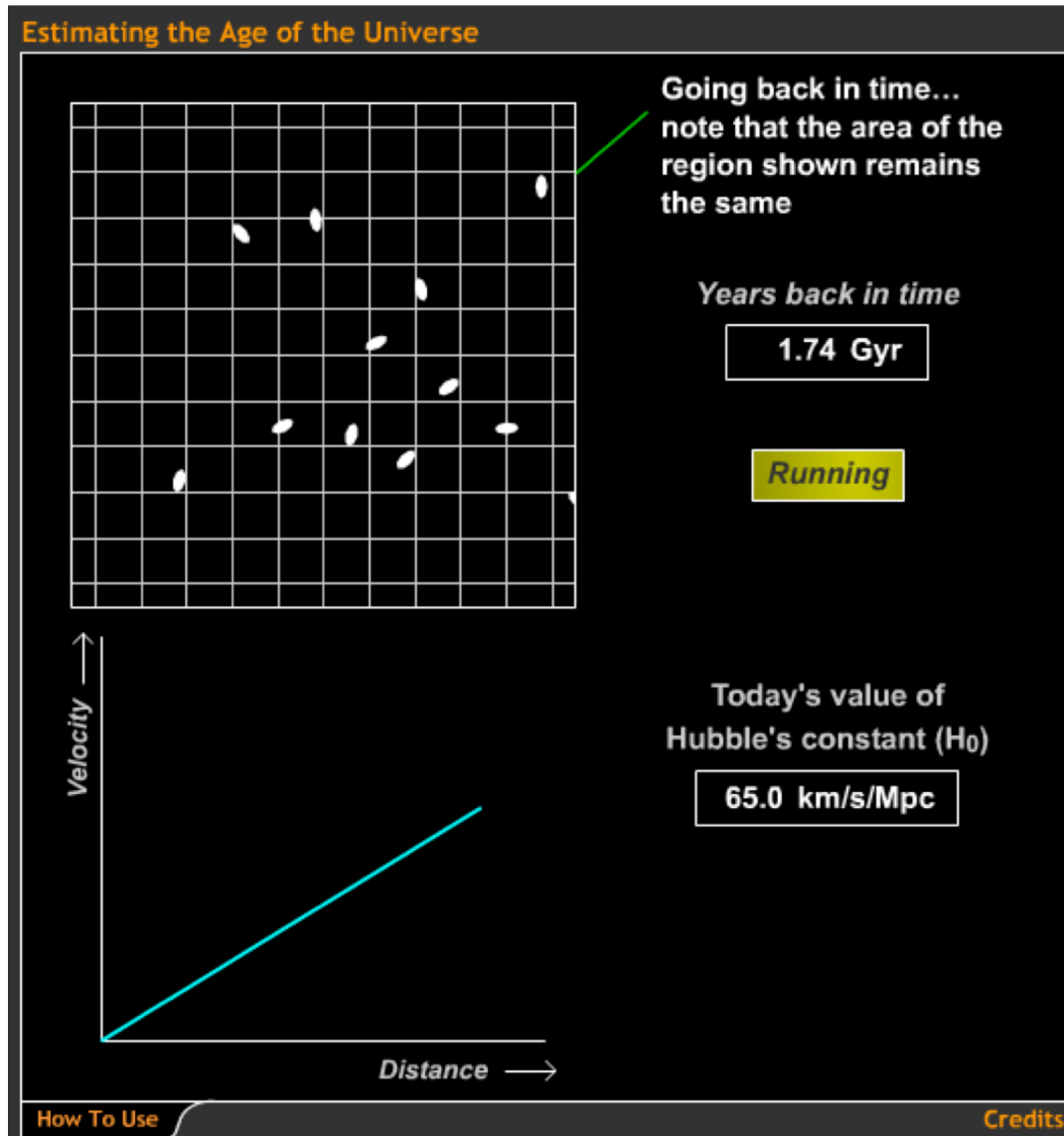




- The expansion rate appears to be the same everywhere in space.
- The universe has no center and no edge (as far as we can tell).



One example of something that expands but has no center or edge is the surface of a balloon.

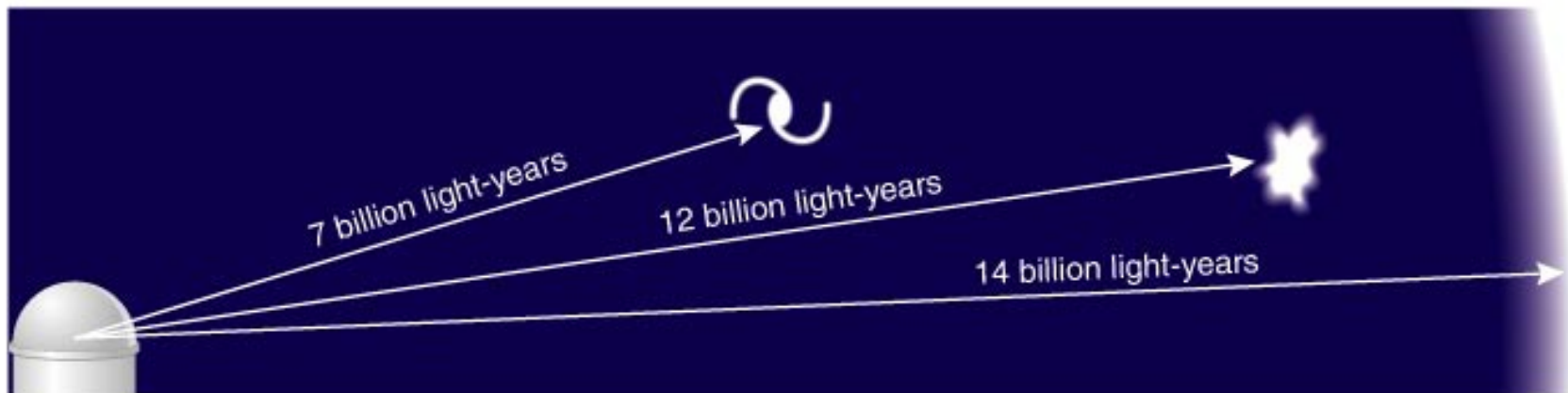


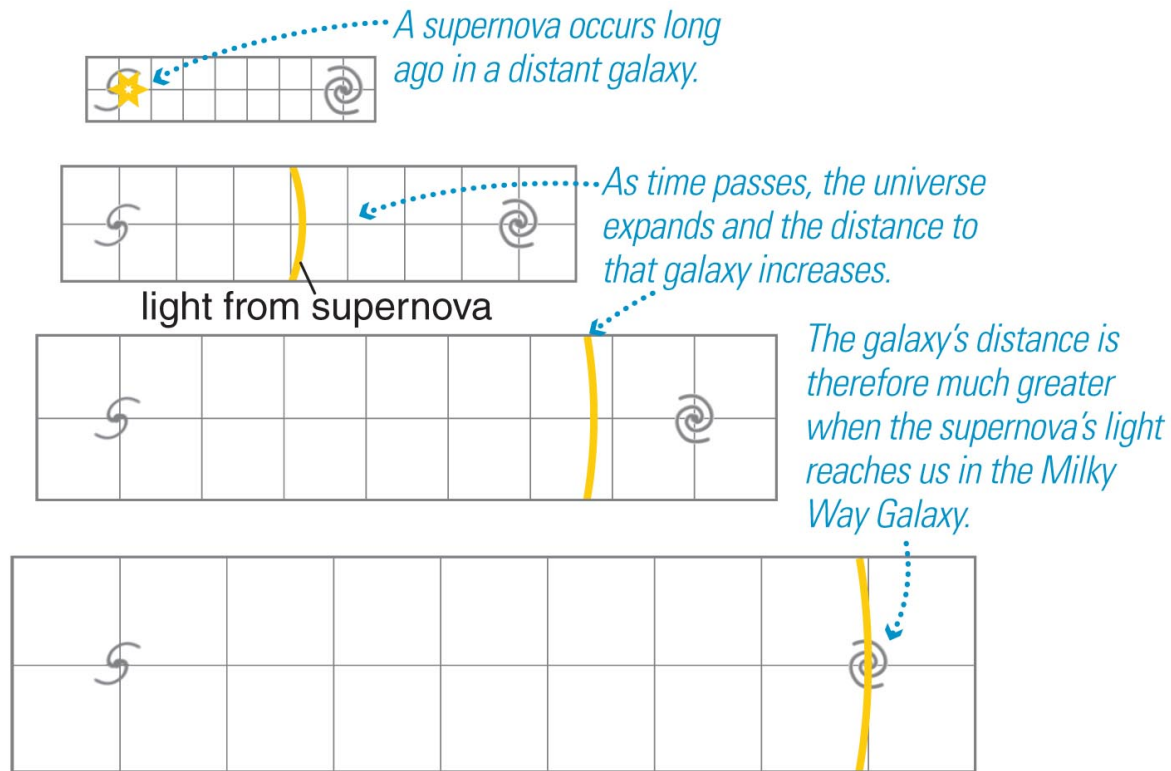
Hubble's constant tells us the age of universe because it relates the speeds and distances of all galaxies.

$$\begin{aligned} \text{Age} &= \frac{\text{distance}}{\text{speed}} \\ &= \frac{d}{v_r} \\ &= 1 / H_0. \end{aligned}$$

What important assumption does this make?

- Recall, at great distances, we see objects as they were when the universe was much *younger*. Why?

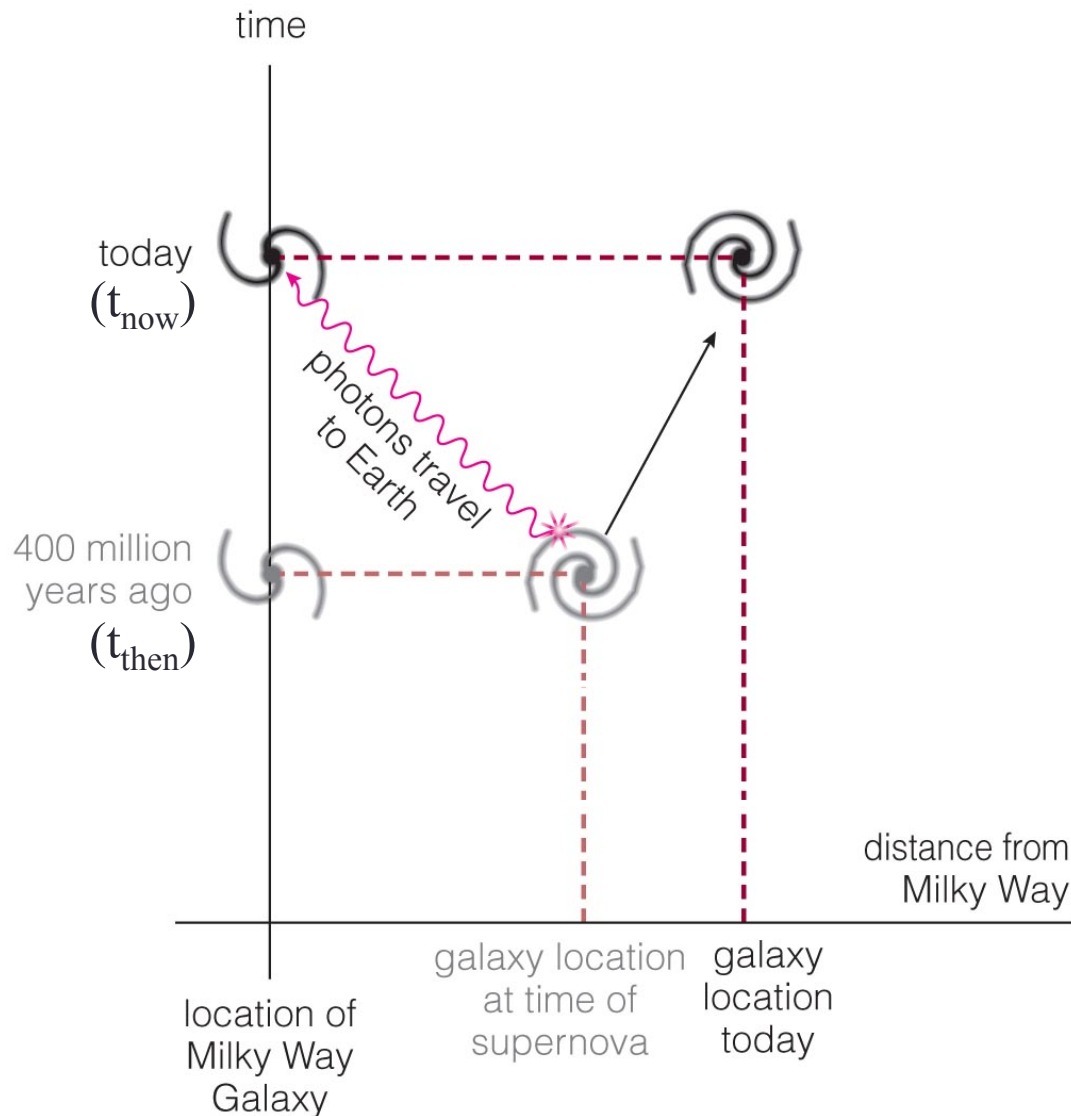




- Distances between faraway galaxies change while light travels.
- Astronomers think in terms of ***lookback time*** rather than distance:

$$t_{\text{lookback}} = t_{\text{now}} - t_{\text{then}}.$$

- This is the time it has taken for the light to reach us.



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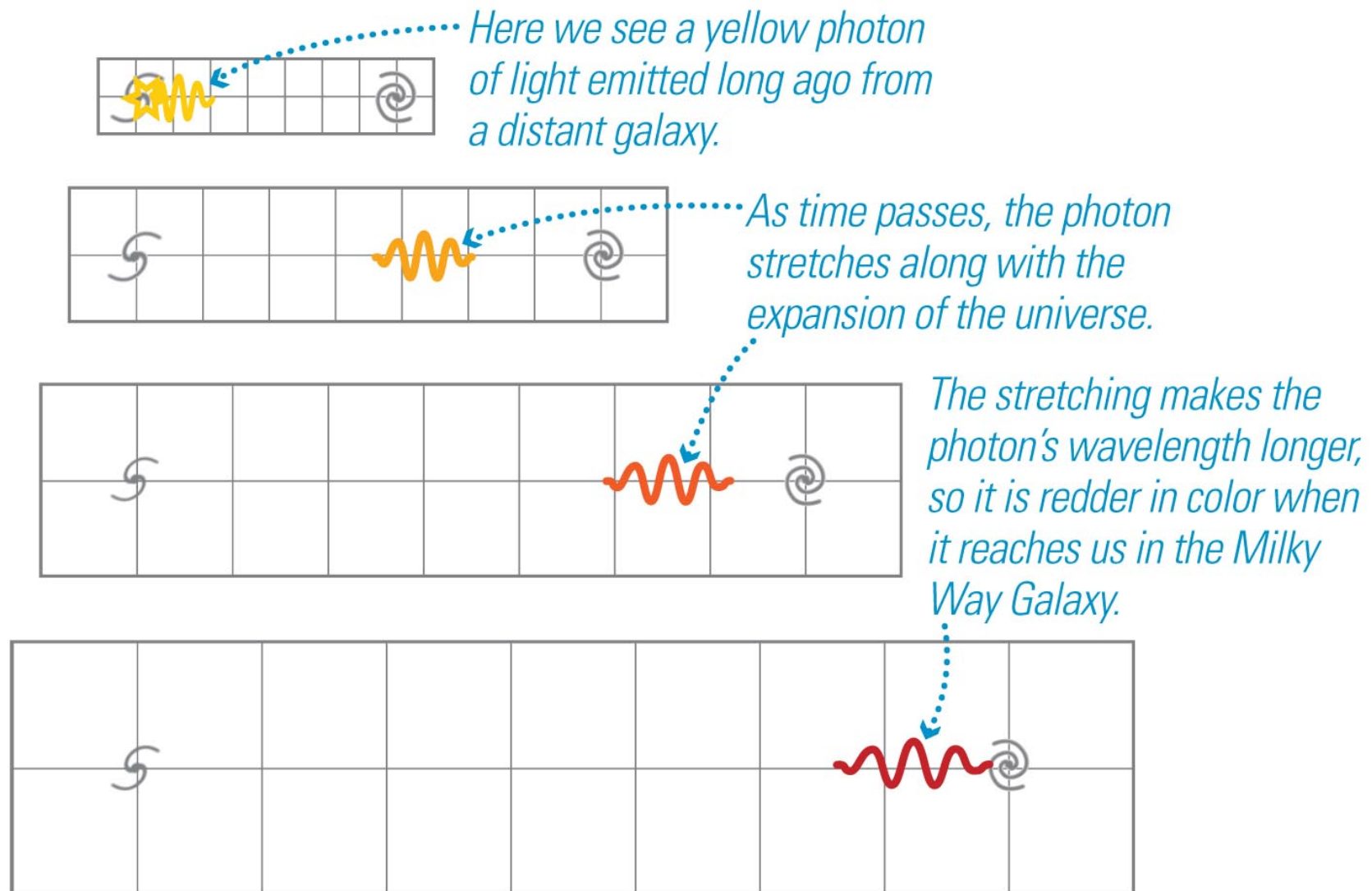
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Cosmological Horizon

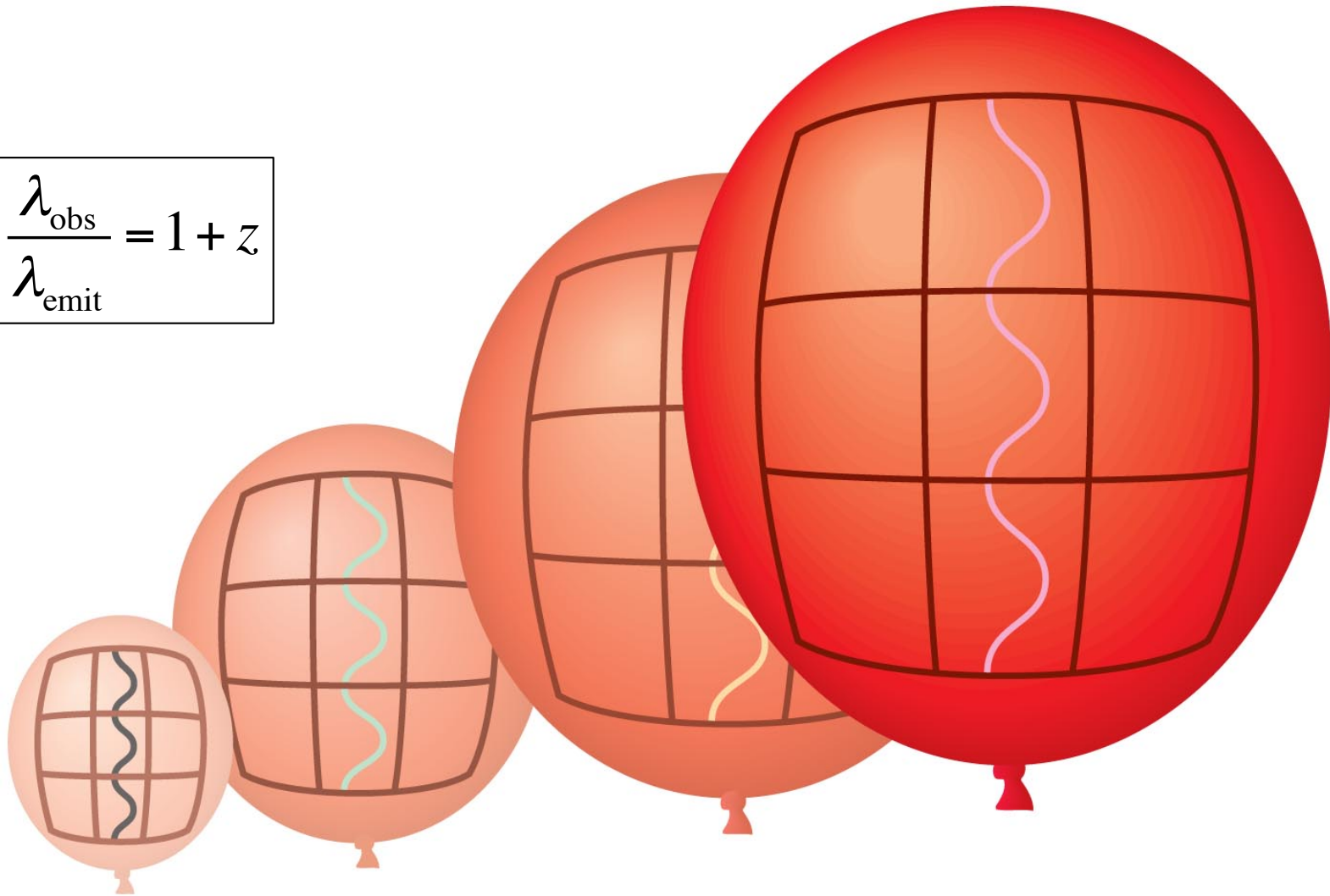
Maximum lookback time of 13.8 Gyr (the age of the universe) limits how far we can see (the size of the observable universe).

It is a horizon in *time* rather than *space*. Since looking far away means looking back in time, there must be a limit—the beginning of the universe!



Expansion stretches photon wavelengths, causing a ***cosmological redshift*** directly related to lookback time.

$$\frac{\lambda_{\text{obs}}}{\lambda_{\text{emit}}} = 1 + z$$



Expansion stretches photon wavelengths, causing a ***cosmological redshift*** directly related to lookback time.



- The space between galaxies stretches by the same amount due to cosmological expansion:

$$\frac{R_{\text{now}}}{R_{\text{then}}} = 1 + z$$

- Here R is the “scale factor” of the universe—more in class 25!

Also: Class16 Supplement!