

# Structure of Our Galaxy

## The Milkyway

More background  
Stars and Gas in our Galaxy

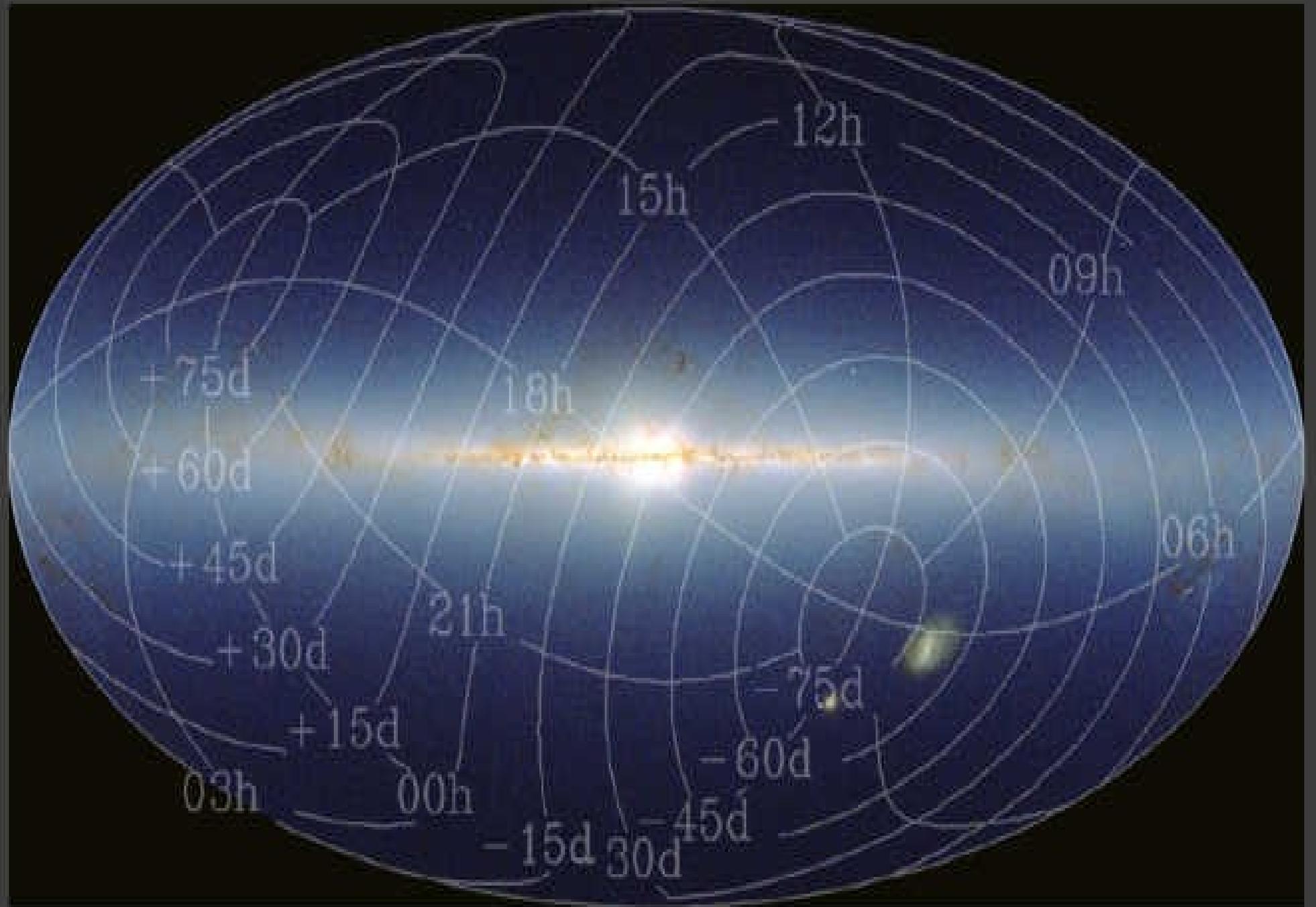
*"What good are Mercator's North Poles and Equators  
Tropics, Zones, and Meridian Lines?"  
So the Bellman would cry, and the crew would reply  
"They are merely conventional signs"*

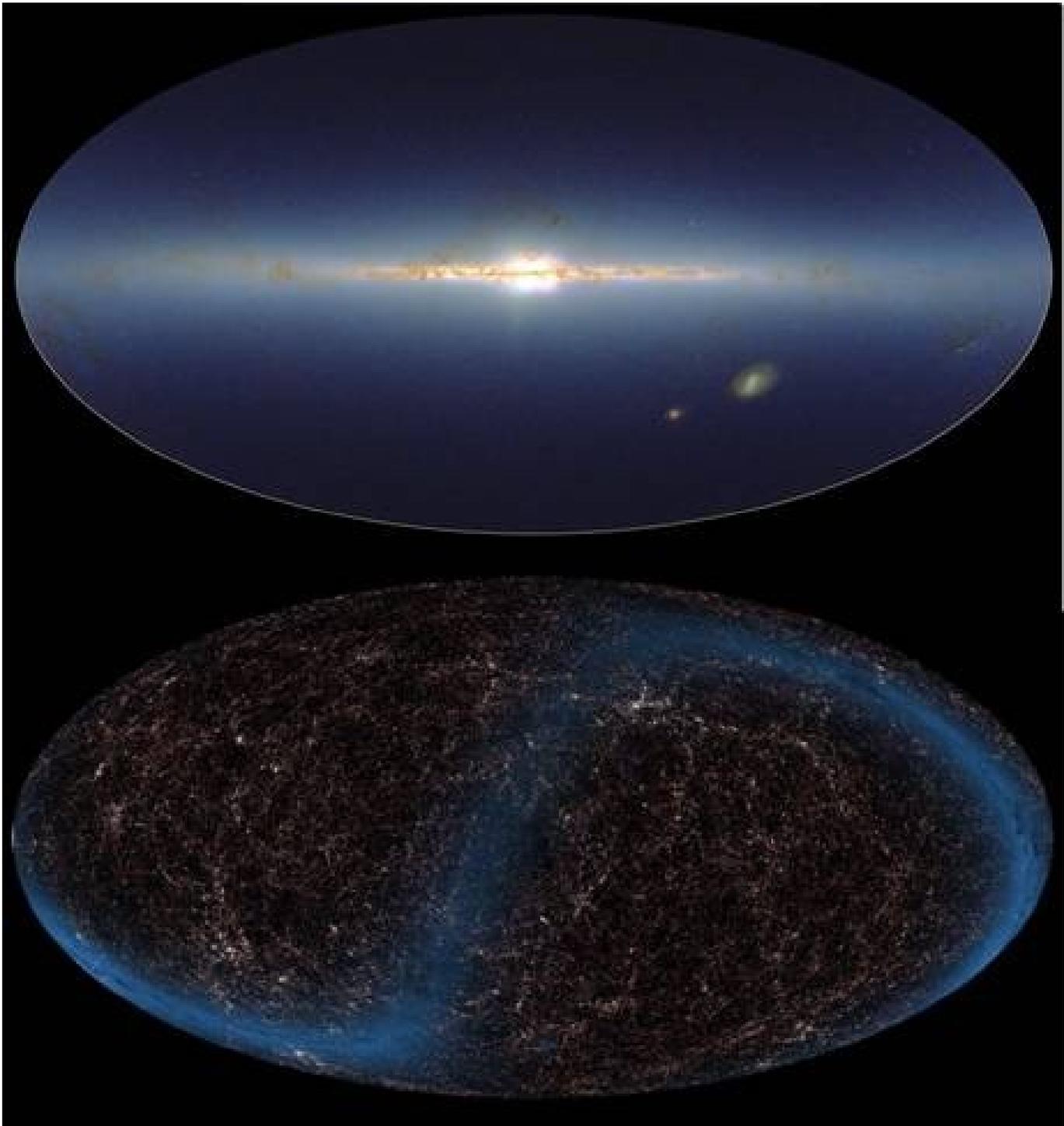
*L. Carroll -- The Hunting of the Snark*

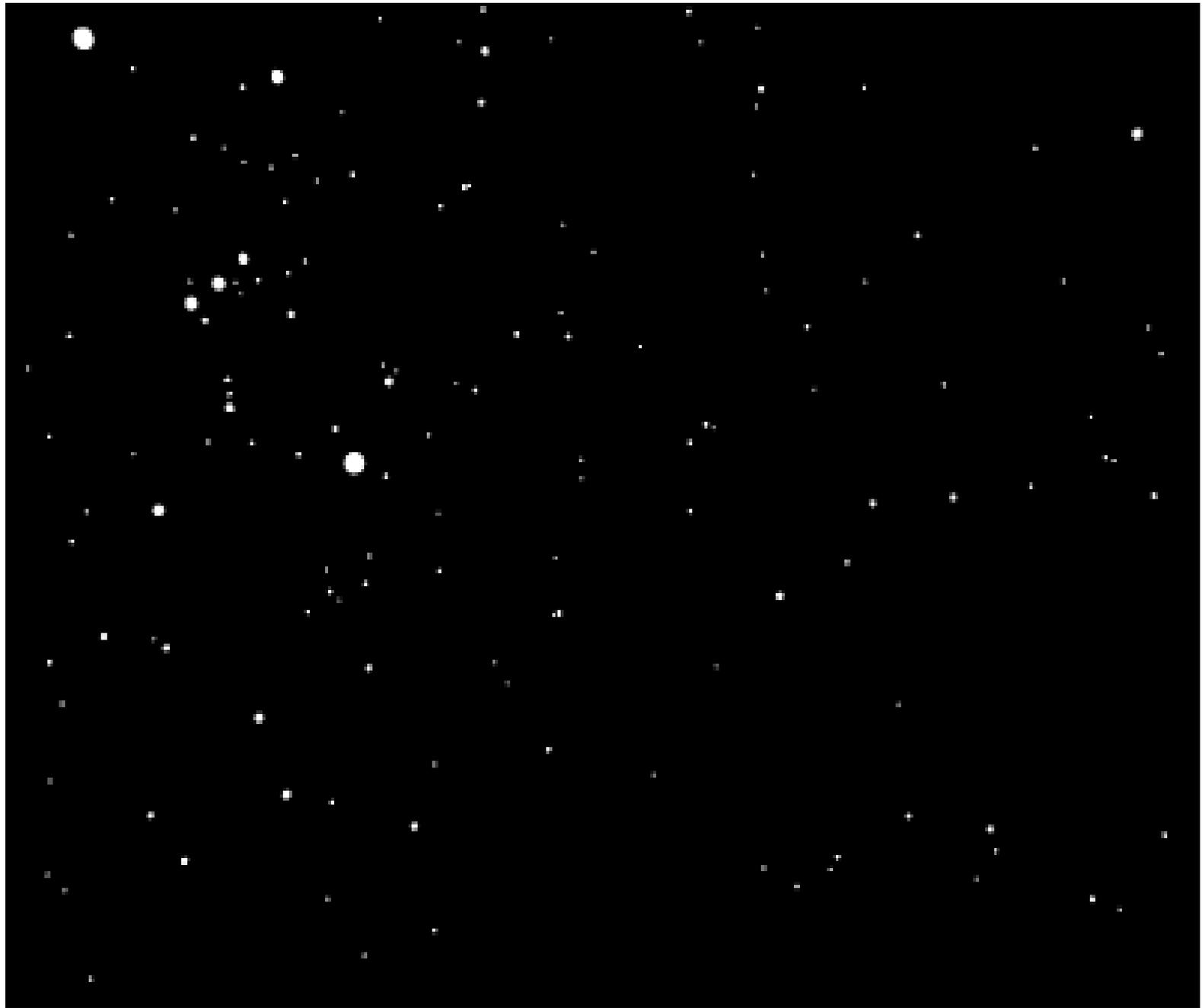
Coordinate systems are used to get around the sky, and to describe the positions of objects. There is no one best system; different systems may be more suited for specific applications. Any basic astronomy textbook has a description of coordinate systems. See Lang's "Astrophysical Formulae", sections 5.1.2 and 5.1.5 for more details, including equations for coordinate conversions.











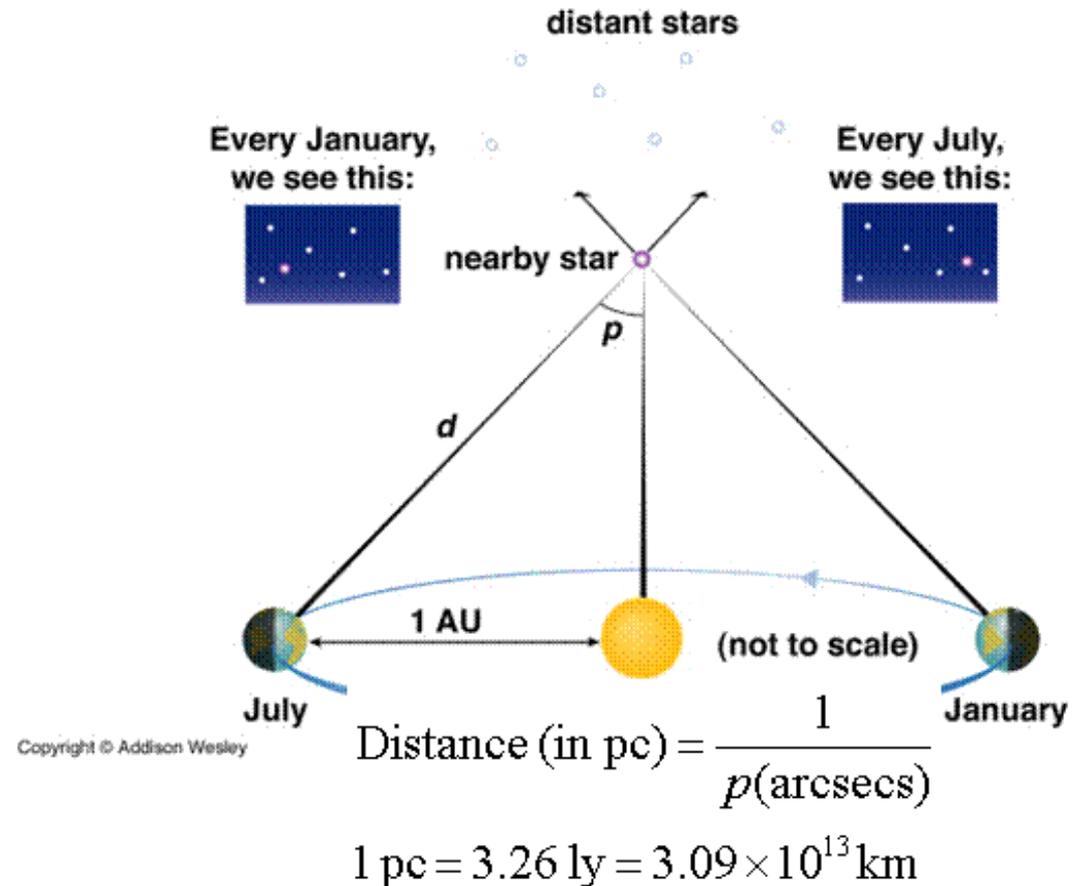
# Measuring the distances to Stars

For nearby stars we can use parallax.

The High-Precision PARallax Collecting Satellite (HIPPARCOS) determined parallaxes of 118,218 stars out to a distance of ~500 pc.

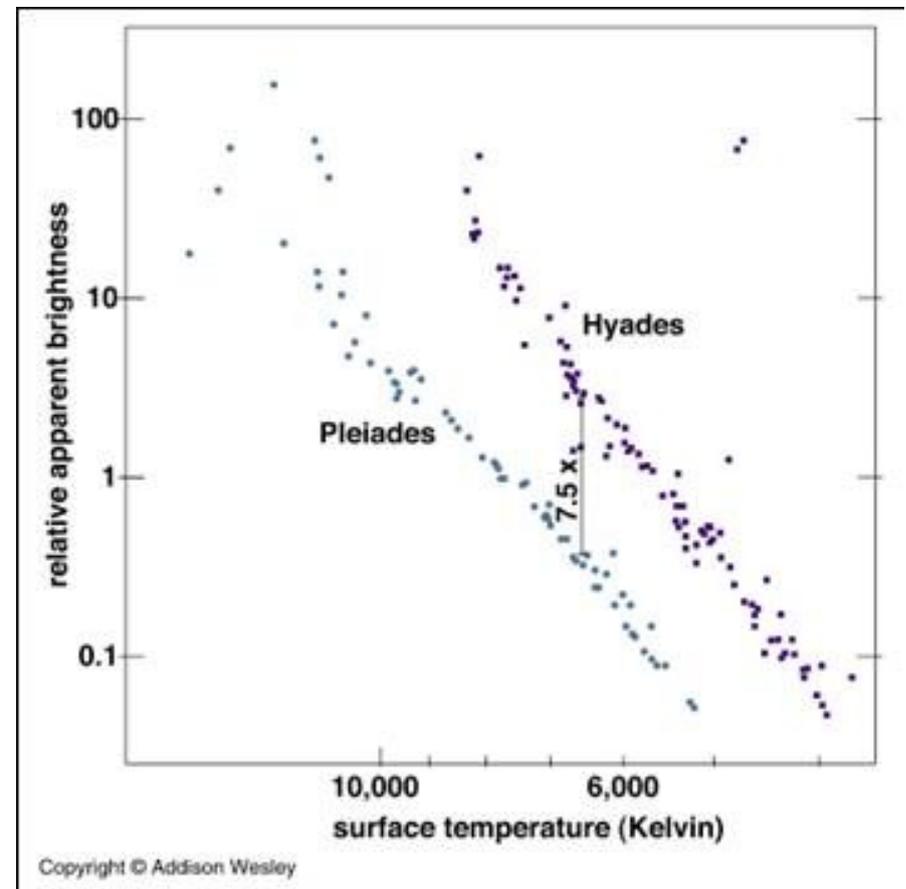
$$1 \text{ pc} = 2.06 \times 10^5 \text{ au} = 3.09 \times 10^{18} \text{ cm}$$

What about more distant stars?



# Main Sequence Fitting

- MS fitting depends on you knowing the distance to at least one cluster. HIPPARCOS has measured the distance to the Hyades cluster accurately and it is often used as the reference cluster.
- You make an H-R diagram of each cluster and then you shift the unknown cluster so that the MS overlays that on the reference cluster.
- Here the Pleiades are about 7.5x dimmer than the Hyades. So the Pleiades are 2.75 times ( $7.5^{1/2}$  times) more distance. (remember  $F \sim 1/d^2$ ).



# Spectroscopic Parallax

- Take a spectrum of a star to determine its position on the H-R diagram
- measure the apparent magnitude,  $m$
- Once we know its position on the HR diagram we can infer its absolute magnitude,  $M$
- Now knowing  $m$  from measurement and inferring  $M$  we can use the distance modulus equation:
- $m - M = 5 \log(d/10)$  (eqn 2.2)

$\gamma$  Crucis is an M3 III star  
with a measured  $m_v =$   
1.63

$$m - M = 2.43$$

$$\log(d/10) = (m - M)/5$$

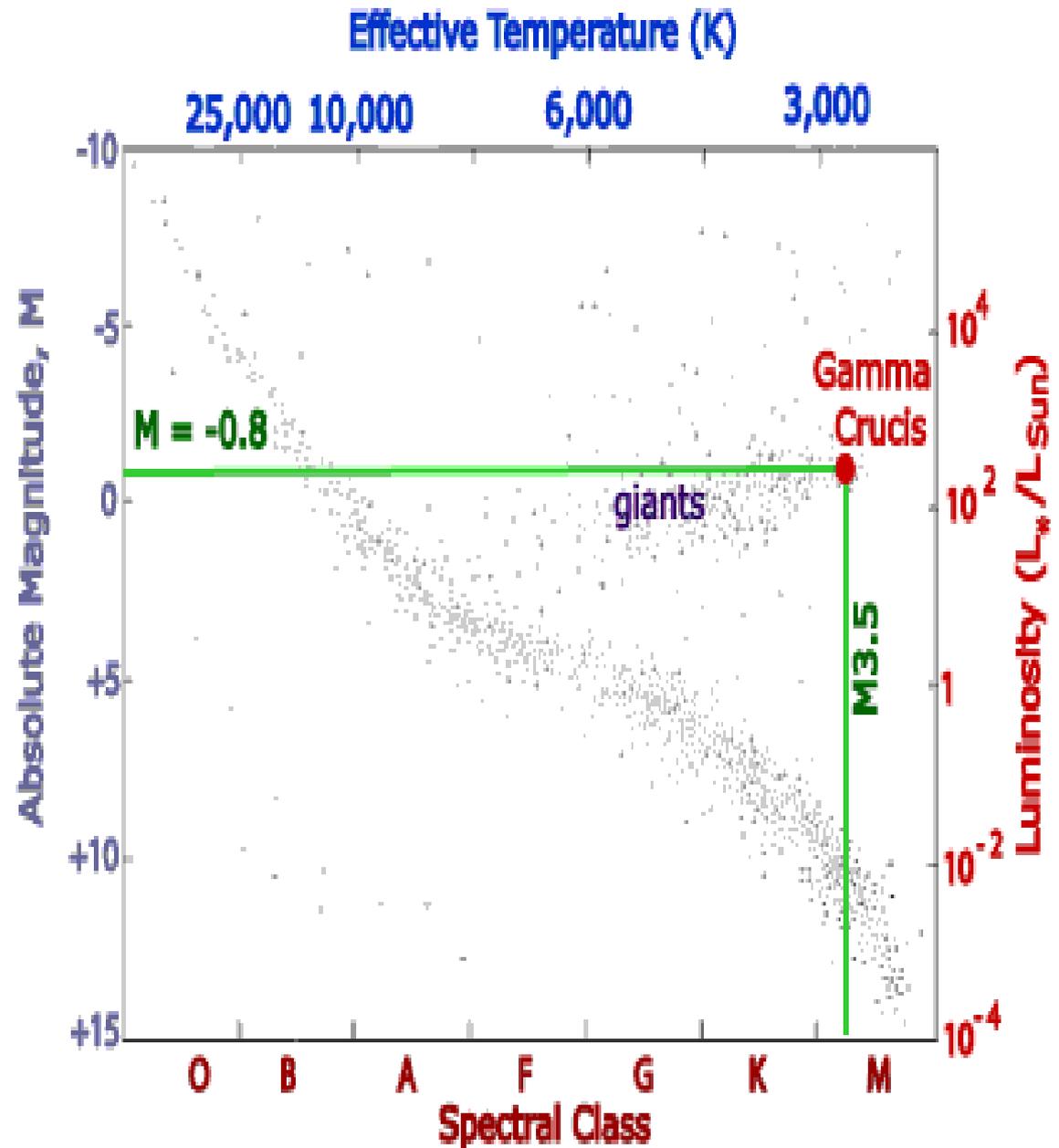
$$d/10 = 10^{(m - M)/5}$$

$$d = 10 \times 10^{(m - M)/5}$$

$$d = 10 \times 10^{2.43/5}$$

$$= 10 * 3.06$$

$$= 30.6 \text{ pc}$$



Spectroscopic Parallax for Gamma Crucis

# Measuring Distance with Variable Stars

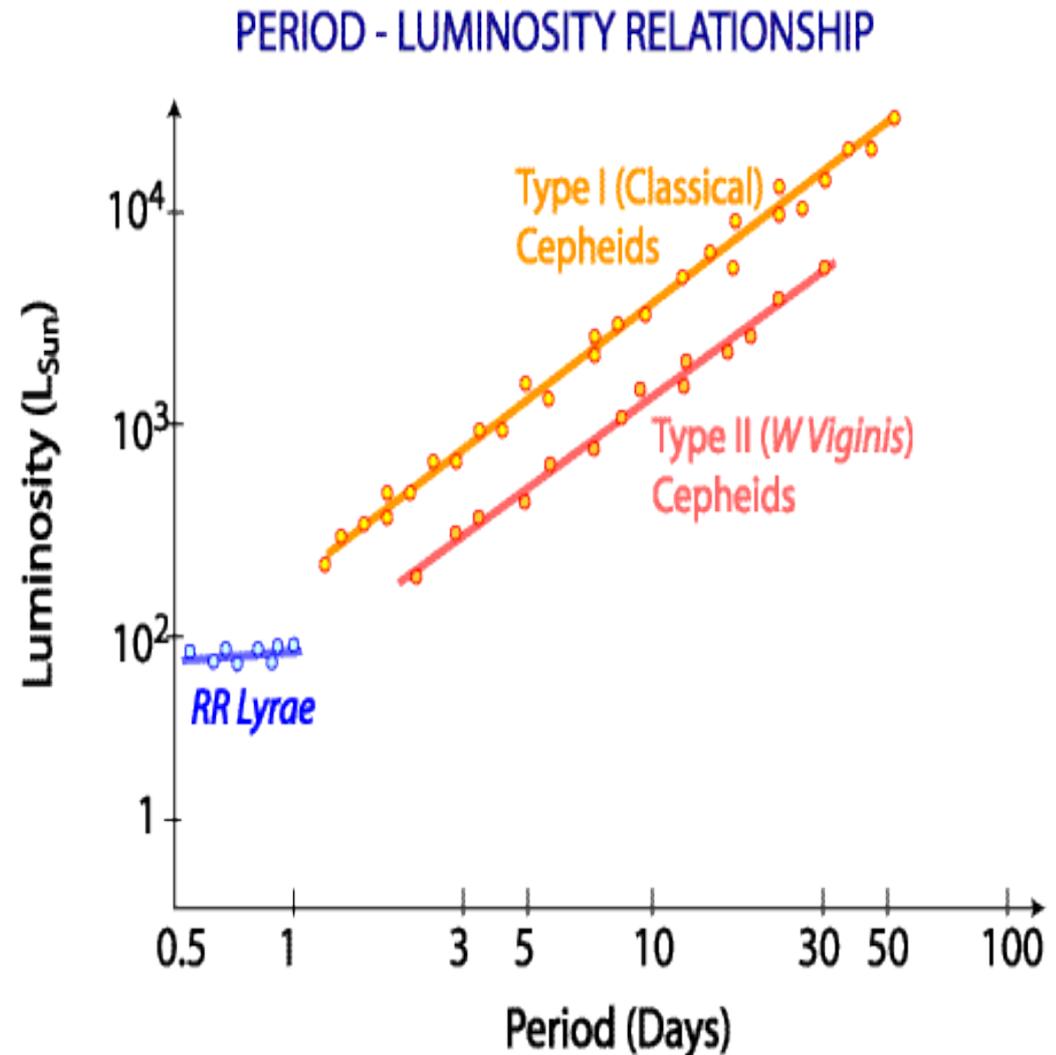
Cepheid variables are named after the star Delta Cephei, the fourth brightest star in the constellation Cepheus. Cepheids are high mass stars nearing the end of their lives (  $\delta$ -Cepheid is  $\sim 5$  solar masses). They have helium cores and regularly expand and contract. They have periods from 2 to 60 days and range in brightness from 300 to 40,000  $L_{\text{sun}}$ .

RR Lyrae variables are named after the star RR Lyrae, in the constellation Lyra. They have periods from 4 hrs to 24 hrs and have luminosities of about 80  $L_{\text{sun}}$ .

# Period Luminosity Relationship

Henrietta Leavitt (1868 - 1921), working at the Harvard College Observatory, studied photographic plates of the Large (LMC) and Small (SMC) Magellanic Clouds and compiled a list of periodic variables, 47 of these were Cepheid variables. She noticed that those with longer periods were brighter than the shorter-period ones. She concluded that since the stars were in the same distant clouds they were all at about the same relative

distance from us. Any difference in apparent magnitude was therefore related to a difference in absolute magnitude.



# Salpeter IMF

The Initial Mass Function for stars in the Solar neighborhood was determined by Salpeter in 1955. He found:  $\xi(M) = \xi_0 M^{-2.35}$

$\xi_0$  is the local stellar density

Using the definition of the IMF, the number of stars that form with masses between  $M$  and  $M + dM$  is:

$\xi(M) dM$  To determine the total number of stars formed with masses between  $M_1$  and  $M_2$ , integrate the IMF between these limits:

$$\begin{aligned} N &= \int_{M_1}^{M_2} \xi(M) dM = \xi_0 \int_{M_1}^{M_2} M^{-2.35} dM \\ &= \xi_0 \left[ M^{-1.35} \right]_{M_1}^{M_2} = \frac{\xi_0}{-1.35} \left[ M_1^{-1.35} - M_2^{-1.35} \right] \end{aligned}$$

# Salpeter IMF cont.

To find the total mass of stars between  $M_1$  and  $M_2$ :

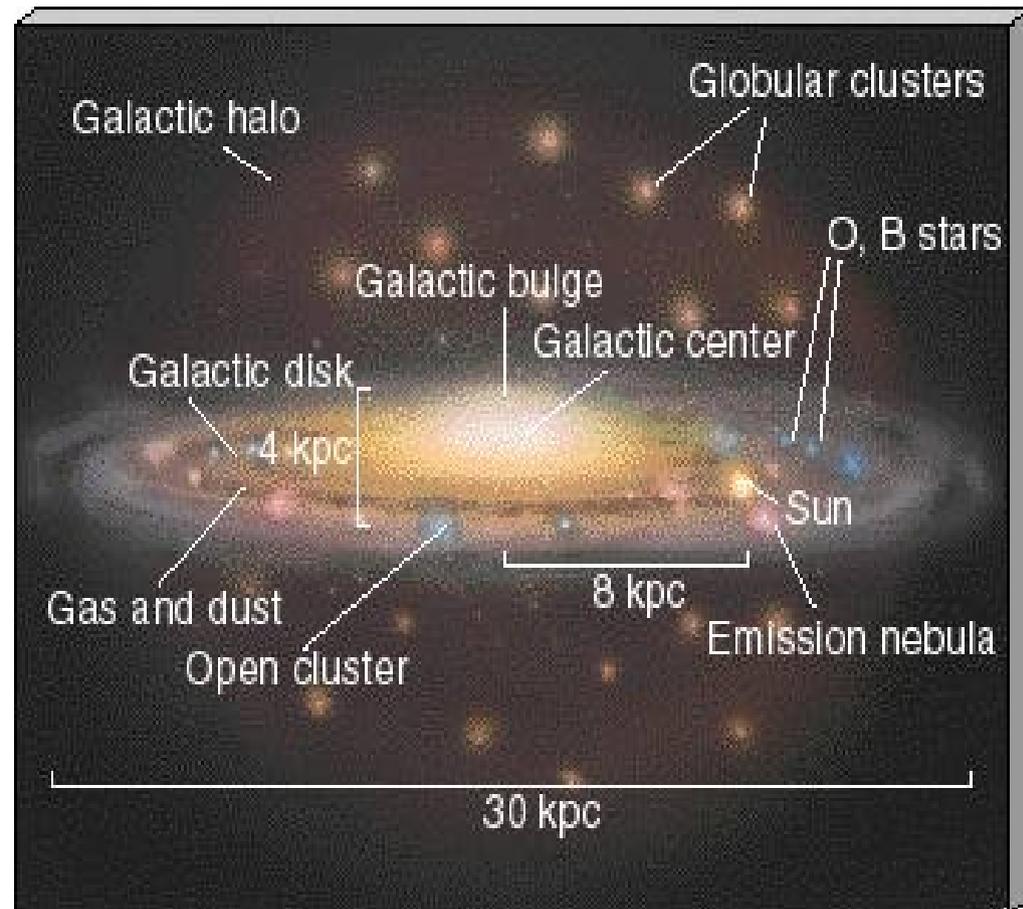
$$M_* = \int_{M_1}^{M_2} M \xi(M) dM$$

- Most numerous stars are low mass
- Most of the total mass is from low mass stars
- Most of the luminosity is from high mass stars (in a young population)

Observations suggest that the Salpeter function works for  $M > 0.5 M_{\text{sun}}$ . Below that it must “flatten” so that the mass in stars remains finite.

# Structure of the Milkyway

- Bulge is fairly spherical and contains mostly old stars
- Disk - this is where most of the young stars and gas can be found
- Halo - contains globular clusters and most of the dark matter.



# MW Disk

What does the structure of the MW disk look like?

1<sup>st</sup> a local look.

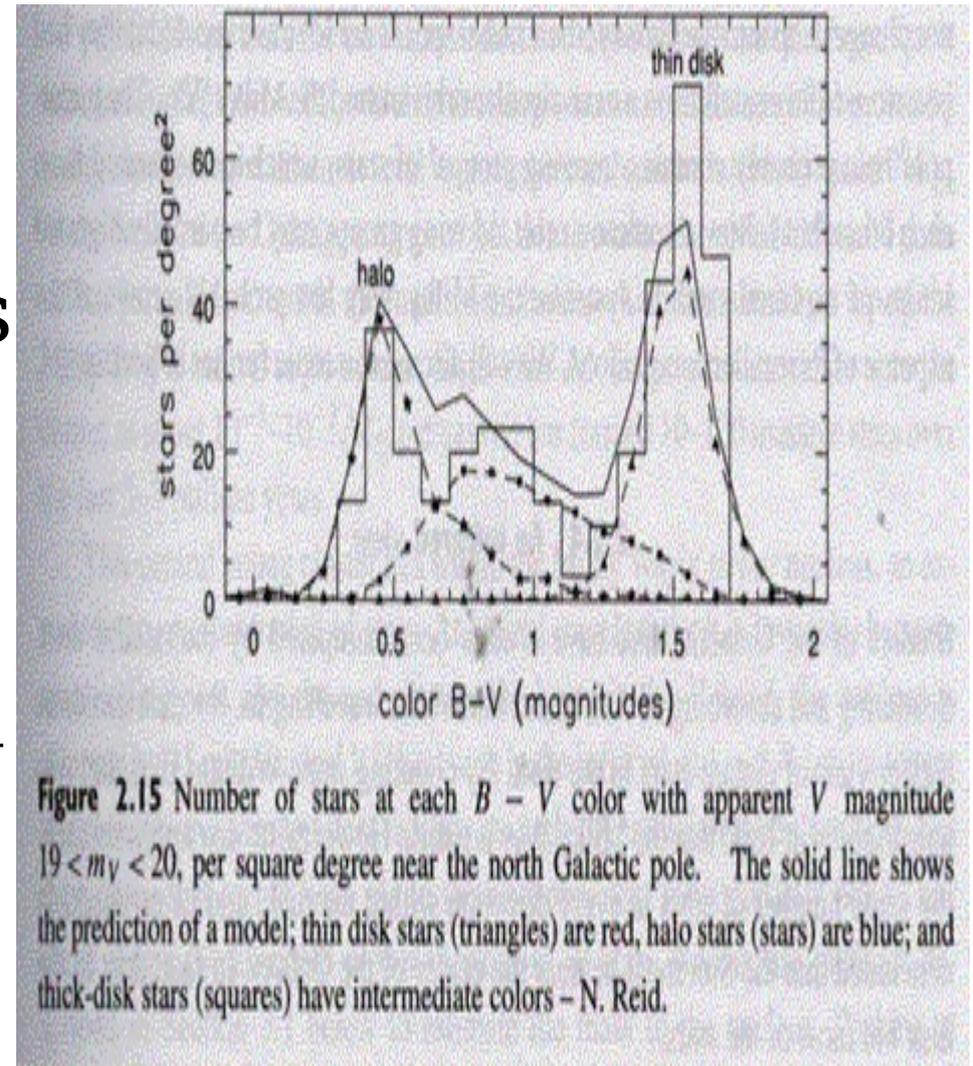


Credit & Copyright: John P. Gleason, Steve Mandel

# MW Disk cont.

- How do we determine what stars are in the MW?

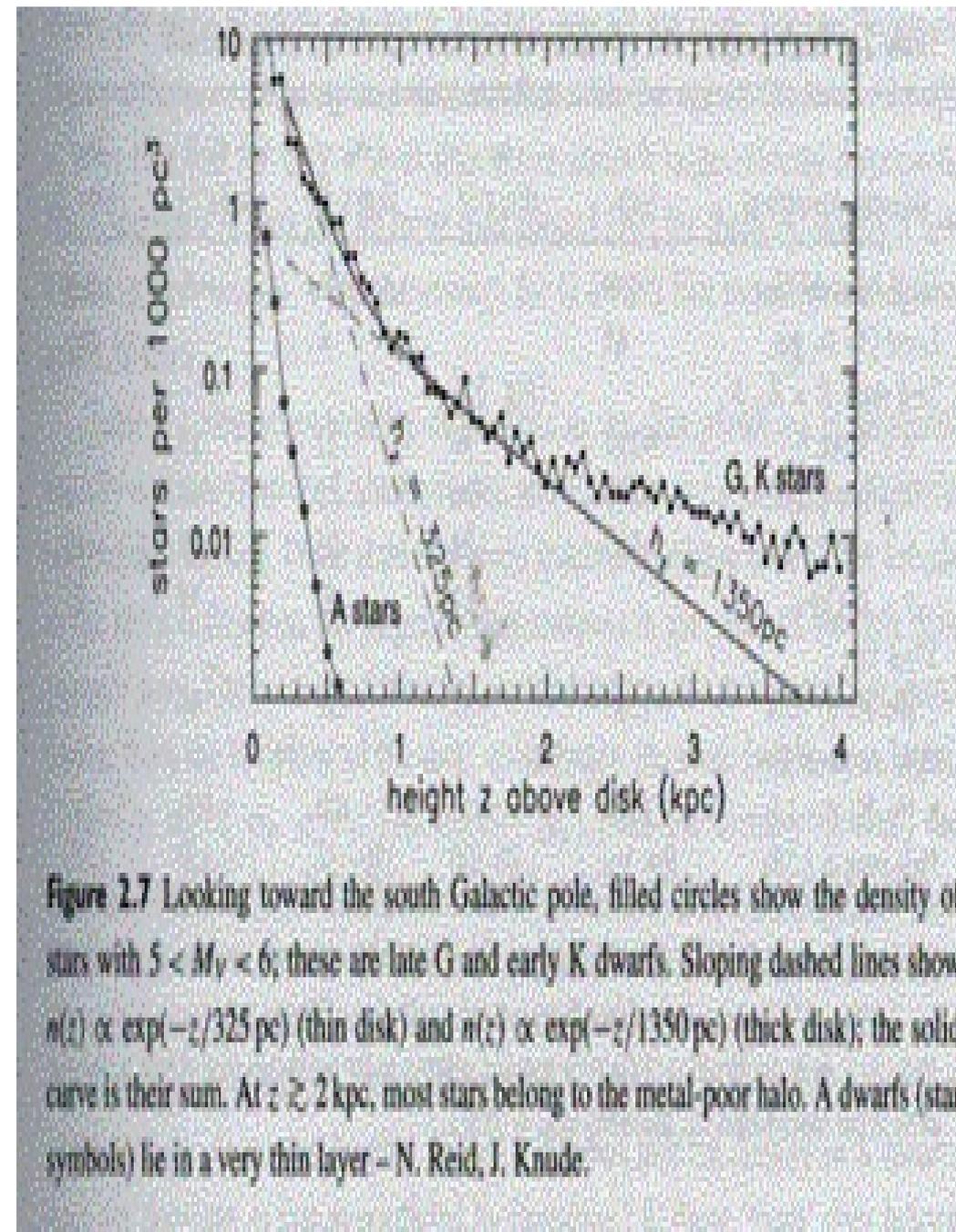
By taking a census of stars in the direction of the NGP and using a model to predict what should be seen we can construct the stellar population.



- Measure the distances to stars by looking up and down out of the plane of the Galaxy. (using spectroscopic parallax)
- Plot the distribution of each spectral type vs distance.
- Fit the distribution with a function of the form

$$n(R, z, S) = n(0, 0, S) \exp(-R/h_R(S)) \exp(-|z|/h_z(S))$$

- $h_R$  is the scale length
- $h_z$  is the scale height



# Typical Scale Heights

## Near midplane:

- G, K stars 300-350 pc (thin disk)
- A stars  $\sim 200$  pc
- HI gas  $< 150$  pc
- Molecular gas 60 - 70 pc

## Outside the midplane:

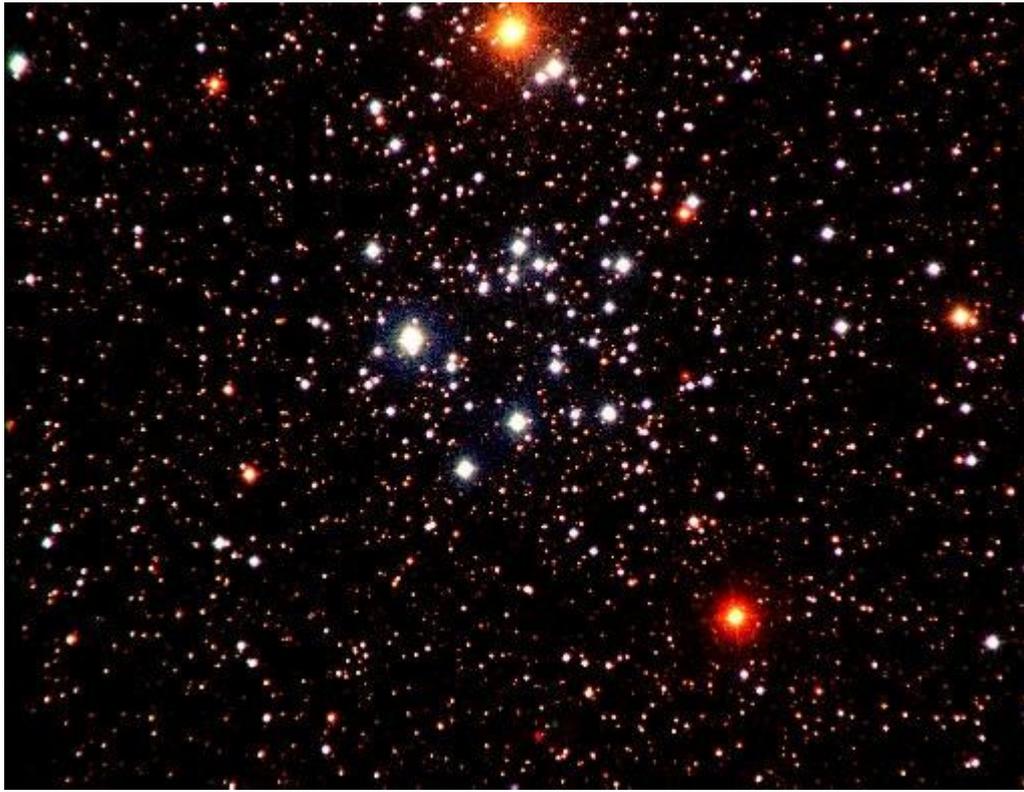
- G, K stars  $\sim 1350$  pc (thick disk)
- After that we are outside the disk and in the Halo

# Stellar Populations

- Young Stars
  - Open Clusters
    - Form from the same mass of gas
    - Coeval (same age)
    - Similar metallicity ( $\sim$ solar)
    - At best loosely bound by gravity
  - Young Disk Stars
    - From disrupted clusters
    - Metallicity  $\sim$ solar

# Stellar Populations cont.

- Old Stars
  - Globular Clusters
    - Formed in the first 1-3 billion years of the collapse of the Galaxy
    - Coeval
    - Similar metallicity (0.1 -  $10^{-4}$  solar)
    - Tightly bound by gravity
  - Individual Stars
    - Similar to Globular Clusters
    - Not bound together by gravity



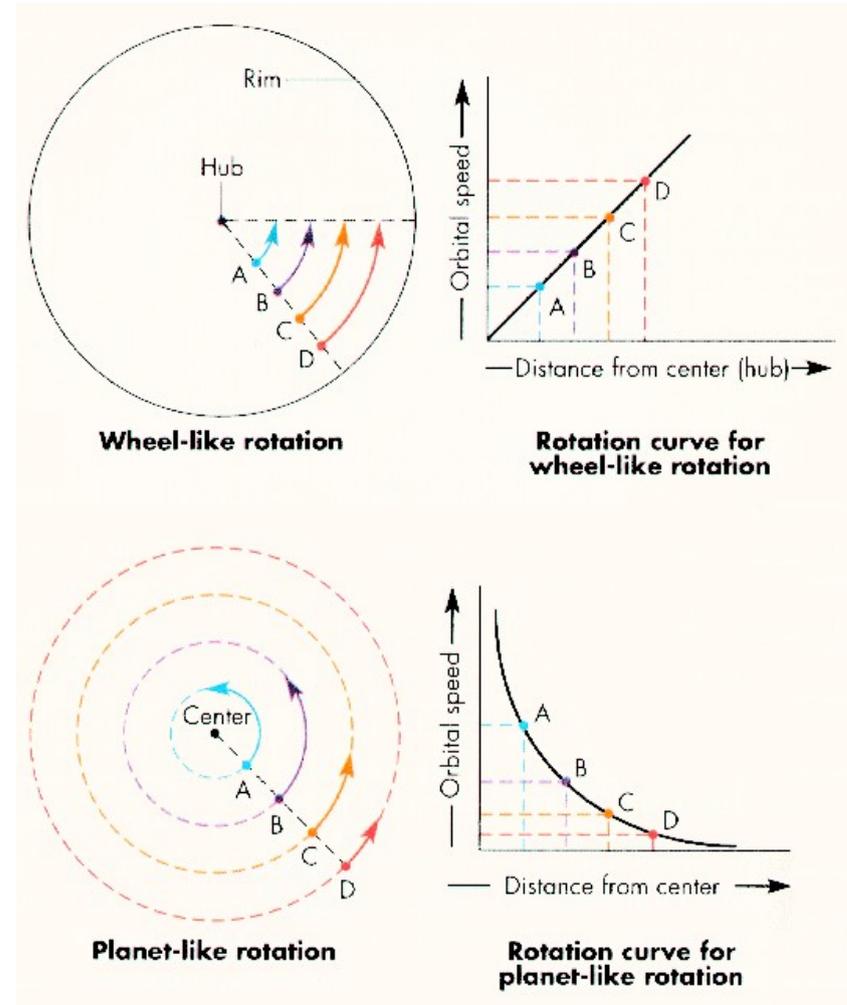
Open Cluster: M50 APOD

Globular Cluster: M3 APOD



# Galactic Rotation

- The Galaxy rotates differentially
  - Stars closer to the center rotate more rapidly while those further out rotate more slowly than the sun
  - First noticed in the study of proper motions
  - Explained by J Oort



# Galactic Rotation cont.

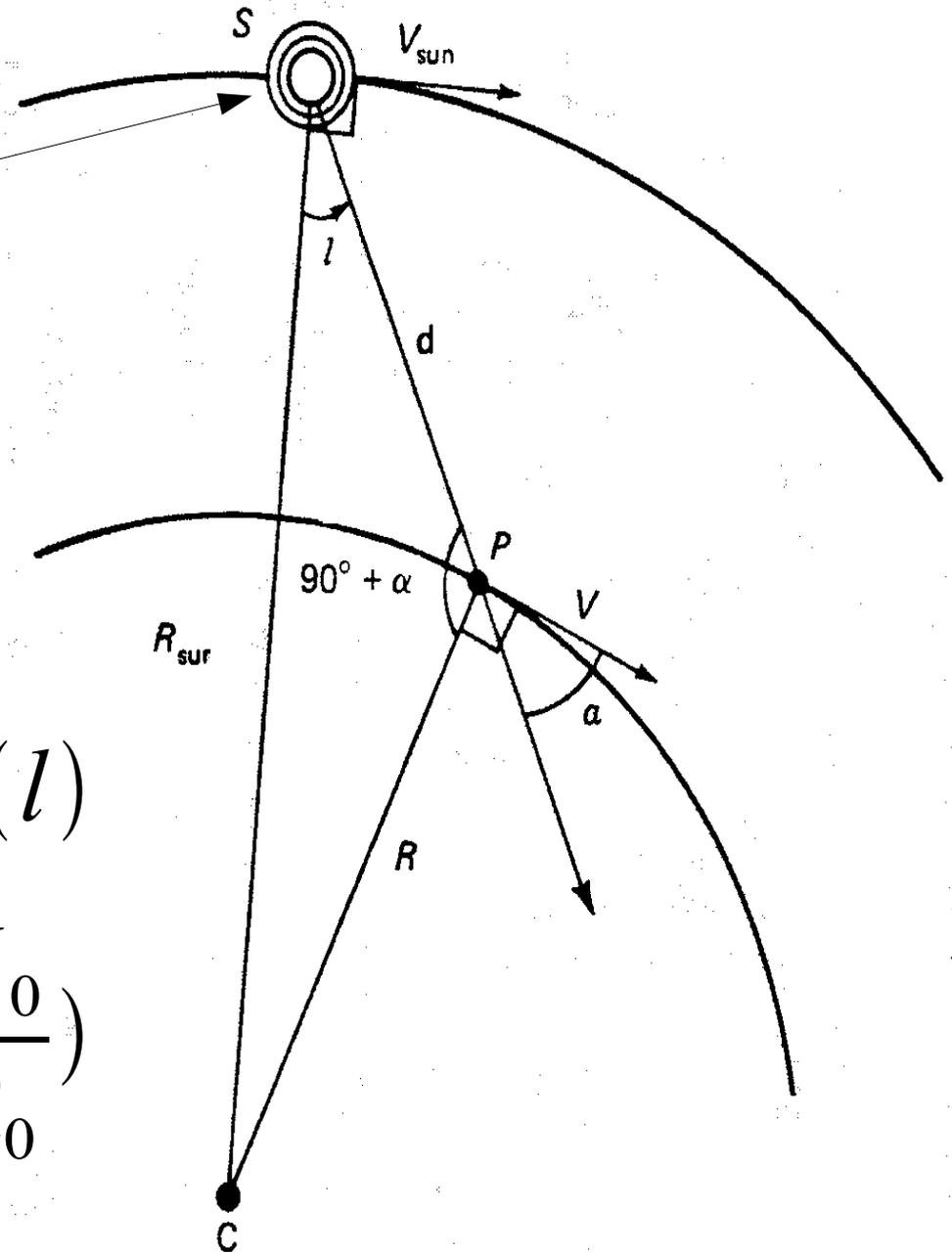
- The Sun
  - is 10-20 pc above the Galactic plane
  - and its orbit is not circular
- To compensate for this we define a lsr (local standard of rest)
  - This is the average motion of stars near the sun

- Galactic Rotation Curve

- At  $R_{\text{sun}}$  the lsr has a velocity of  $V_0$
- A star at P has an apparent velocity of

$$V_r = V \cos(\alpha) - V_0 \sin(l)$$

$$V_r = R_0 \sin(l) \left( \frac{V}{R} - \frac{V_0}{R_0} \right)$$



- If we are near the Sun ( $d \ll R$ )

- $R - R_0 - d \sin(l)$

- Then  $V_r = R_0 \sin(l) \left( \frac{V}{R} - \frac{V_0}{R_0} \right)$

becomes

$$V_r = R_0 \sin(l) \left( \frac{V}{R} \right)' (R - R_0) =$$

$$d \sin(l) \left[ -\frac{R}{2} \left( \frac{V}{R} \right)' \right]_{R_0} \equiv d A \sin(l)$$

Where  $A = 14.8 \text{ km/s/kpc}$

- We can do the same for proper motions

$$V_t = V \sin(\alpha) - V_0 \cos(l)$$

Again close to the sun

$$R \approx R_0 - d \cos(l)$$

$$V_t = R_0 \cos(l) \left( \frac{V}{R} - \frac{V_0}{R_0} \right) - V_0 \frac{d}{R}$$

$$\approx d \sin(2l) \left[ -\frac{R}{2} \left( \frac{V}{R} \right)' \right]_{R_0} - \frac{d}{2} \left[ \frac{1}{R} (RV)' \right]_{R_0}$$

$$\equiv d (A \cos(2l) + B)$$

B = -12.4 km/s/kpc

A & B are called Oort Constants

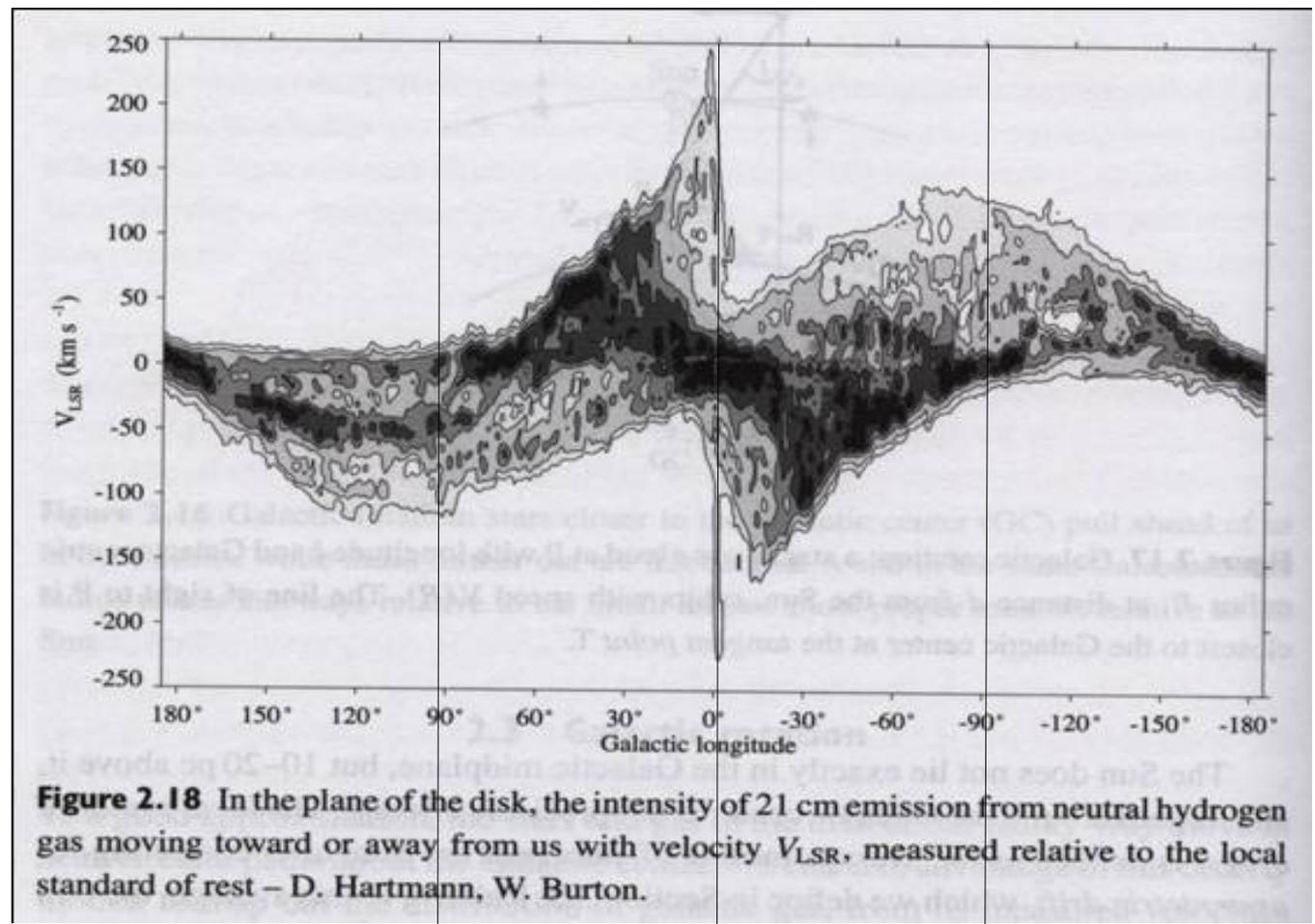
# Oort's constants

- What do they tell us about the Galaxy?
- $A$  measures the local shear
- $B$  measures the local vorticity
- $A - B = V_0/R_0$ 
  - IF we know  $R_0$  then we can determine  $V_0$
- $\rho_{\text{local}} = (B^2 - A^2)/2\pi G$

$$\sin(l)$$

$$V/R - V_0/R_0$$

+	+	-	-
-	+	+	-



**Figure 2.18** In the plane of the disk, the intensity of 21 cm emission from neutral hydrogen gas moving toward or away from us with velocity  $V_{LSR}$ , measured relative to the local standard of rest – D. Hartmann, W. Burton.

2<sup>nd</sup>

1<sup>st</sup>

4<sup>th</sup>

3<sup>rd</sup> Quadrant

- Measuring the velocity at the tangent point works in the inner Galaxy (out to the solar radius)
- Outside  $R_0$  we need to use other methods
  - Spectroscopic parallax for young stars
  - Emission lines from HII regions
  - Emission lines from active stars
- This method shows large variations in  $V_r$  and the error bars are much larger than for the data in the inner Galaxy
- Results are the  $V(r)$  does not fall and may even rise at radii larger than  $R_{\text{sun}}$ .

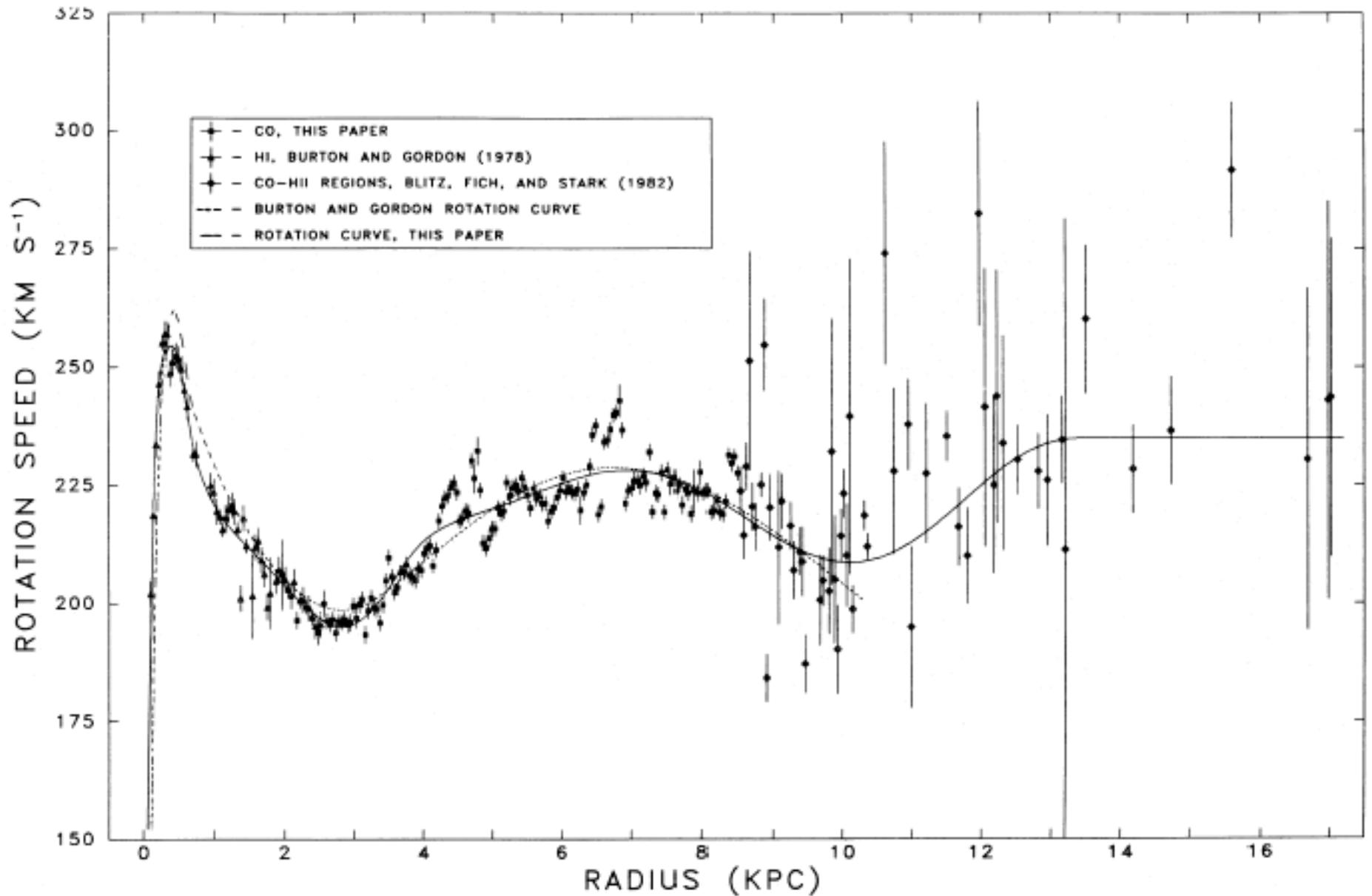
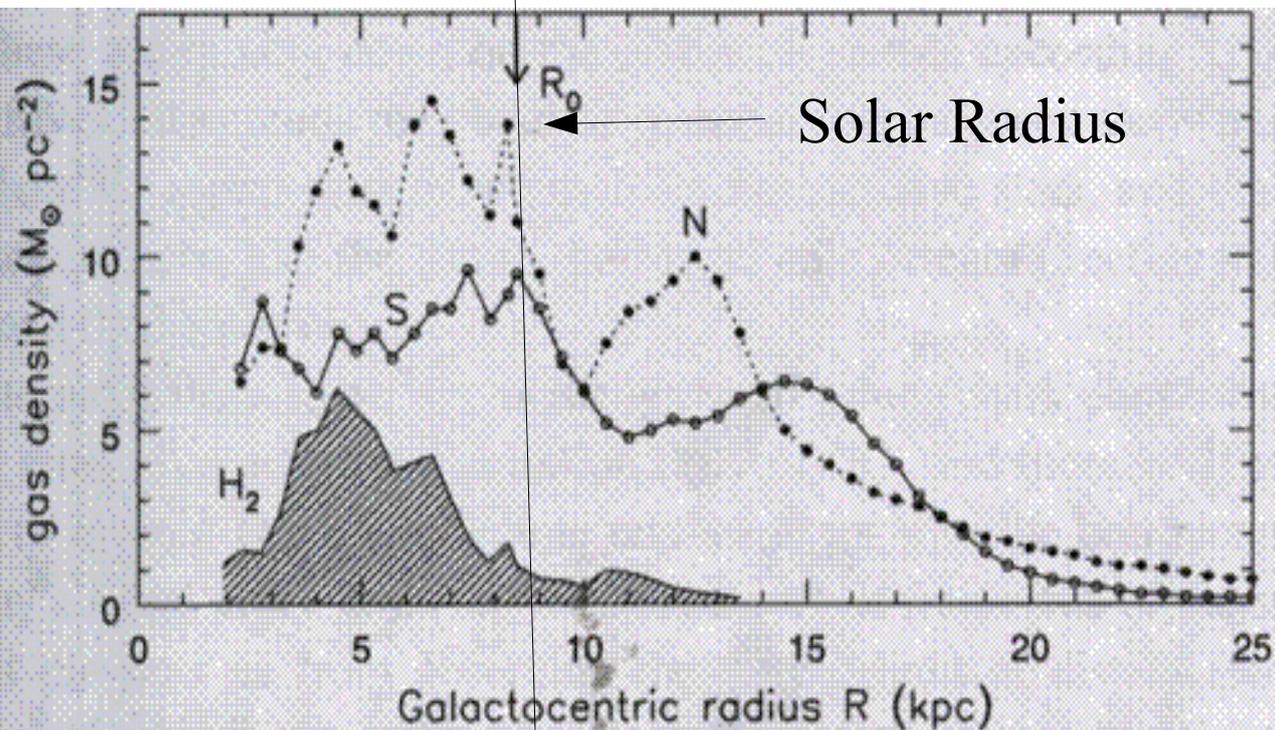


FIG. 3.—Plots of the rotation speed versus galactocentric radius. The solid lines correspond to the polynomials, and the dashed lines are the BG rotation curve. (upper panel)  $(R_0, \theta_0) = (10 \text{ kpc}, 220 \text{ km s}^{-1})$ ; (lower panel)  $(8.5 \text{ kpc}, 220 \text{ km s}^{-1})$ .

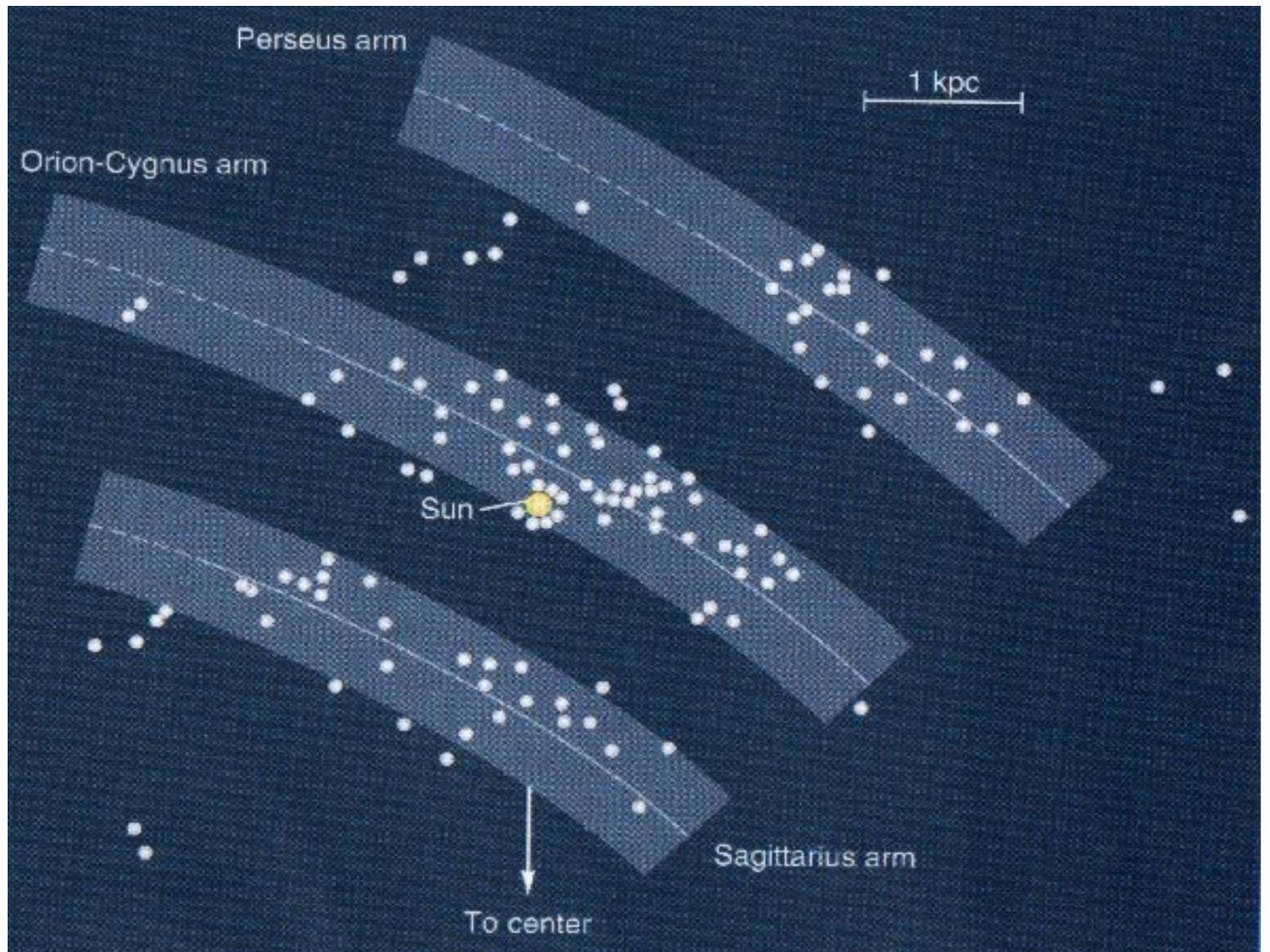
Clemens et al. 1985 ApJ 295 422



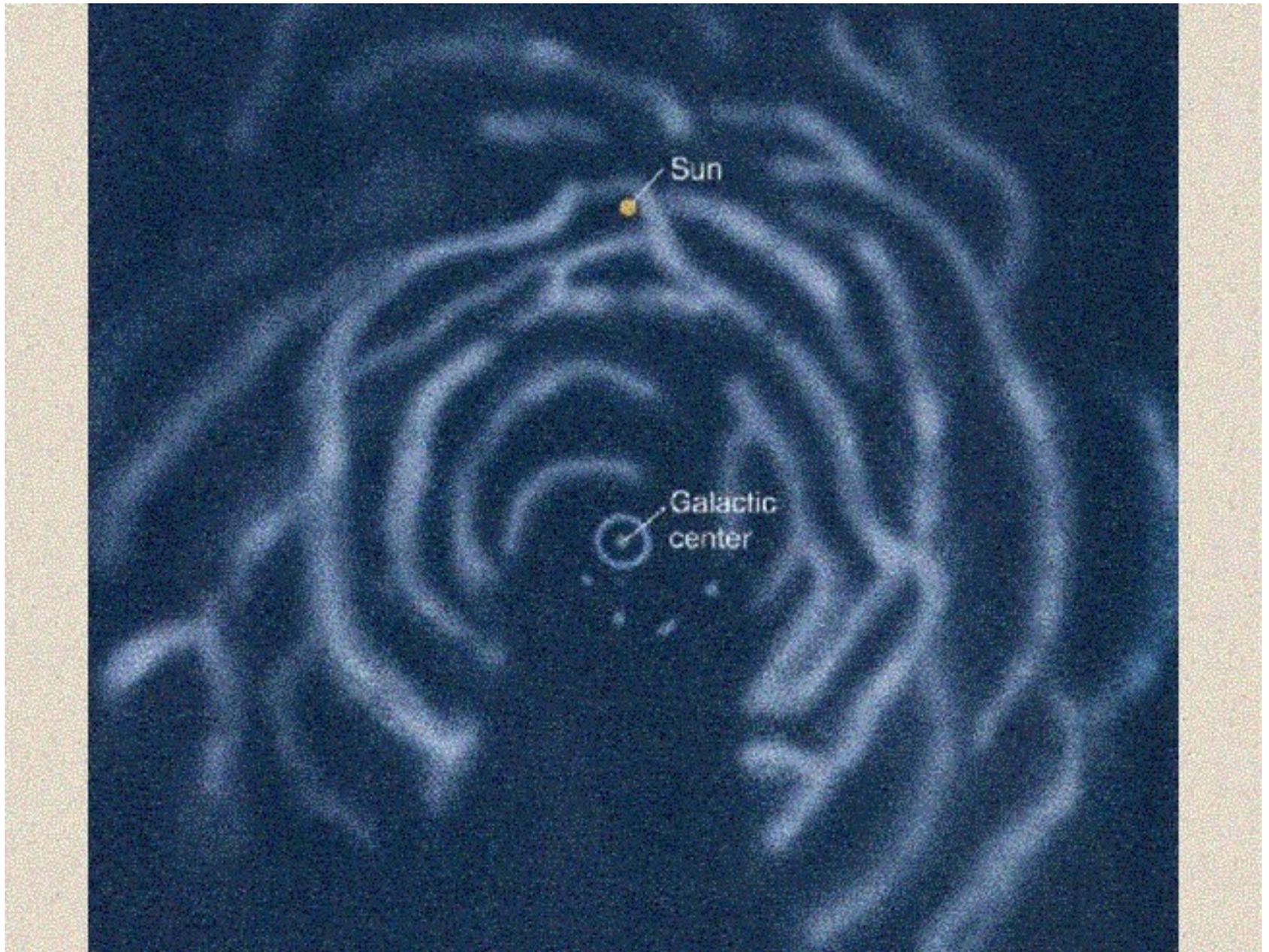
**Figure 2.20** Surface density of neutral hydrogen, as estimated separately for the northern ( $0 < l < 180^\circ$ ; filled dots) and southern ( $180^\circ < l < 360^\circ$ ; open circles) half of the Galaxy. Within the solar circle, the density is sensitive to corrections for optical thickness; outside, it depends on what is assumed for  $V(R)$ . The shaded region shows surface density of molecular hydrogen, as estimated from the intensity of CO emission – W. Burton, T. Dame.

Once you have the rotation curve, you can go back to observed gas distribution and build maps of the Galactic gas distribution.

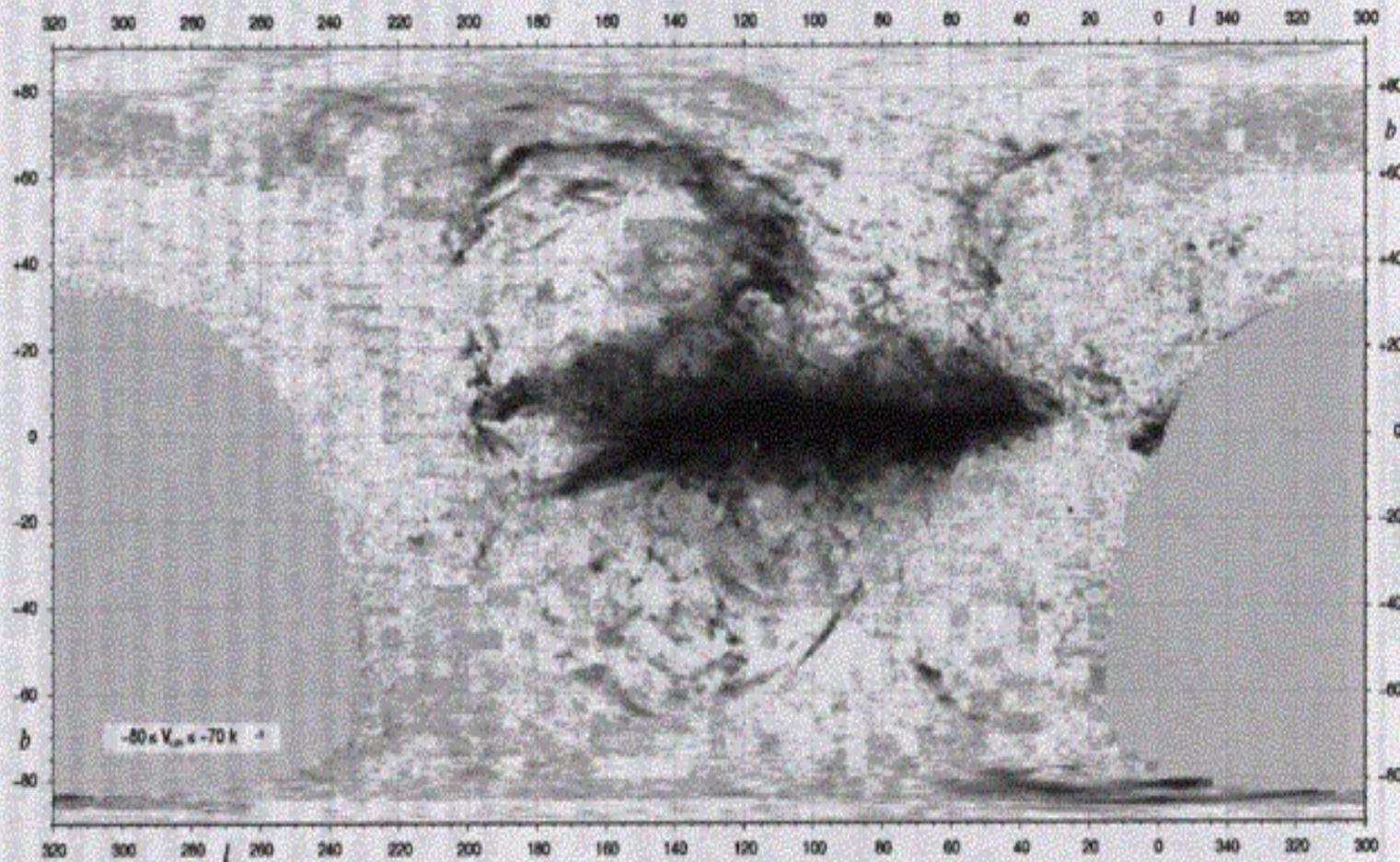
Can do this for both HI and molecular gas – they are different (but note that molecular lines are usually optically thick so we can't measure all of it)



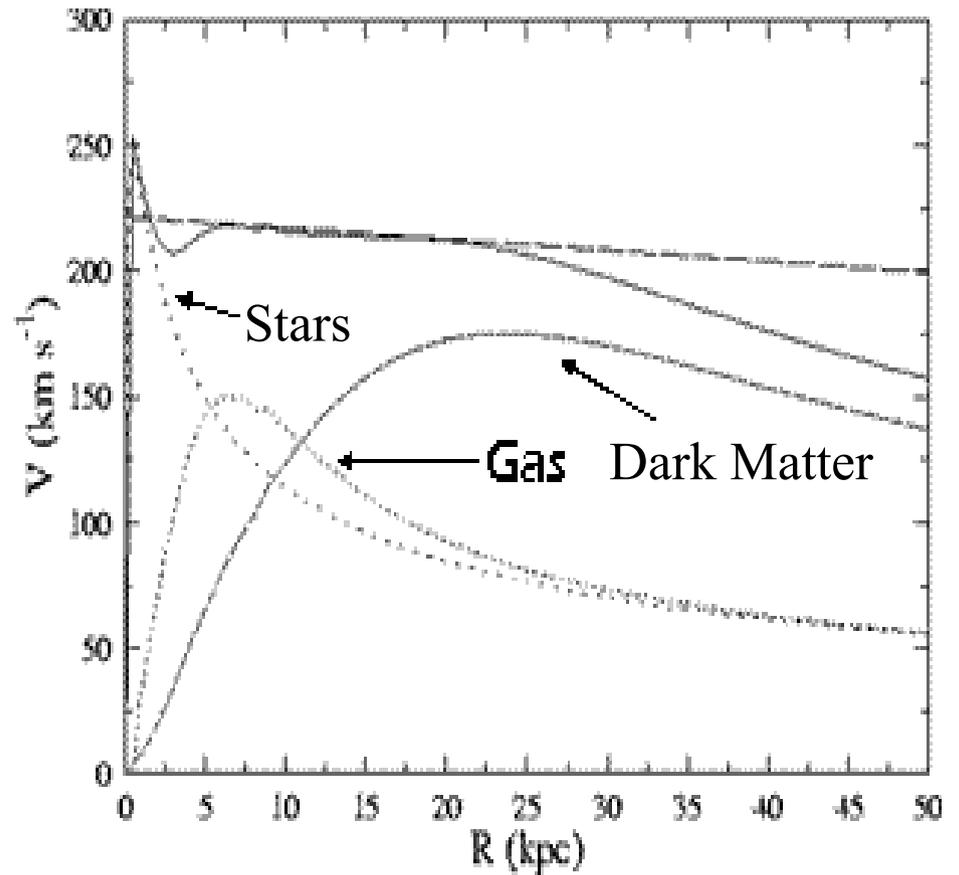
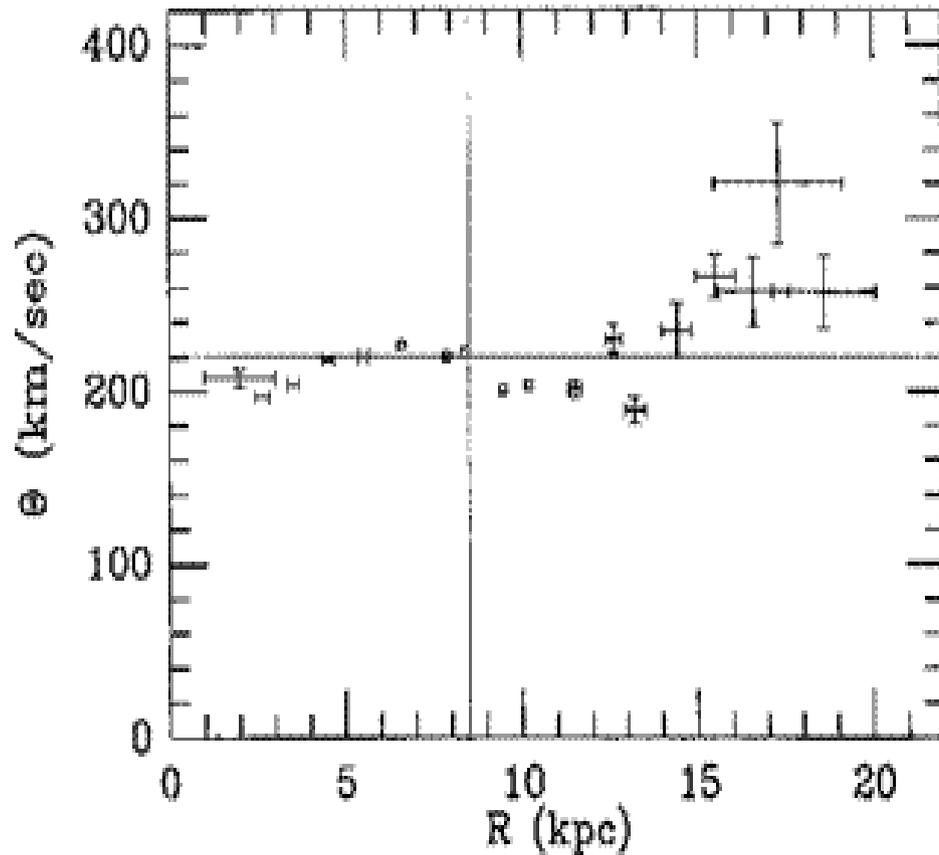
# Schematic view of the Milky Way



Lots of high latitude gas, arcs, bubbles etc.



**Figure 2.21** Neutral hydrogen at velocities  $-80 \text{ km s}^{-1} < V_r < -70 \text{ km s}^{-1}$ ; note the high-latitude streamers of gas. Empty areas of the plot could not be observed from the telescope in Dwingeloo (Netherlands) – D. Hartmann, W. Burton.



The mass from the stars and gas are not enough to reproduce the rotation curve of the Galaxy.

- Mass must increase as  $r^1$  (linearly)
- Gas and stellar mass decrease after  $R_0$

# What is Dark Matter?

- Many candidates for dark matter.
  - Dark Baryons
    - Brown dwarfs?
    - MaCHO's (Massive Compact Halo Objects)
    - Astronomer sized rocks?
    - Black Holes?
  - Non-baryonic
    - WIMPS (Weakly Interacting Massive Particles)